

# Nuclear Reactions in stars

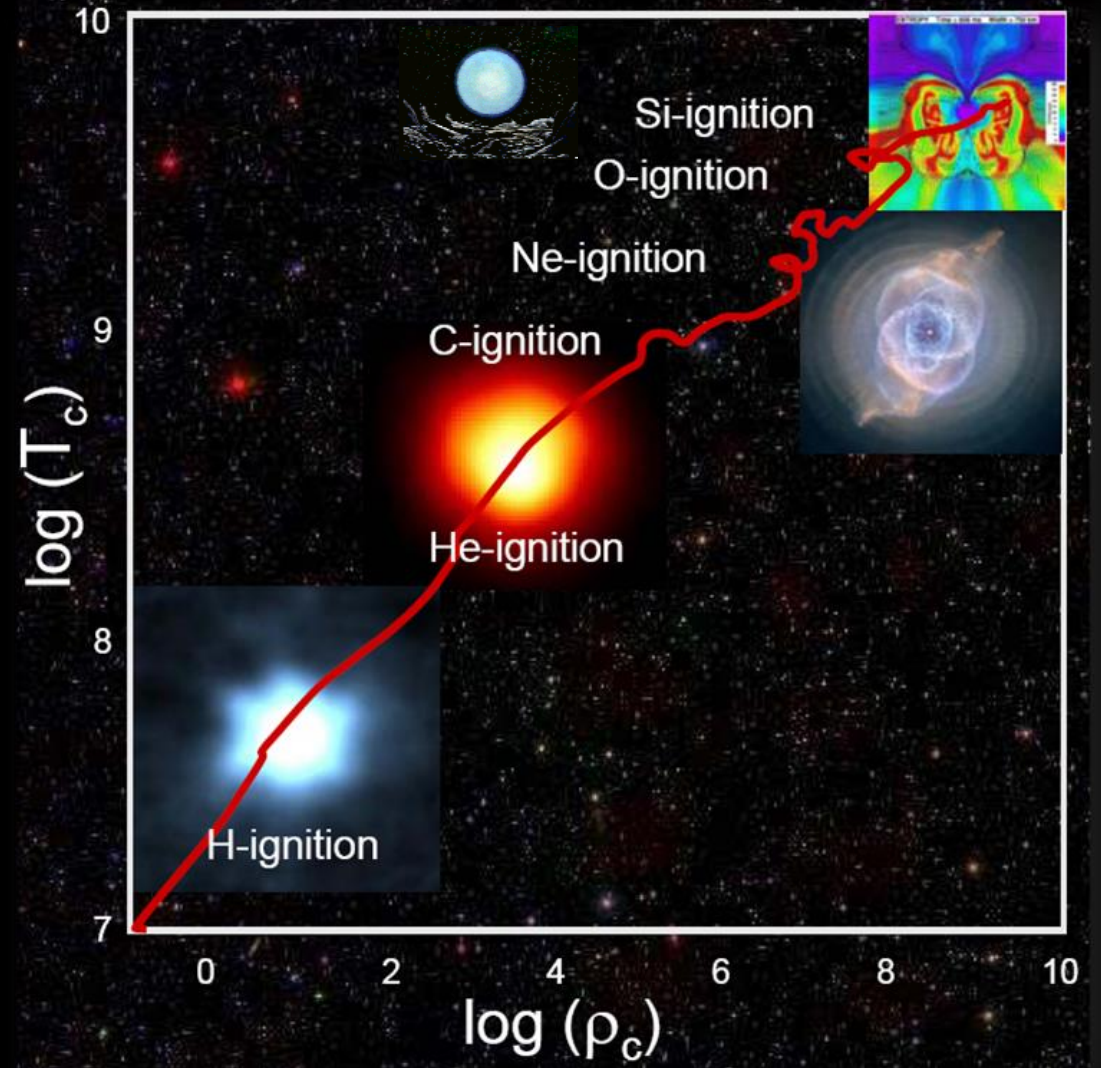
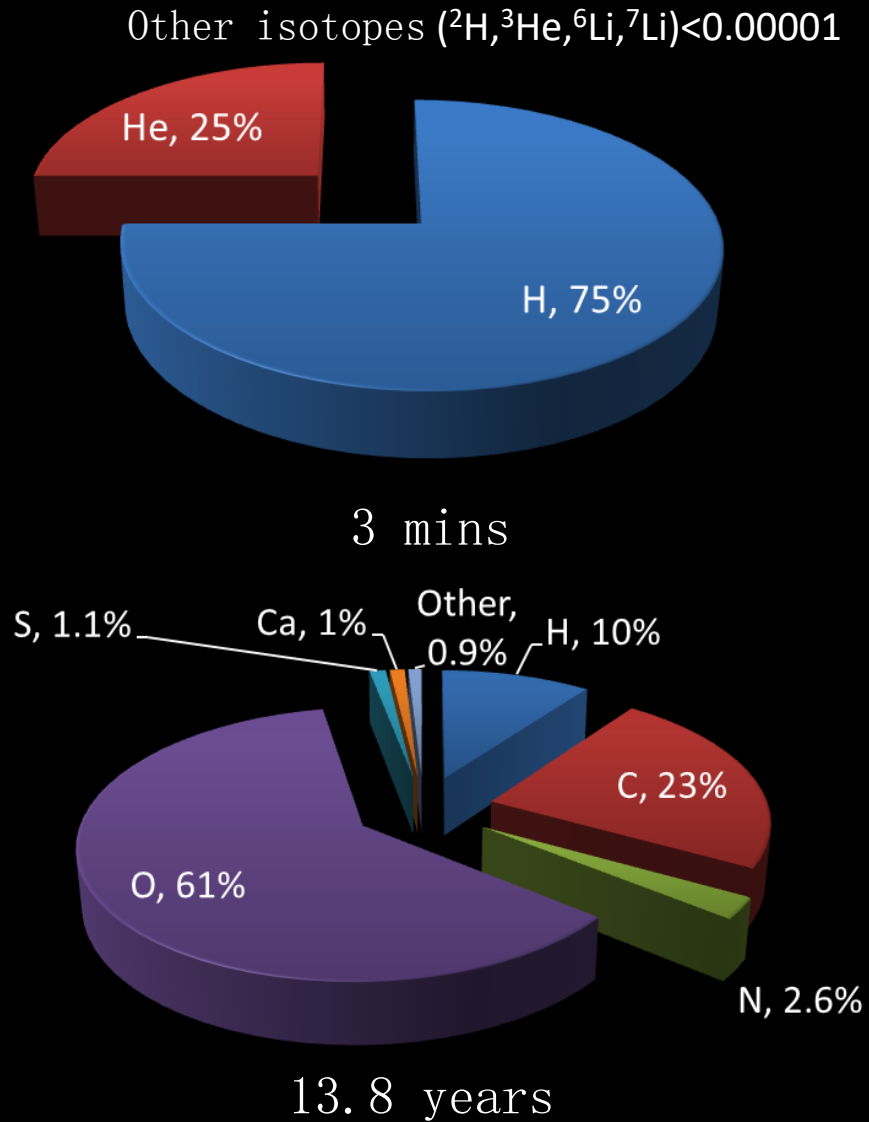
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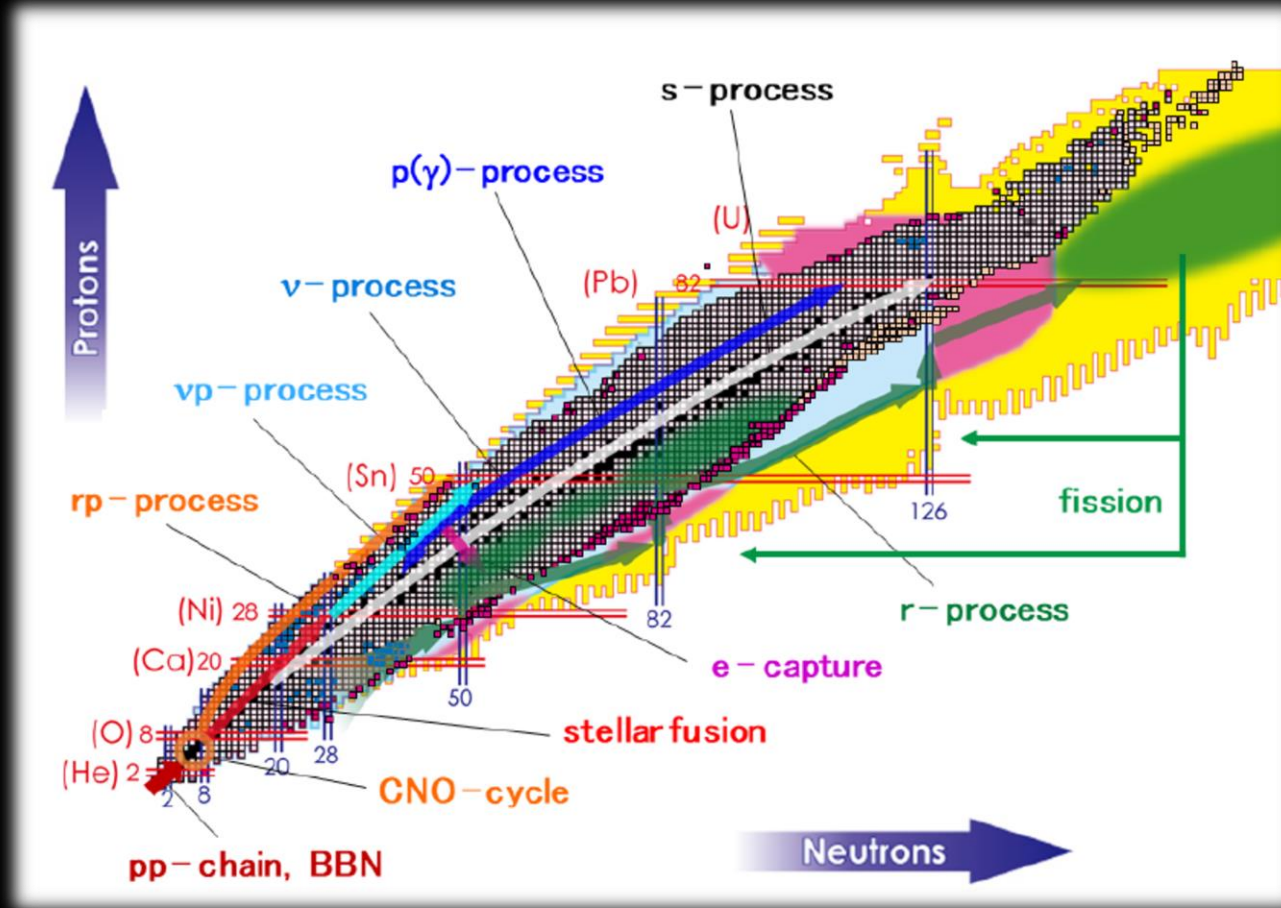
# Origin of Elements



**We are made of star-stuff.**

*Carl Sagan*

# Nucleosynthesis in stars



- 1) Big bang
- 2) Stellar quiescent burning  
(pp-chain, stellar fusion, s-process)
- 3) Stellar explosive burning  
(r-, vp-, v-, p-, rp-processes)
- 4) Cosmic Ray spallation

- What is the origin of the elements in the cosmos?
- What are the nuclear reactions that drive the evolution of stars and stellar explosions?



# OUTLINE

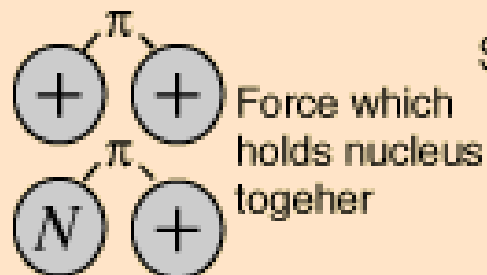
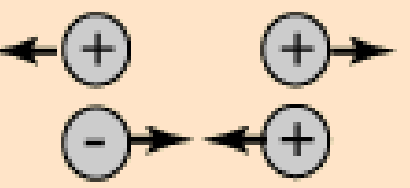
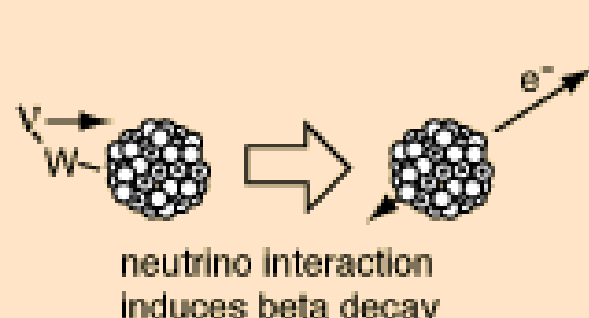
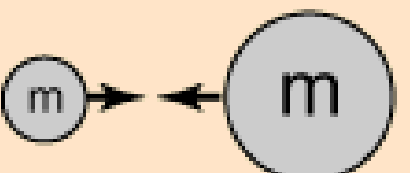
- Reaction Cross Section
- Reaction Rate
- pp-chain: p+p reaction
- Production of Carbon and Oxygen: triple alpha reaction and  $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$
- Carbon burning:  $^{12}\text{C}+^{12}\text{C}$

# References

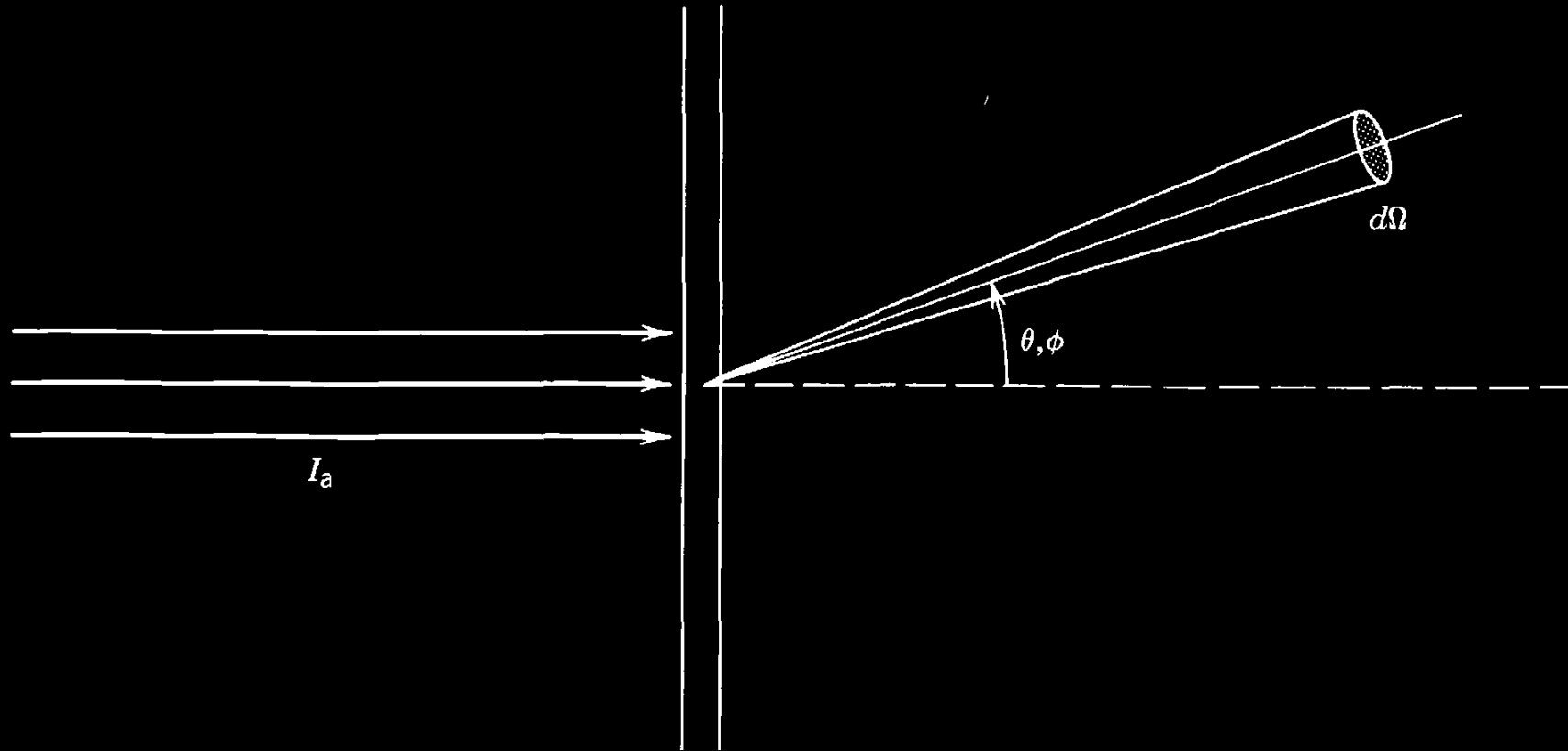
- ◇ C. Rolfs, Cauldron in Cosmos
- ◇ C. Iliadis, Nuclear Physics of Stars
- ◇ D. Clayton, Principles of Stellar Evolution and Nucleosynthesis
- ◇ M. Wiescher+M. Aliotta, lecture note of Nuclear Astrophysics
- ◇ E. Vogt, R-matrix theory, <https://archive.jinaweb.org/events/matrix/05-R-matrix.pdf>
- ◇ Descouvemont and Baye, R-matrix theory
- ◇ AZURE, <https://azure.nd.edu/>
- ◇ JINA Reaclib, <https://reaclib.jinaweb.org/>
- ◇ Nuclear data compilation: <https://nucldata.tunl.duke.edu/>, <https://www.nndc.bnl.gov/>

# Fundamental Forces

<http://hyperphysics.phy-astr.gsu.edu/hbase/Forces/funfor.html>

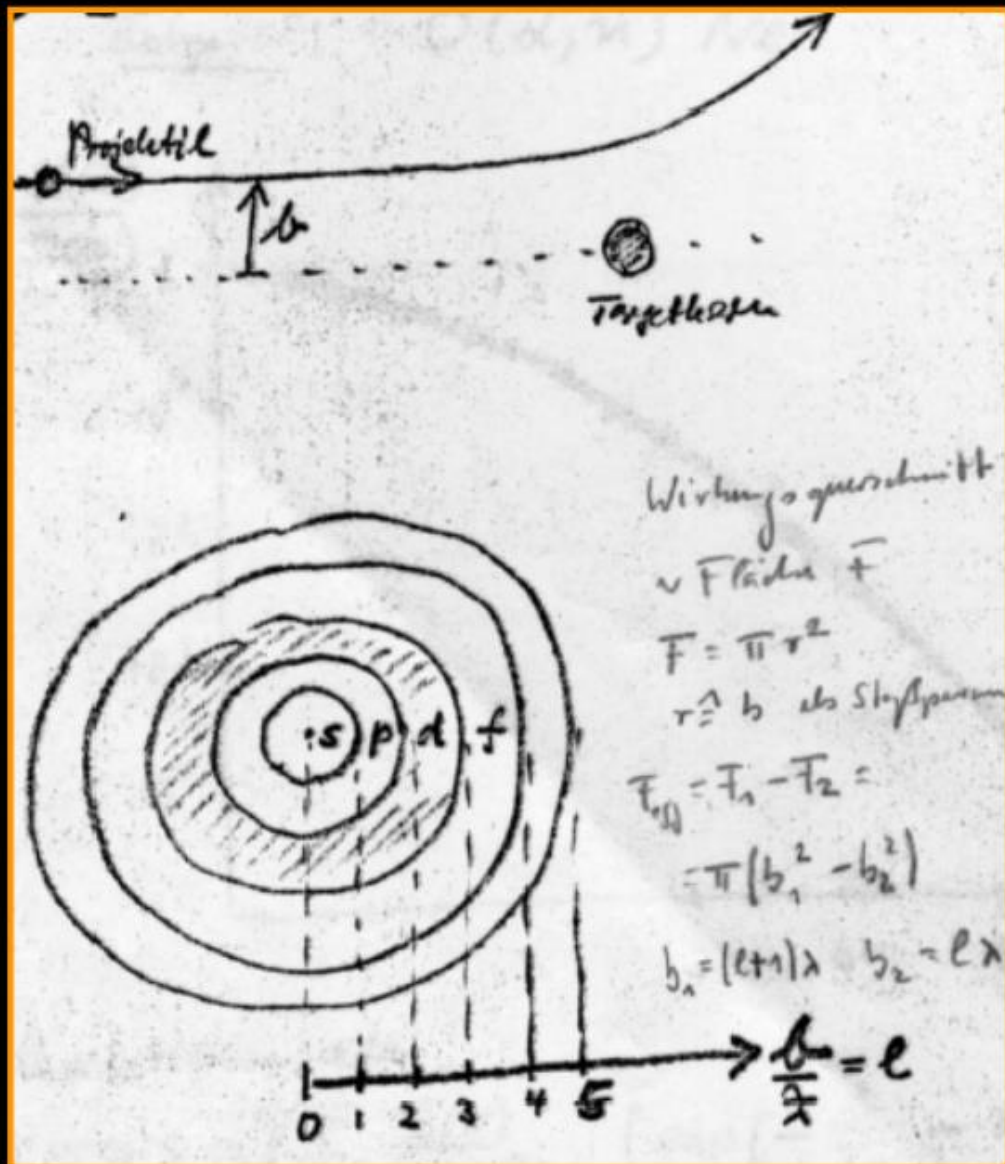
<i>Strong</i>		Strength <b>1</b>	Range (m) $10^{-15}$ (diameter of a medium sized nucleus)	Particle gluons, $\pi$ (nucleons)
<i>Electro-magnetic</i>		Strength $\frac{1}{137}$	Range (m) Infinite	Particle photon mass = 0 spin = 1
<i>Weak</i>		Strength $10^{-6}$	Range (m) $10^{-18}$ (0.1% of the diameter of a proton)	Particle Intermediate vector bosons $W^+$ , $W^-$ , $Z_0$ , mass > 80 GeV spin = 1
<i>Gravity</i>		Strength $6 \times 10^{-39}$	Range (m) Infinite	Particle graviton ? mass = 0 spin = 2

# Cross section



$$\sigma \equiv \frac{\text{(number of interactions per time)}}{\text{(number of incident particles per area per time)} \text{(number of target nuclei within the beam)}}$$

# Cross Section Estimates



cross section = area!

$$\sigma \cong F_{\text{nucleus}} = \pi \cdot r_{\text{nucleus}}^2 \approx (1.26)^2 \cdot \pi \cdot A^{2/3} [\text{fm}^2]$$

projectile orbital momentum  $\ell$

$$p = \hbar k = \frac{\hbar}{\lambda}; \quad L = \vec{b} \times \vec{p} \cong |b| \cdot |p| = b \cdot \hbar k = b \cdot \frac{\hbar}{\lambda}$$

$$L = \hbar \ell \Rightarrow b = \lambda \cdot \ell$$

orbital momentum  $\ell$  in  $\sigma$

$$\sigma_{\ell} \cong F_{\ell} = \pi \cdot (r_{\ell+1}^2 - r_{\ell}^2) = \pi \cdot (b_{\ell+1}^2 - b_{\ell}^2)$$

$$\sigma_{\ell} \cong \pi \cdot ((\ell+1)^2 - \ell^2) \cdot \lambda^2 = \pi \cdot (2\ell+1) \cdot \lambda^2$$

$$\sigma_{\ell}(E) \propto \frac{2\ell+1}{E}$$



# Cross section

cross section depends sensitively on:

- type of interaction
- properties of the nuclei involved
- reaction mechanism

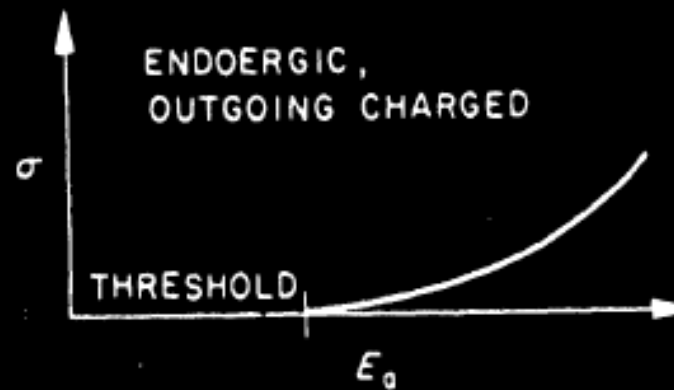
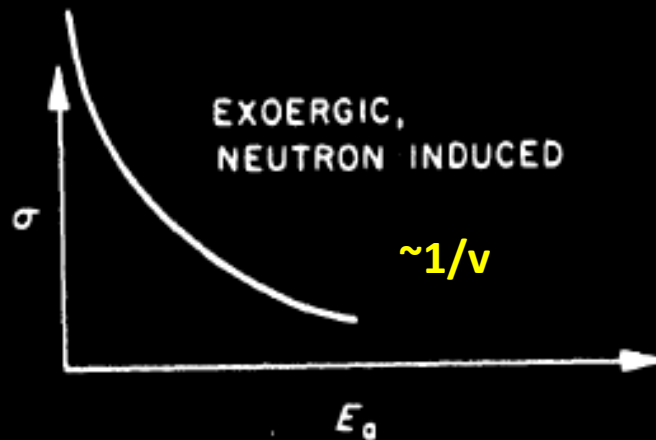
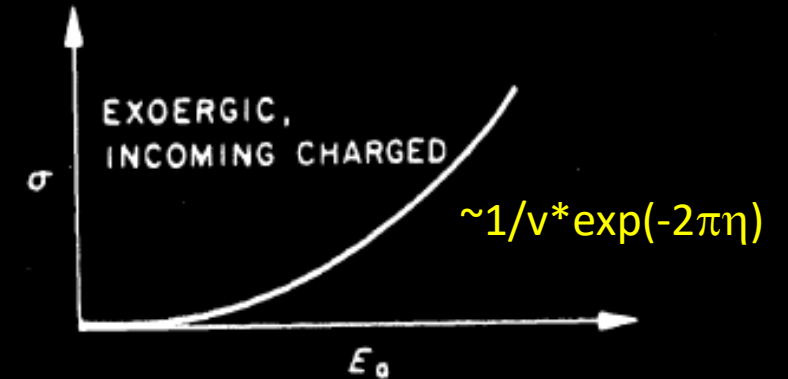
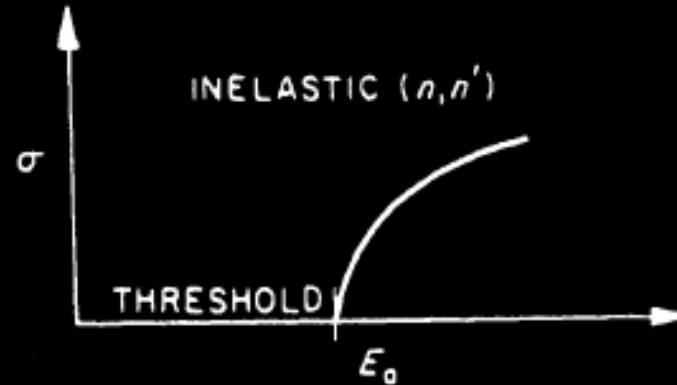
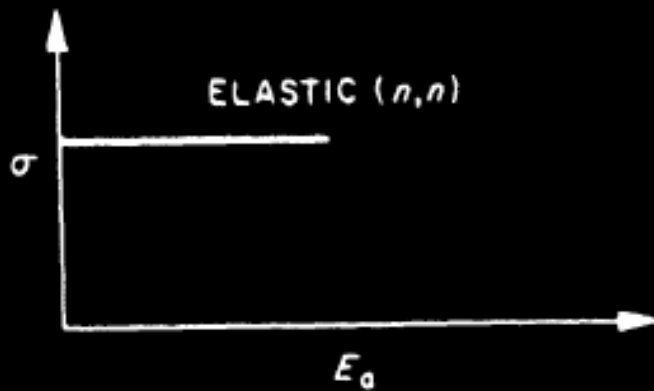
and can vary by orders of magnitude, depending on the interaction

examples:

Reaction	Force	$\sigma$ (barn)	$E_{\text{proj}}$ (MeV)
$^{15}\text{N}(p,\alpha)^{12}\text{C}$	strong	0.5	2.0
$^3\text{He}(\alpha,\gamma)^7\text{Be}$	electromagnetic	$10^{-6}$	2.0
$p(p,e^+\nu)d$	weak	$10^{-20}$	2.0

$$1 \text{ barn} = 10^{-24} \text{ cm}^2 = 100 \text{ fm}^2$$

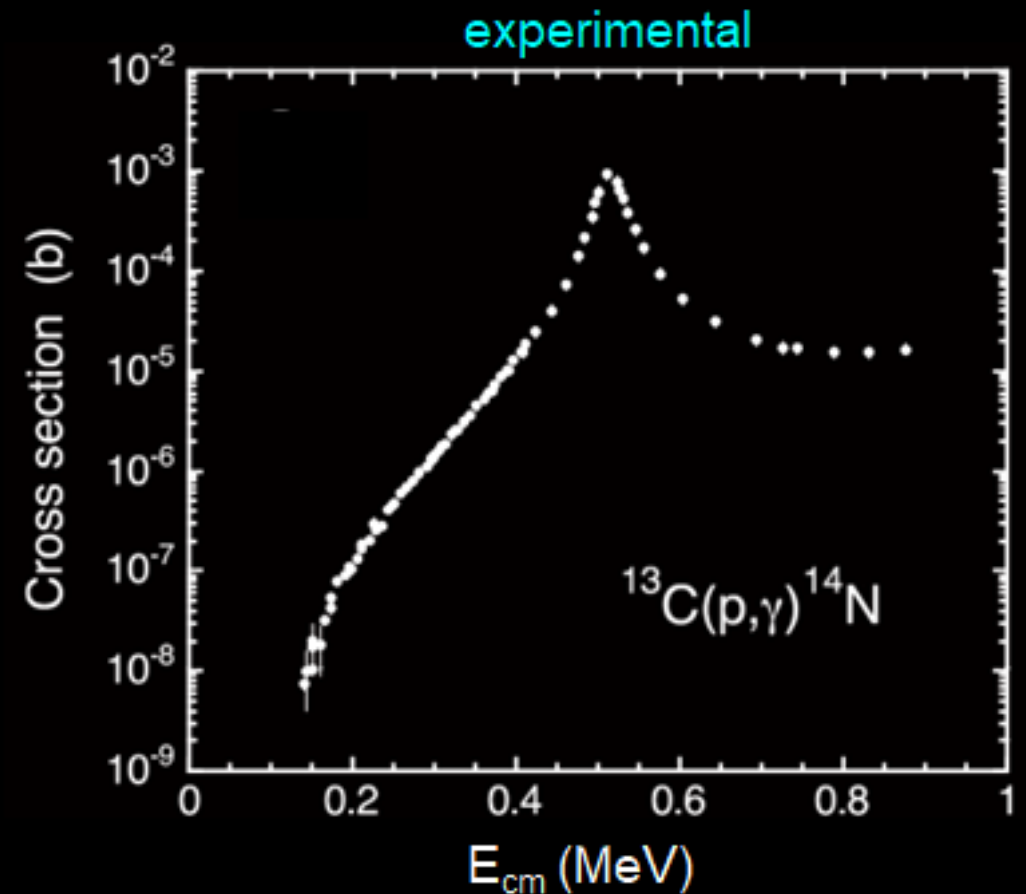
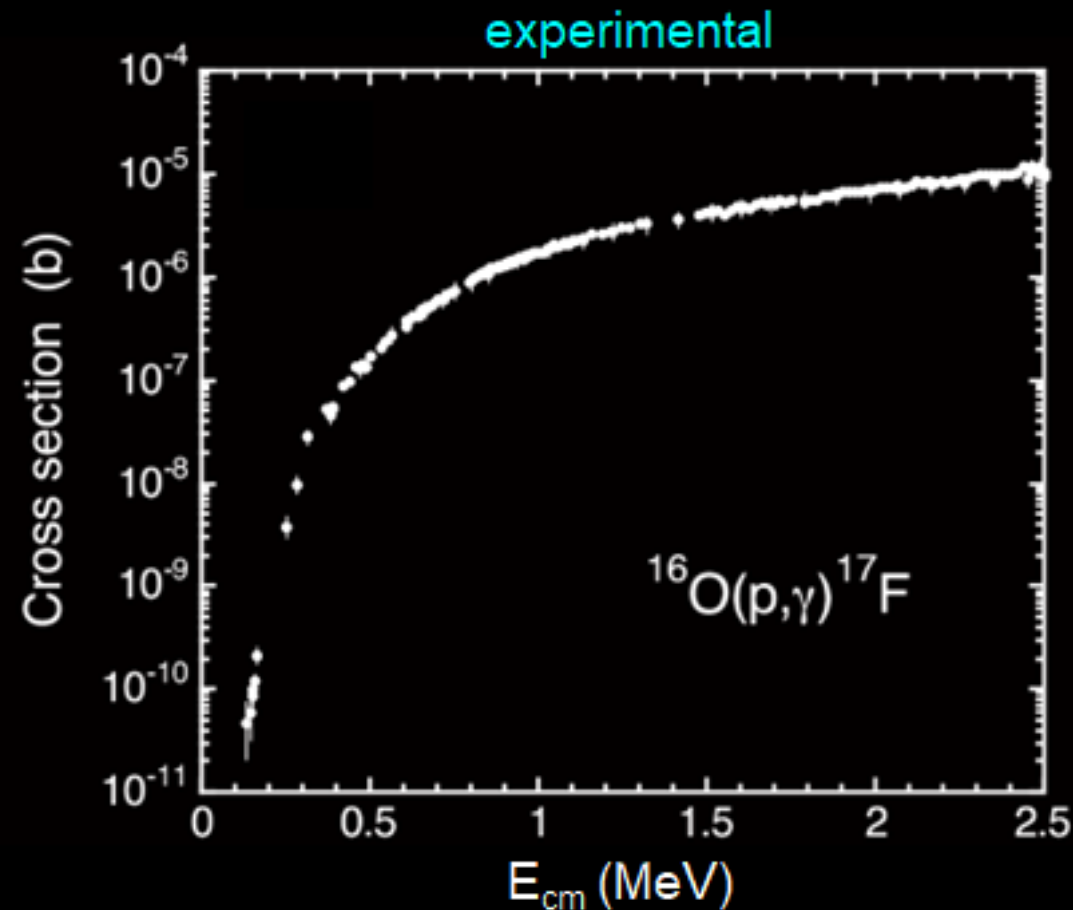
# Behavior of cross section near threshold



$$2\pi\eta = 0.989534 Z_0 Z_1 \sqrt{\frac{1}{E} \frac{M_0 M_1}{M_0 + M_1}}$$

$\eta$  is the Sommerfeld parameter  
 $E$  is the energy in MeV  
 $M_i$  is in the unit of amu

# Cross section (Charged particle induced Reaction)



# Experimental and theoretical nuclear astrophysics: the quest for the origin of the elements\*

William A. Fowler

*W. K. Kellogg Radiation Laboratory, California Institute of Technology, Pasadena, California 91125*

*Ad astra per aspera et per ludum*

TABLE I.

## DEFINITION OF THE S FACTOR (BETHE, 1967) AS A FUNCTION OF REACTION ENERGY (E)

$$\sigma(E) = \pi\lambda^2 \times P \times \text{INTRINSIC NUCLEAR FACTOR}$$

← s-wave !

$$\pi\lambda^2 \propto E^{-1} \quad \lambda = \text{DE BROGLIE WAVELENGTH}/2\pi$$

$$P(E) = \text{GAMOW PENETRATION FACTOR}$$

$$\propto \exp(-E_G^{1/2}/E^{1/2}) \quad E_G \approx Z_0^2 Z_1^2 A \text{ MeV}$$

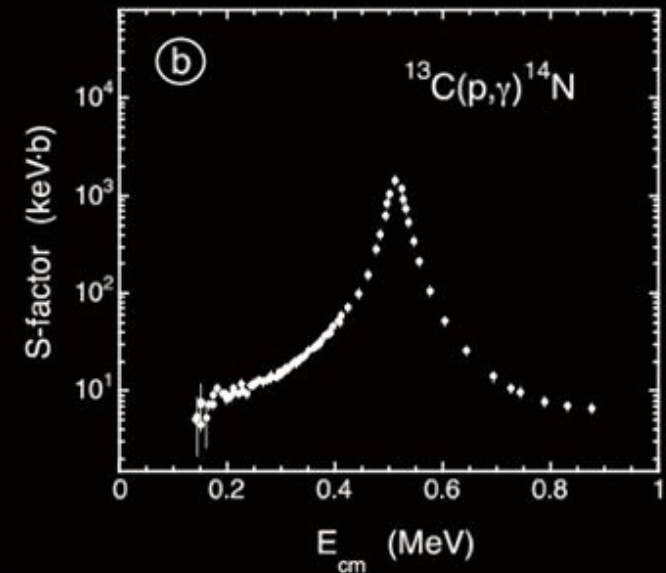
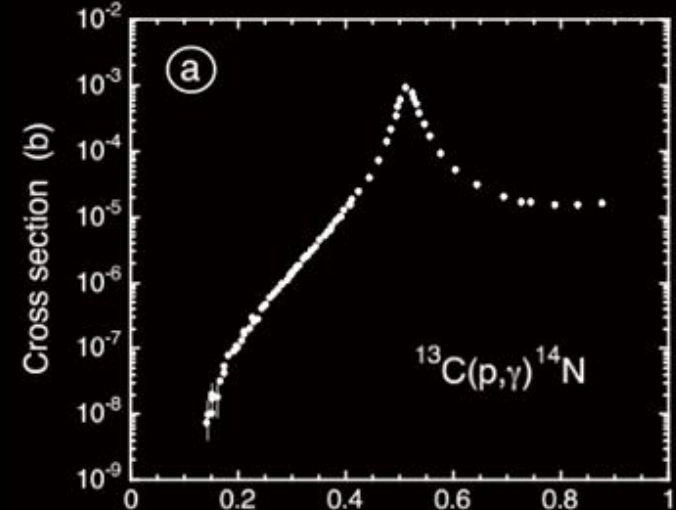
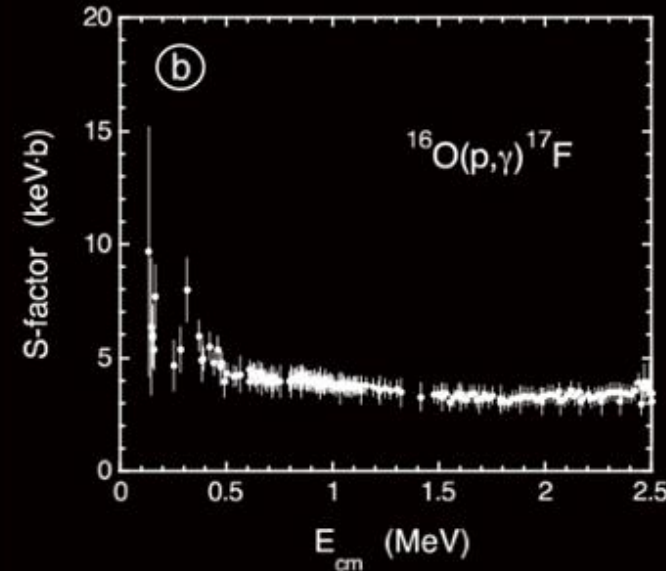
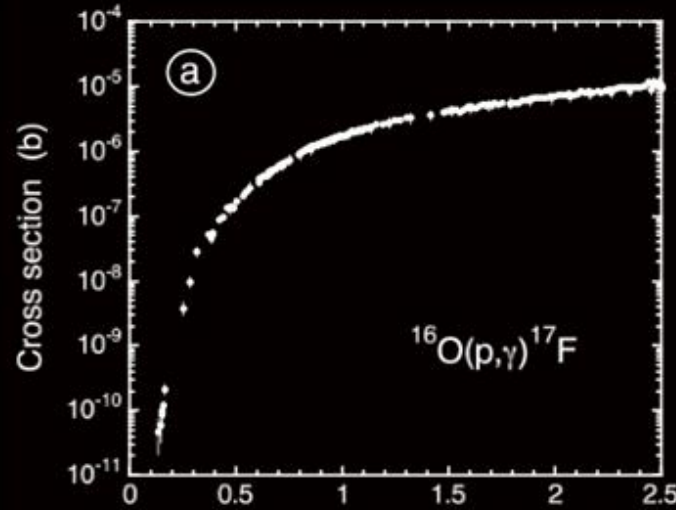
$$S(E) \equiv E\sigma(E) \exp(+E_G^{1/2}/E^{1/2})$$

S(E) { PERMITS MORE PRECISE EXTRAPOLATION FROM  
LOWEST ENERGY MEASUREMENTS IN LABORATORY  
TO VERY LOW EFFECTIVE STELLAR ENERGIES

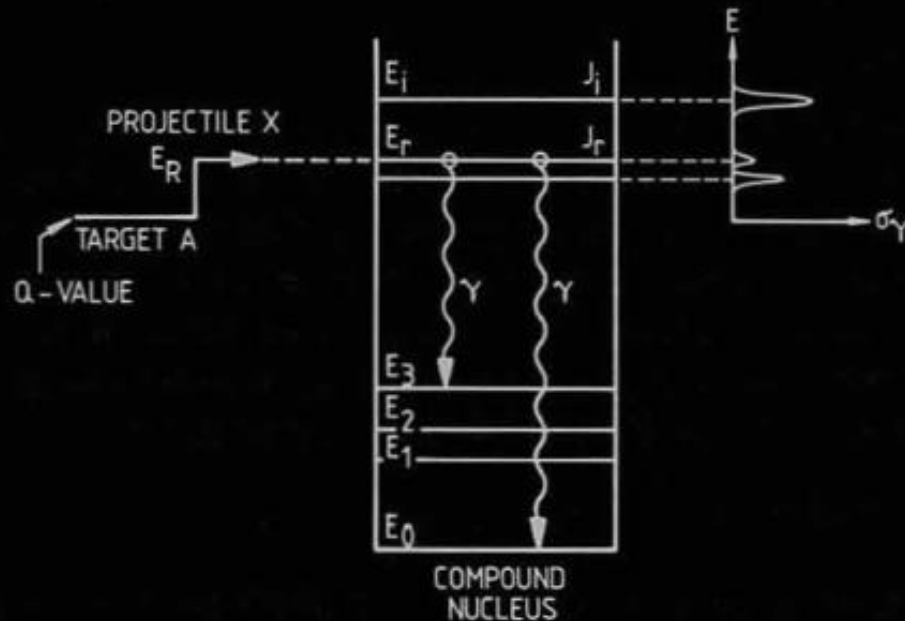
# S factor: complication of nuclear structure

$$\sigma(E) \equiv \frac{1}{E} e^{-2\pi\eta} S(E)$$

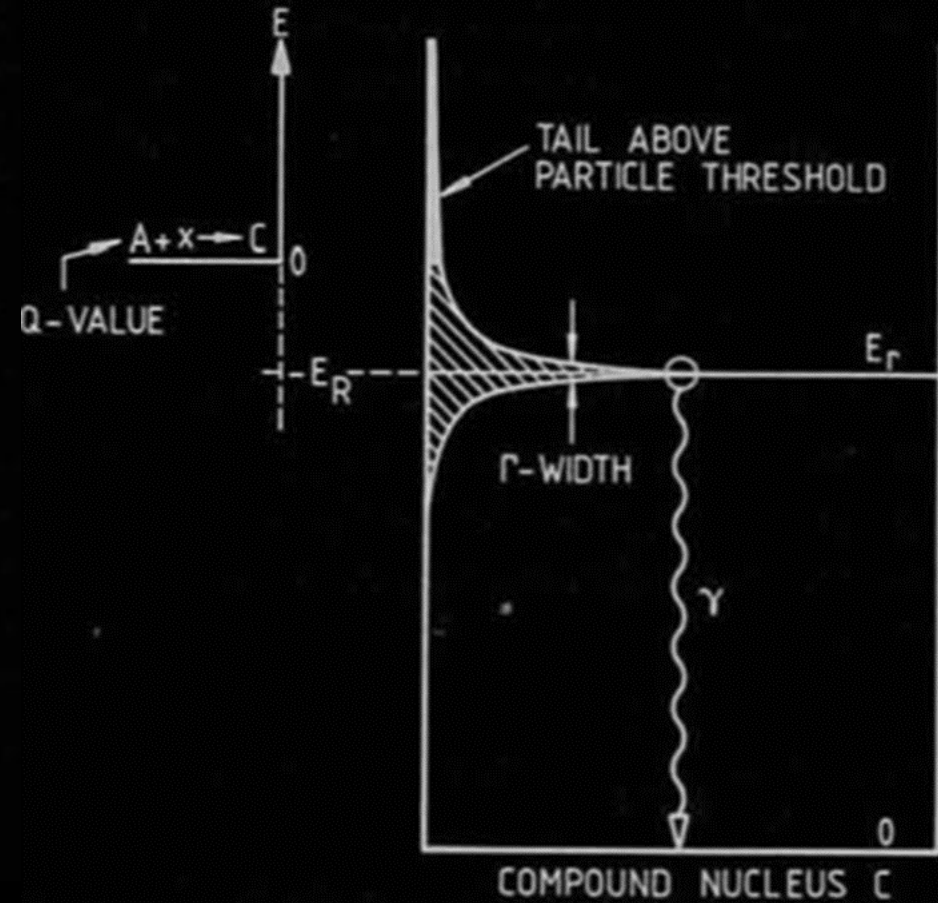
“astrophysical S-factor”



# Resonance

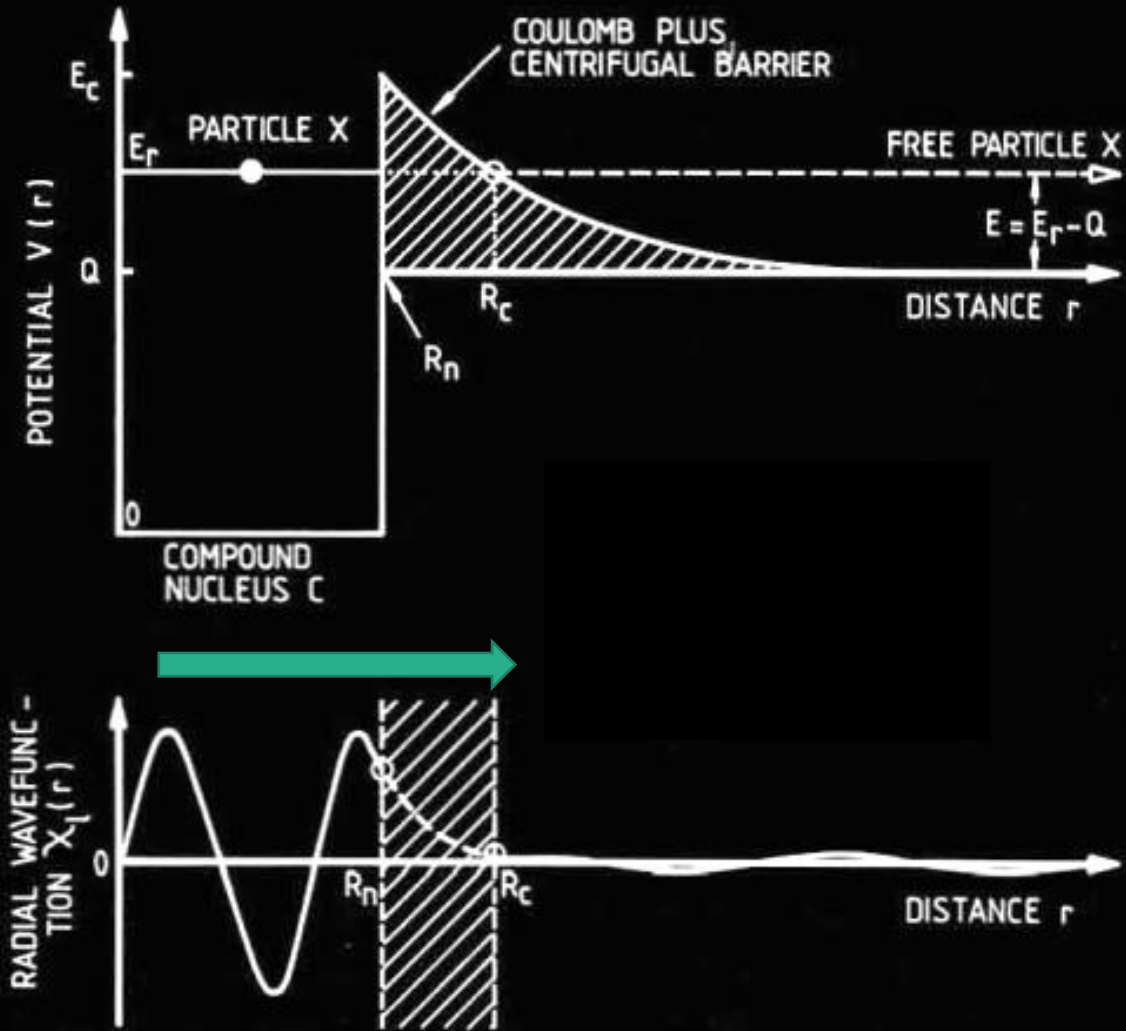


Resonance above the threshold

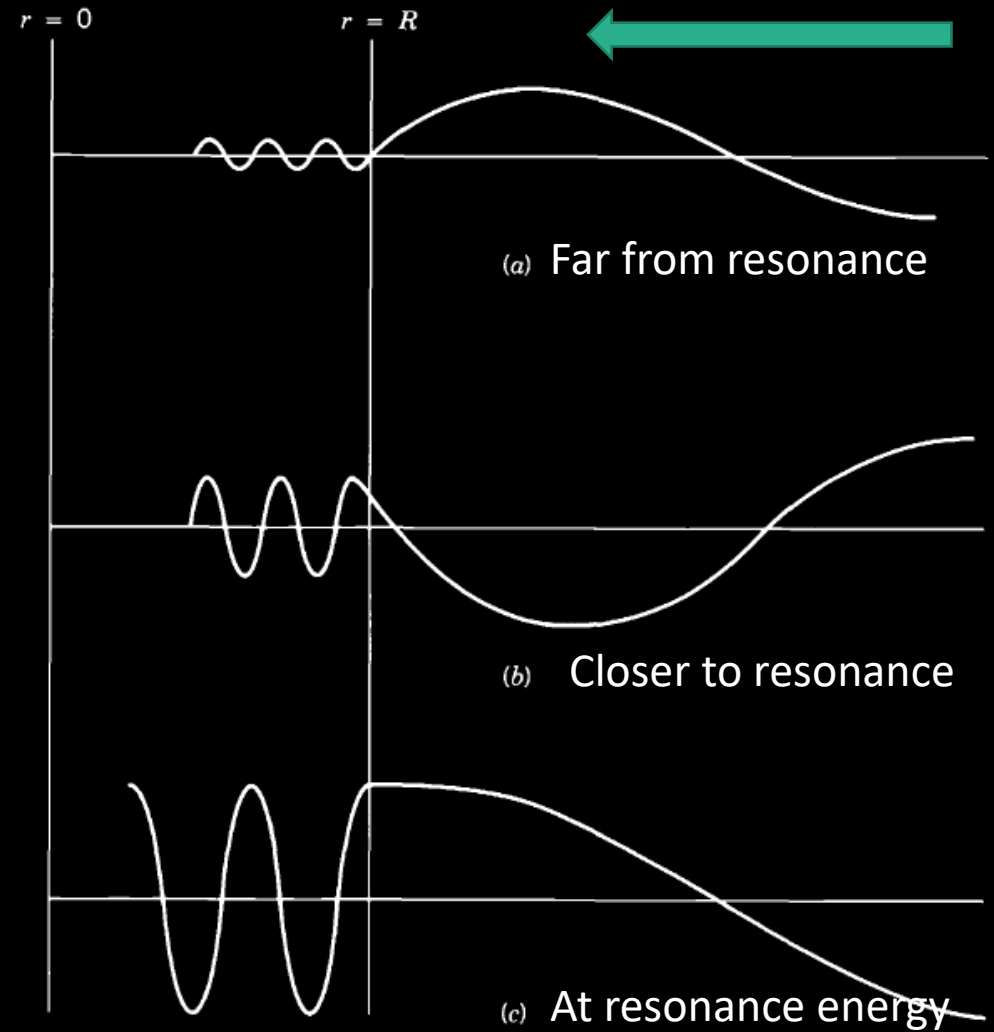


Sub-threshold Resonance <sup>14</sup>

# Decay of an excited state

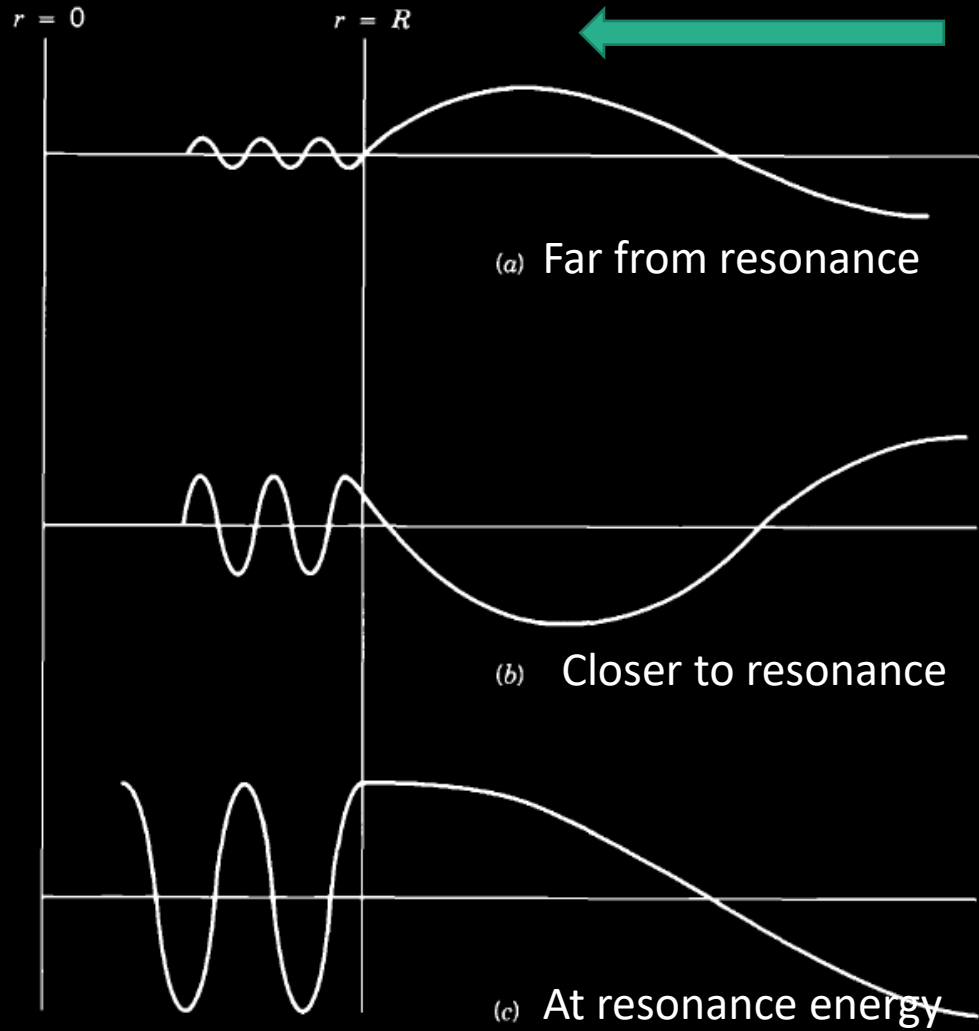


# Resonance of reaction

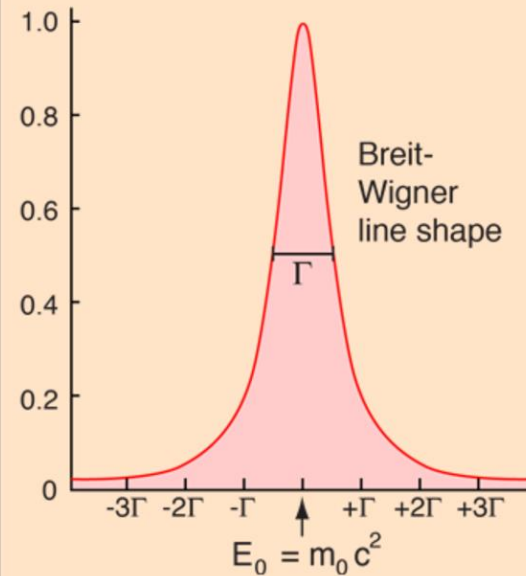


# Resonance

$$\Gamma = \lambda \hbar$$



## Particle lifetimes from the uncertainty principle



The [uncertainty principle](#) provides a tool for characterizing the very short-lived products produced in high energy collisions in accelerators. The uncertainty principle in the form

$$\Delta E \Delta t > \frac{\hbar}{2}$$

suggests that for particles with extremely short lifetimes, there will be a significant uncertainty in the measured energy. The measurement of the mass energy of an unstable particle a large number of times gives a distribution of energies called a Lorentzian or a Breit-Wigner distribution.

The Breit-Wigner distribution is similar to a gaussian near the peak, but the tails of the curve are flatter.

If the width of this distribution at half-maximum is labeled  $\Gamma$ , then the uncertainty in energy  $\Delta E$  could be reasonably expressed as

$$\Delta E = \frac{\Gamma}{2} = \frac{\hbar}{2\tau}$$

where the particle lifetime  $\tau$  is taken as the uncertainty in time  $\tau = \Delta t$ .



# Breit-Wigner formula

Partial widths for incoming and outgoing channel

De Broglie wavelength

Identity particle

$$\sigma_{\text{BW}}(E) = \frac{\lambda^2}{4\pi} \frac{(2J+1)(1+\delta_{01})}{(2j_0+1)(2j_1+1)} \frac{\Gamma_a \Gamma_b}{(E_r - E)^2 + \Gamma^2/4}$$

spin factor

resonance energy

total width

**Resonance strength:**  $\omega\gamma = \frac{(2J+1)}{(2J_p+1)(2J_t+1)} \frac{\Gamma_a \Gamma_b}{\Gamma}$

**Total width**  $\Gamma = \sum_i \Gamma_i$

# Partial widths

a constant if there is only 1 level

For proton, neutron, alpha...:  $\Gamma_{\lambda c} = 2P_c \gamma_{\lambda c}^2$

Reduced width:  $\gamma_{\lambda c}^2 = \theta_{\lambda c}^2 \frac{3\hbar^2}{2mR^2}$

Dimensionless reduced width < 1

Wigner limit

$$P_\ell = R \left( \frac{k}{F_\ell^2 + G_\ell^2} \right)_{r=R}$$

where  $F_\ell$  is the regular Coulomb function and  $G_\ell$  is the irregular Coulomb function

For s-wave charged particle, ( $l=0$ ) and  $E \ll E_c$ ,

$$P_0 \sim kR \exp(-2\pi\eta)$$

$$2\pi\eta = 0.989534 Z_0 Z_1 \sqrt{\frac{1}{E} \frac{M_0 M_1}{M_0 + M_1}}$$

$\eta$  is the Sommerfeld parameter  
 $E$  is the energy in MeV  
 $M_i$  is in the unit of amu

For neutron,  
 $F_1(\rho) = \rho * j_1(\rho)$   
 $G_1(\rho) = \rho * n_1(\rho)$

Eg. s-wave neutron ( $l=0$ ),  
 $P_0 = kR$

# Penetration factors

$$P_\ell = R \left( \frac{k}{F_\ell^2 + G_\ell^2} \right)_{r=R}$$

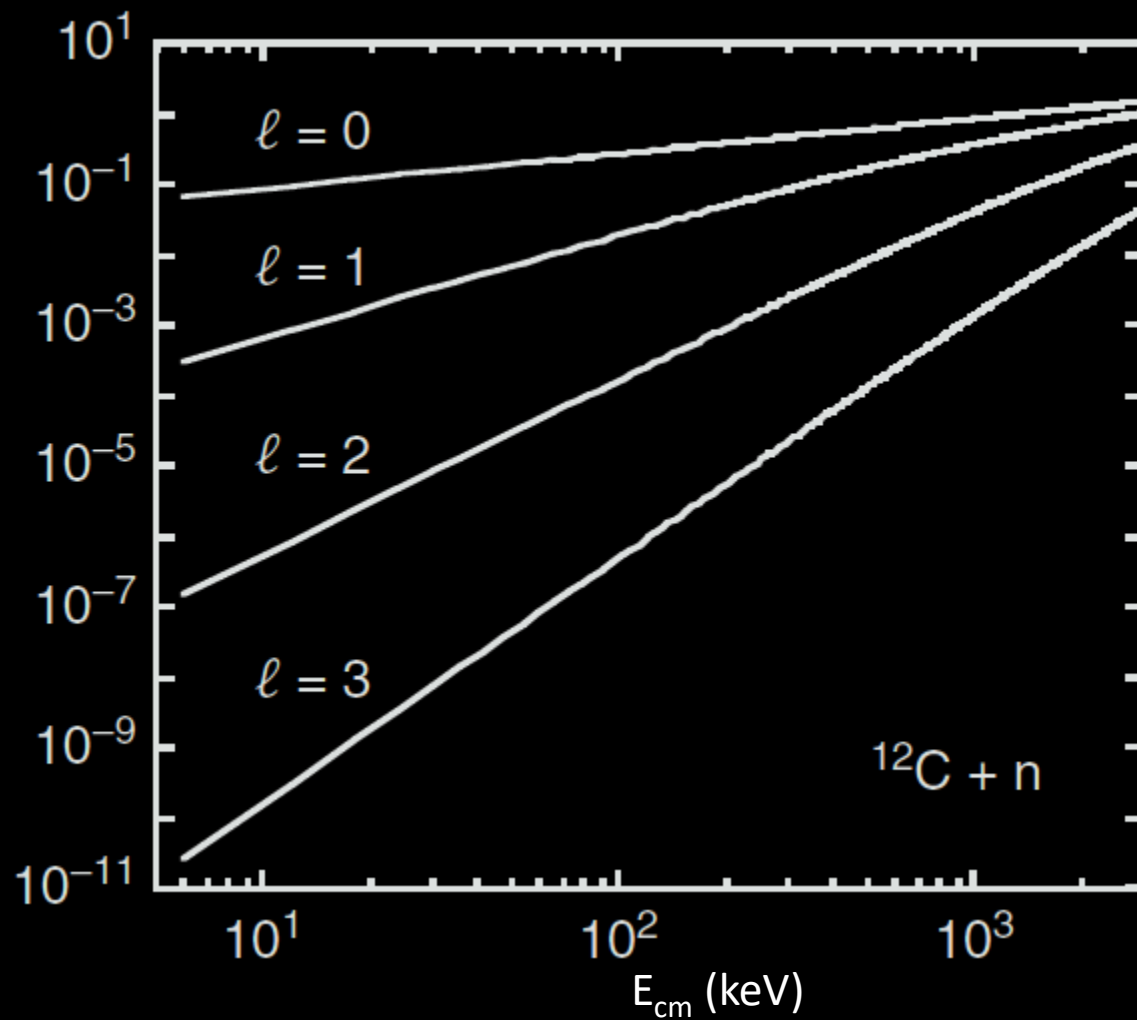
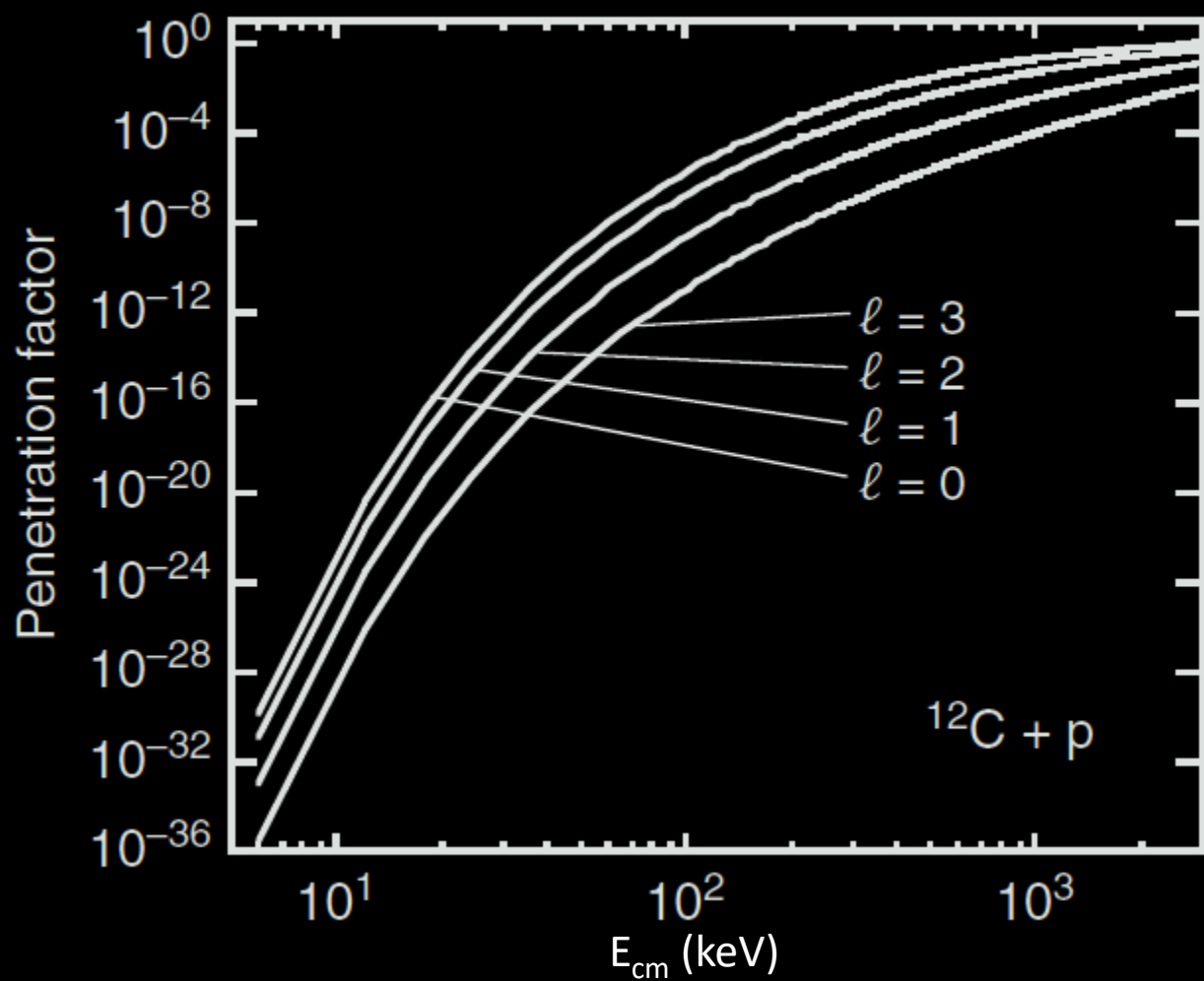
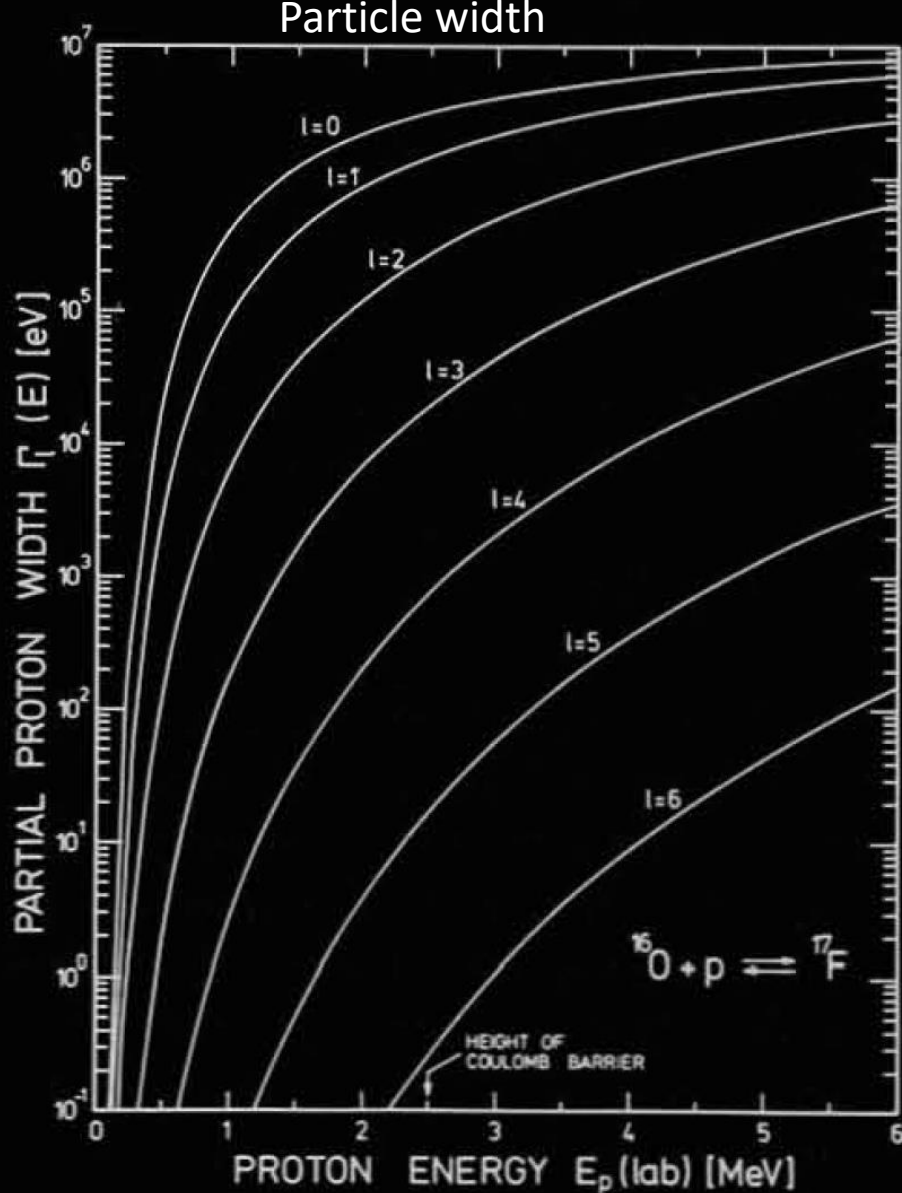


Fig. 2.21 from Iliadis's book



Width reported in NNDC

$$\Gamma_l(E) = \Gamma_l(E_r) \frac{P_l(E)}{P_l(E_r)}$$

$$P_\ell = R \left( \frac{k}{F_\ell^2 + G_\ell^2} \right)_{r=R}$$

$$\rho = 0.218735 \cdot r \sqrt{\frac{M_p M_t}{M_p + M_t} E}$$

$$\eta = 0.157489 \cdot Z_p Z_t \sqrt{\frac{M_p M_t}{M_p + M_t} \frac{1}{E}}$$

where  $M_i$ ,  $E$  and  $r$  are in units of u, MeV and fm, respectively.

FIGURE 4.14. The maximum partial width  $\Gamma_l(E)$  of the reaction channel  $^{16}\text{O} + p \rightleftharpoons ^{17}\text{F}$  for increasing values of the orbital angular momentum  $l$  ( $R_n = 4.6$  fm). The energetic location of the Coulomb barrier is also indicated. Note the logarithmic scale of the ordinate.

# Partial widths

## Decay constant of electromagnetic transition

$$\lambda(\overline{\omega}L) = \frac{8\pi}{L[(2L+1)!!]^2} \frac{1}{\hbar} \left(\frac{E_\gamma}{\hbar c}\right)^{2L+1} B(\overline{\omega}L)$$

reduced transition probability

$B(\overline{\omega}L)$

multipolarity

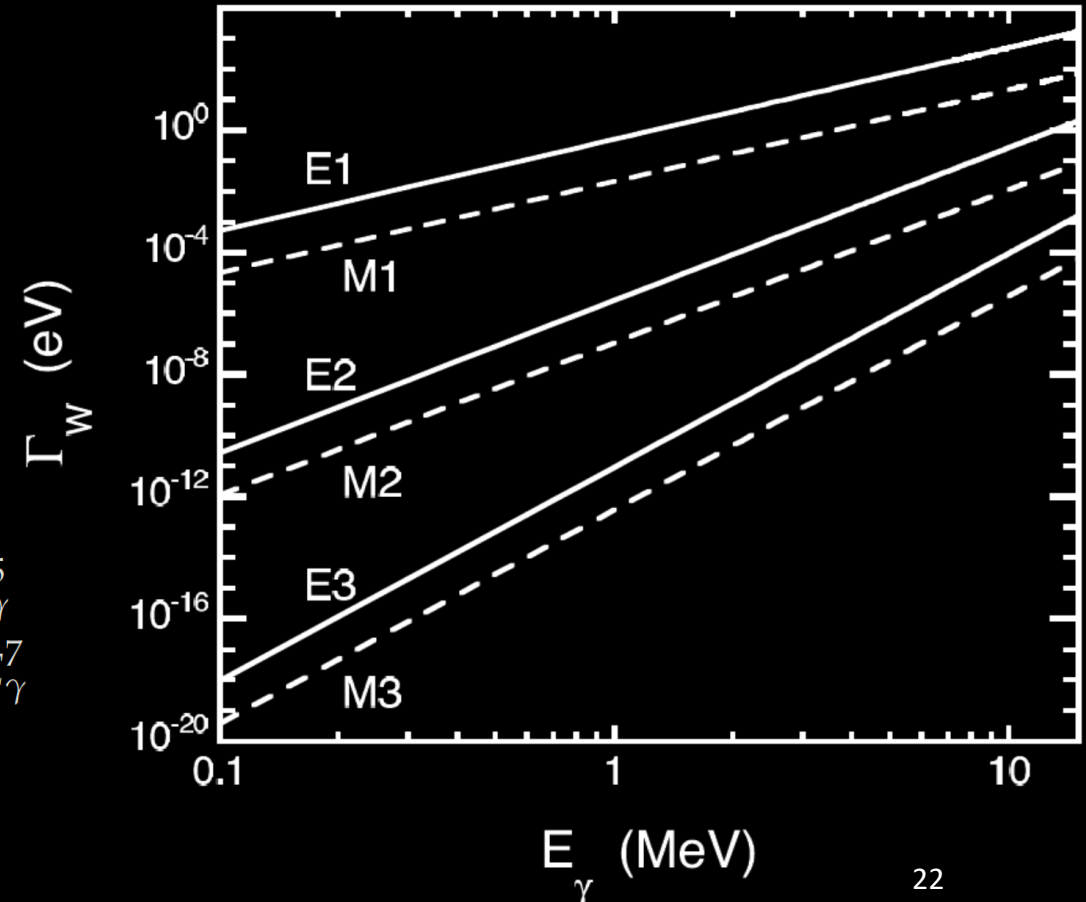
$$\Gamma = \lambda \hbar \sim E_\gamma^{2L+1}$$

## Weisskopf estimates in units of eV, $E_\gamma$ in MeV

$$\begin{aligned} \lambda_W(E1)\hbar &= 6.8 \times 10^{-2} A^{2/3} E_\gamma^3, & \lambda_W(M1)\hbar &= 2.1 \times 10^{-2} E_\gamma^3 \\ \lambda_W(E2)\hbar &= 4.9 \times 10^{-8} A^{4/3} E_\gamma^5, & \lambda_W(M2)\hbar &= 1.5 \times 10^{-8} A^{2/3} E_\gamma^5 \\ \lambda_W(E3)\hbar &= 2.3 \times 10^{-14} A^2 E_\gamma^7, & \lambda_W(M3)\hbar &= 6.8 \times 10^{-15} A^{4/3} E_\gamma^7 \end{aligned}$$

Transitions with changed parity : E1, M2, E3

Transitions with non changed parity: M1, E2, M3



Compare the energy dependence of the particle width (s-wave) with that of the gamma width at  $E_{cm}=0.01, 0.1, 1$  MeV. Assume that the gamma ray decay to the ground state of  $^{17}\text{F}$ .

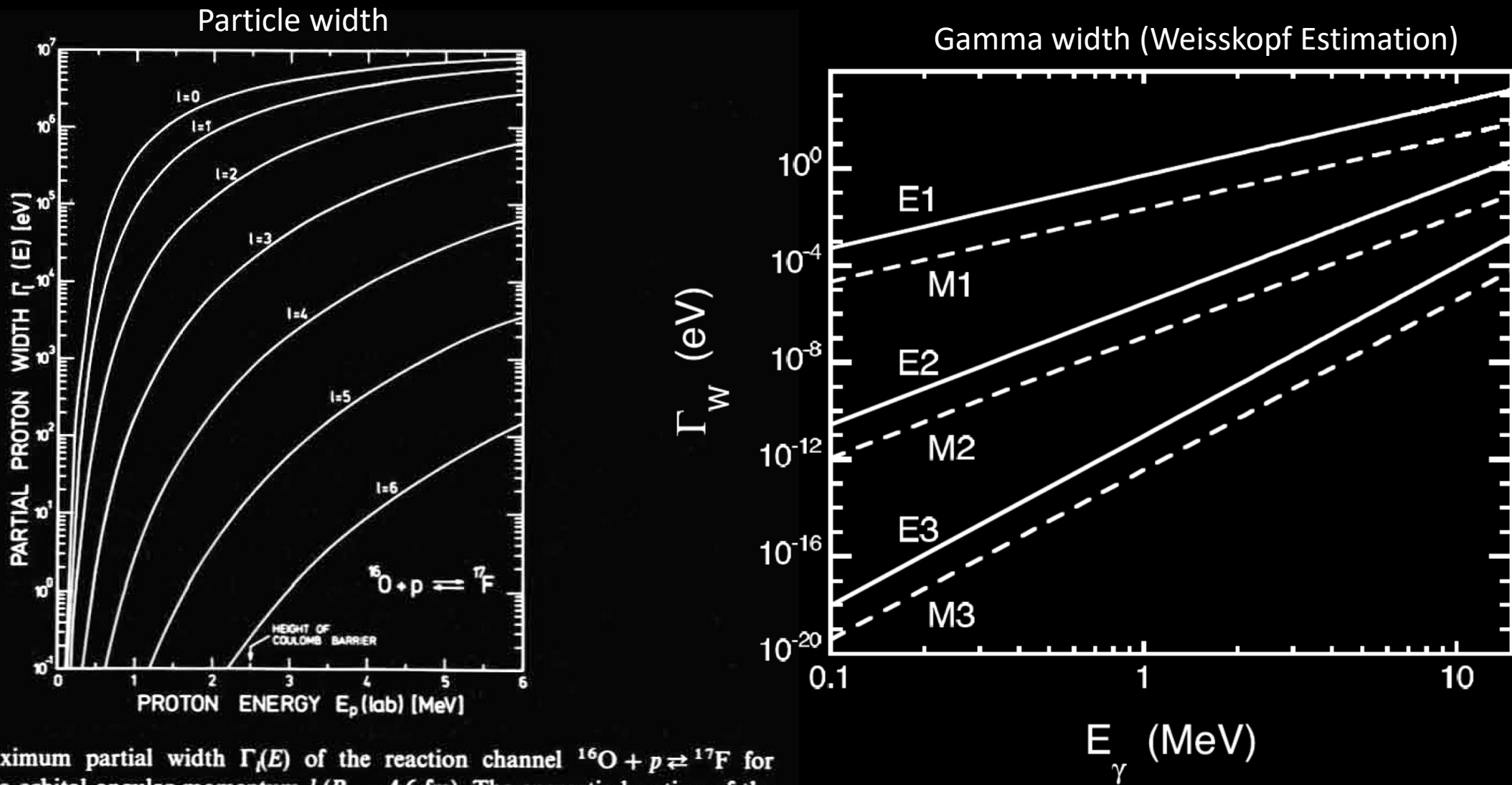
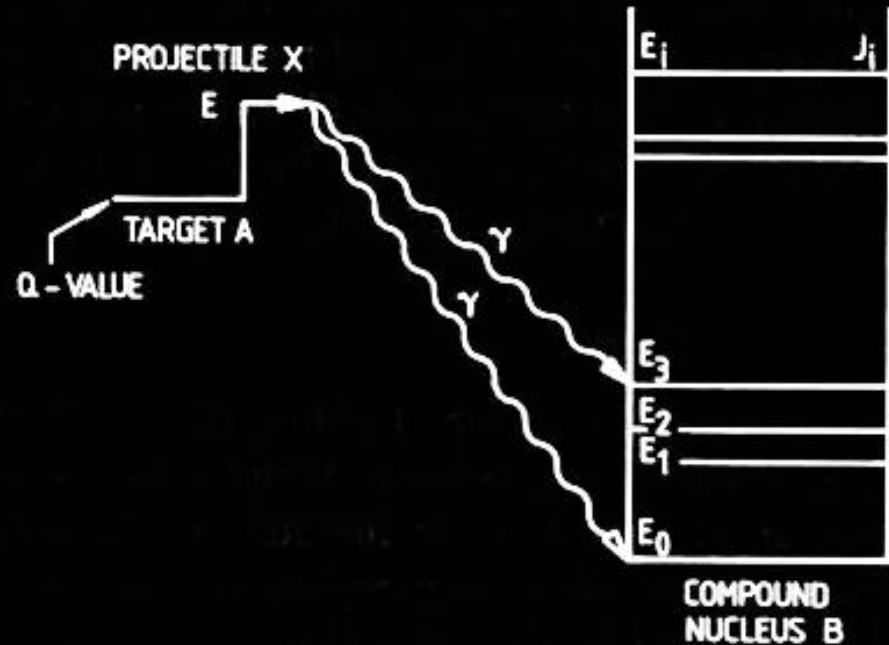
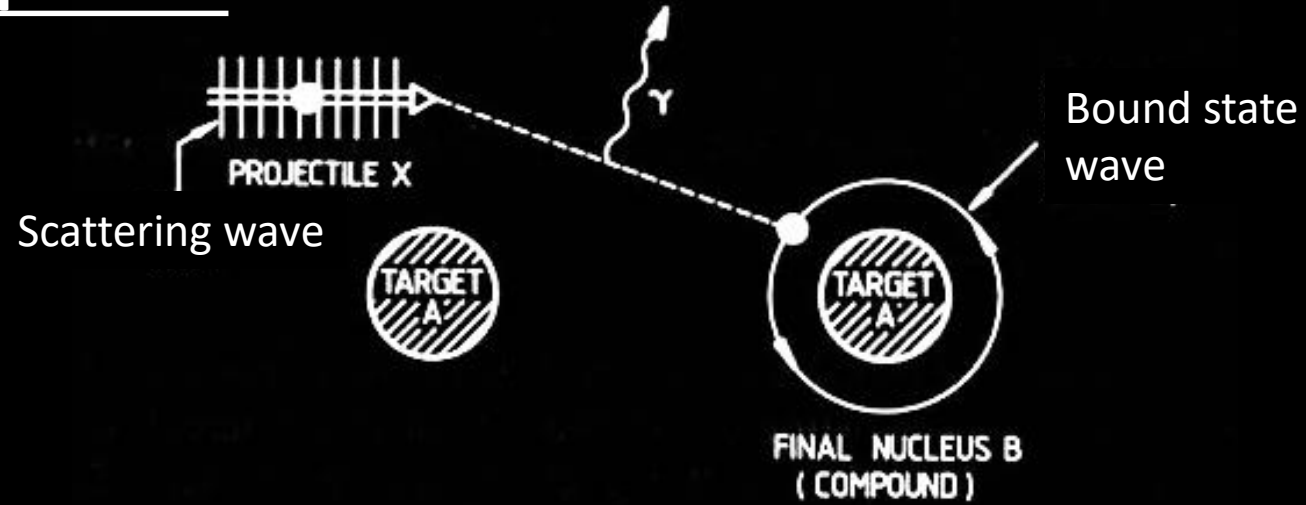
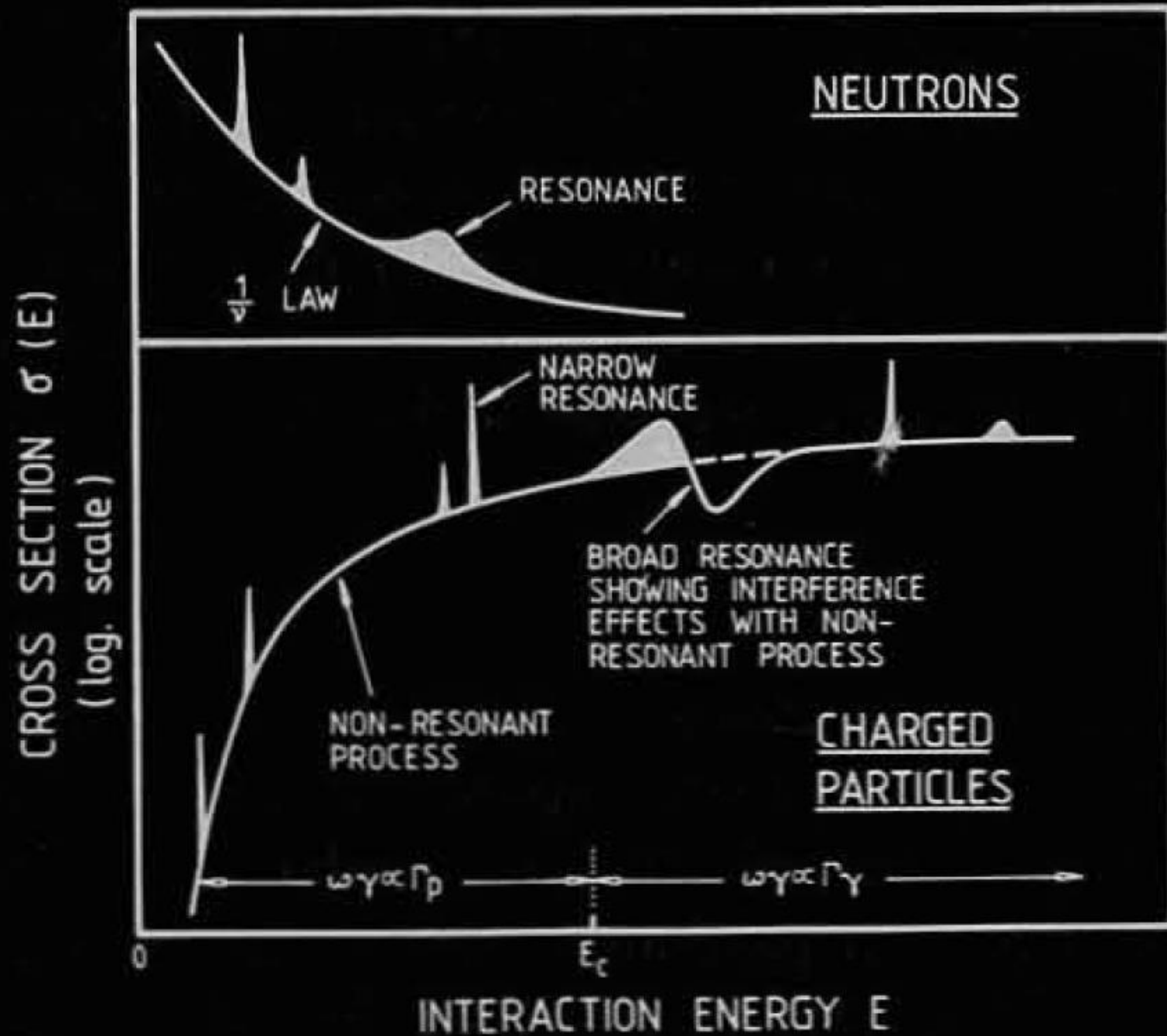


FIGURE 4.14. The maximum partial width  $\Gamma_l(E)$  of the reaction channel  $^{16}\text{O} + p \rightleftharpoons ^{17}\text{F}$  for increasing values of the orbital angular momentum  $l$  ( $R_n = 4.6$  fm). The energetic location of the Coulomb barrier is also indicated. Note the logarithmic scale of the ordinate.

# Direct capture

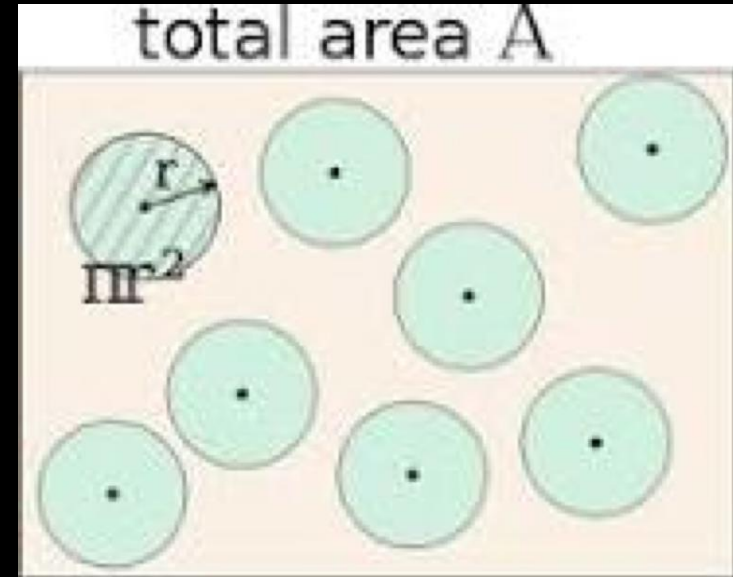
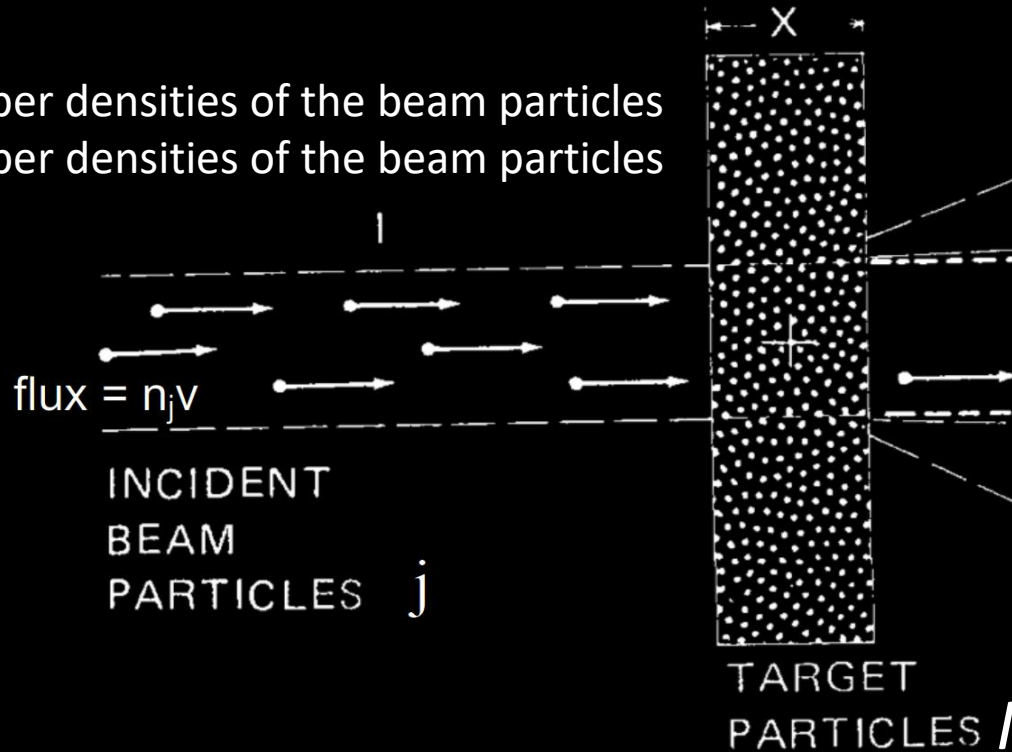






# Reaction Rate

$n_j$ : number densities of the beam particles  
 $n_i$ : number densities of the beam particles



Total area of target nuclei per  $\text{cm}^2 = n_i \sigma_i$

Reaction rate per  $\text{cm}^3$  per sec =  $n_j v n_i \sigma_i$

The reaction rate for the two reactants,  $I$  and  $J$  as in e.g.,  $I + J \rightarrow L$  is:

$$n_I n_J \sigma_{IJ} v$$

which has units “reactions  $\text{cm}^{-3} \text{s}^{-1}$ ”

It is often more convenient to write abundances in terms of the mole fractions,

$$Y_I = \frac{X_I}{A_I} \quad n_I = \rho N_A Y_I$$

so that the rate becomes

$$(\rho N_A)^2 Y_I Y_J \sigma_{IJ} v$$

and a term in a rate equation describing the destruction of  $I$  might be

$$\frac{dY_I}{dt} = -\rho Y_I Y_J N_A \langle \sigma_{IJ} v \rangle + \dots$$

Equivalent to

$$\frac{dn_I}{dt} = -n_I n_J \langle \sigma_{IJ} v \rangle + \dots$$

# Stellar reaction rates

$$r = \frac{1}{1 + \delta_{pT}} Y_T Y_p \rho^2 N_A^2 \langle \sigma v \rangle \quad \text{reactions per s and cm}^3$$

$$\lambda = \frac{1}{1 + \delta_{pT}} Y_p \rho N_A \langle \sigma v \rangle \quad \text{reactions per s \& Target nucleus}$$

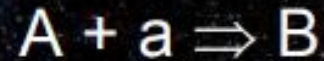
this is usually referred to as the **stellar reaction rate**

units of stellar reaction rate  $N_A \langle \sigma v \rangle$ : usually  $\text{cm}^3/\text{s}/\text{mole}$

$$n_T = \rho \cdot N_A \cdot \frac{X_T}{A_T} = \rho \cdot N_A \cdot Y_T$$

$X_T$ : mass fraction  
 $Y_T$ : abundance

# Change in Abundance



A reaction is a **random process** with a reaction probability (reaction rate) and follows the **laws of radioactive decay**:

Depletion of isotope A

$$\frac{dn_A}{dt} = -n_A \lambda = -n_A \underline{Y_a \rho N_A} \langle \sigma v \rangle$$

Formation of isotope B

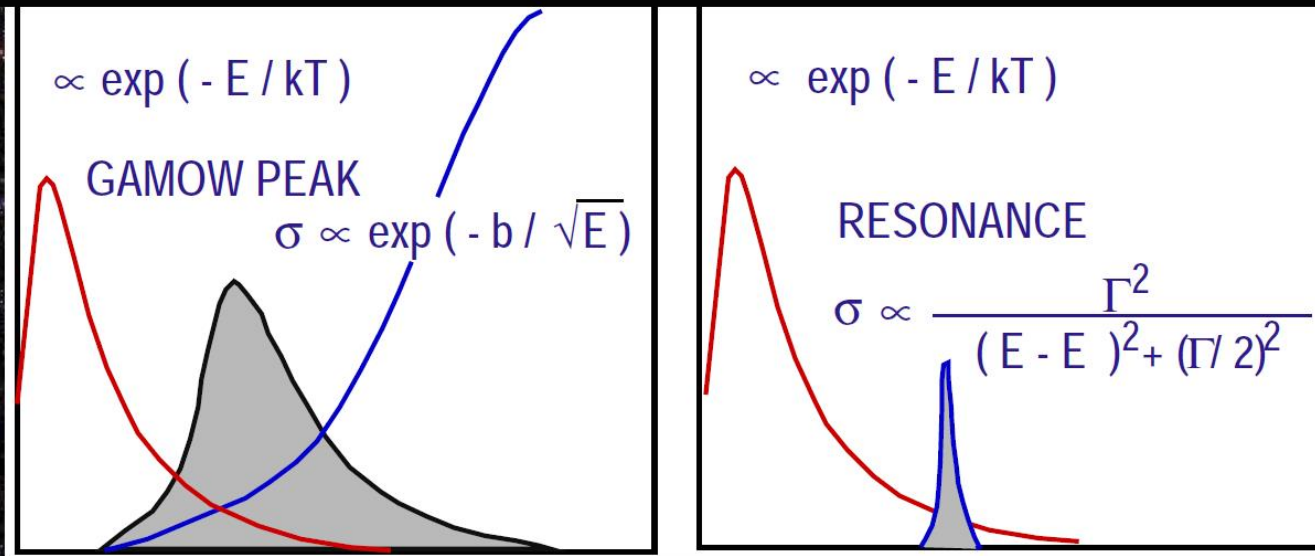
$$\frac{dn_B}{dt} = +n_A \lambda$$

consequently:

$$n_A(t) = n_{0A} e^{-\lambda t}$$

$$n_B(t) = n_{0A} (1 - e^{-\lambda t})$$

# Gamow peak & Reaction rate



## Nonresonant Reaction Contributions

$$N_A \langle \sigma v \rangle \propto T^{-3/2} \int \sigma E \exp(-E/kT) dE$$

## Resonant Reaction Rate

$$N_A \langle \sigma v \rangle \propto T^{-3/2} \omega \gamma \exp(-E_R/kT)$$

$\sigma$ : cross section

$\omega \gamma$ : res. strength

$E_R$ : res. energy

# The Gamow Range of Stellar Burning

The **Gamow window** or the range of relevant cross section for “non-resonant” processes is calculated:

Check derivation in book

$$E_0 = \left( \frac{bkT}{2} \right)^{3/2} = 0.122 \cdot (Z_1^2 Z_2^2 A)^{1/3} T_9^{2/3} \text{ MeV}$$

$$\Delta E = \frac{4}{\sqrt{3}} \sqrt{E_0 kT} = 0.2368 \cdot (Z_1^2 Z_2^2 A)^{1/6} T_9^{5/6} \text{ MeV}$$

with A “reduced mass number” and  $T_9$  the temperature in GK

# Reaction rate from S-factor

If S-factor  $\sim$  constant over the Gamow range  
the rate is calculated in terms of the S-factor

$$S(E) = S(E_0)$$

$$N_A \langle \sigma v \rangle = 7.83 \cdot 10^9 \left( \frac{Z_1 Z_2}{\mu T_9} \right)^{1/3} S(E_0) [\text{MeV barn}] e^{-4.2487 \left( \frac{Z_1^2 Z_2^2 \mu}{T_9} \right)^{1/3}}$$

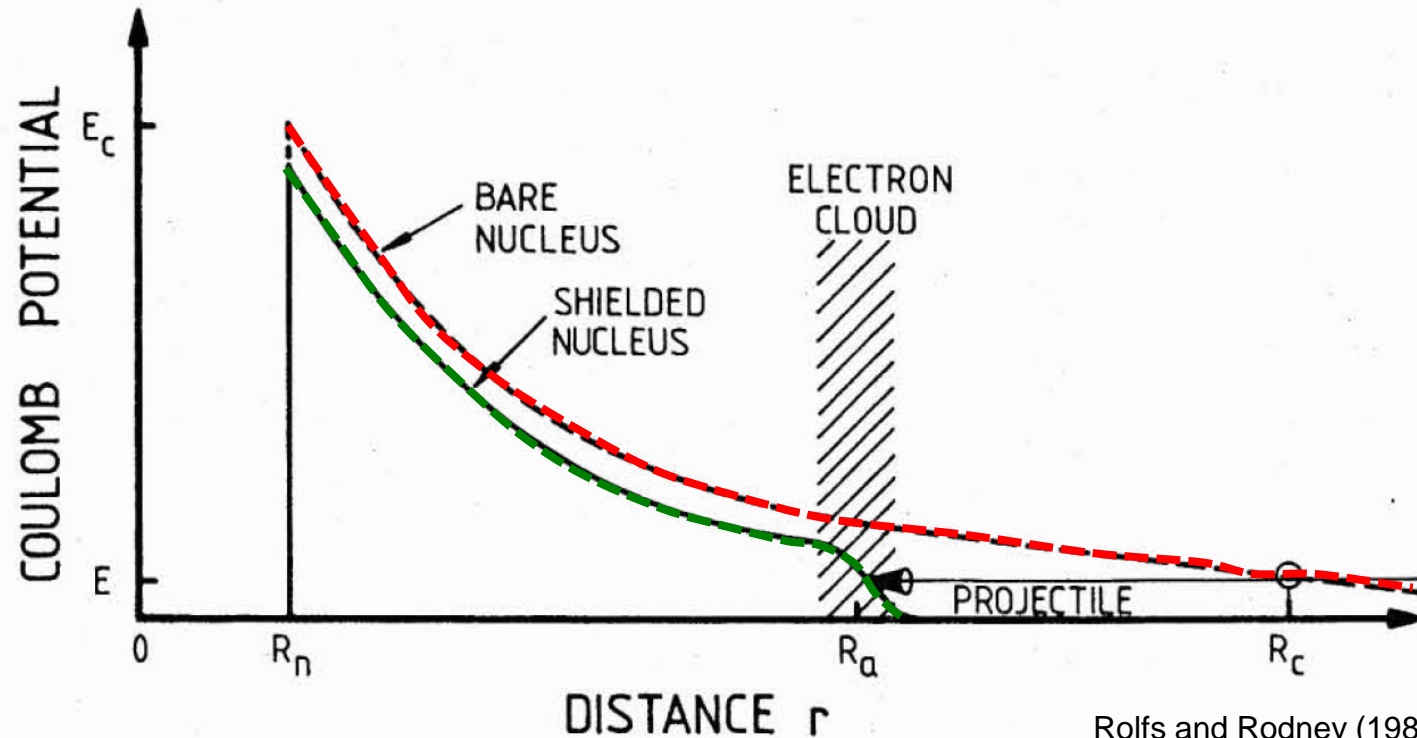
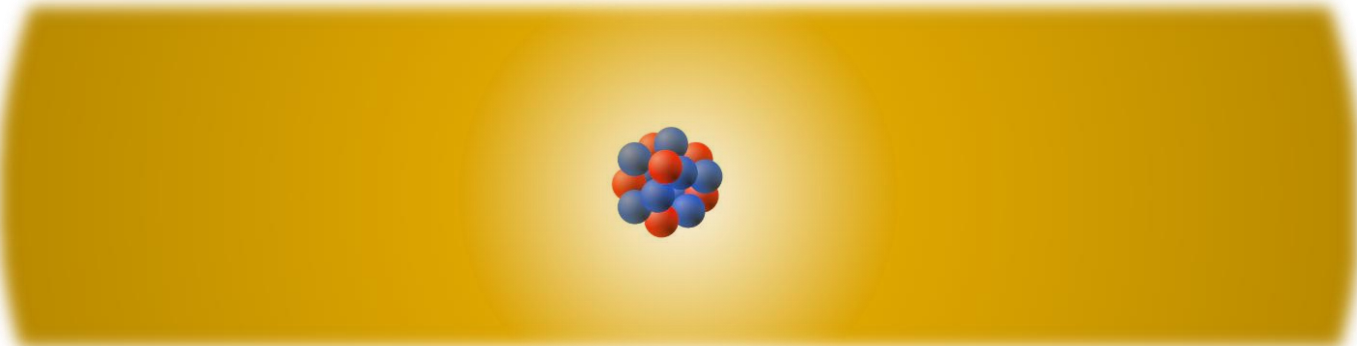
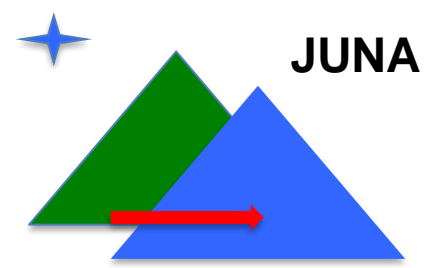
Otherwise energy dependence needs to be approximated!



# Screening effect

$U_e$ : Screening potential

$$f_{\text{lab}}(E) = \sigma_s(E) / \sigma_b(E) \approx \exp(\pi\eta U_e/E) \geq 1$$



Rolfs and Rodney (1988)

Assenbaum, Langanke and Rolfs, Z. Phys. A327, 461 (1987)

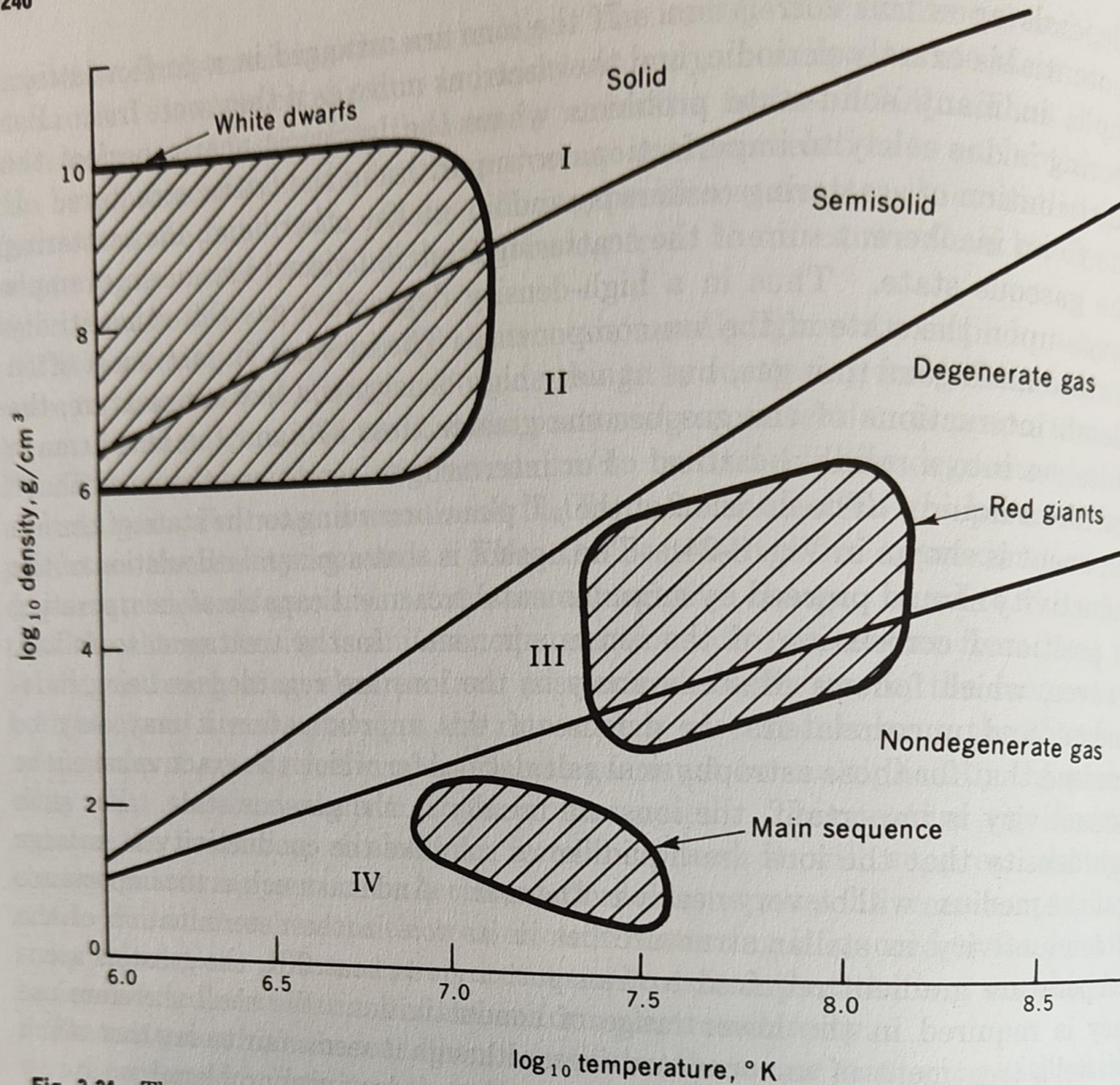
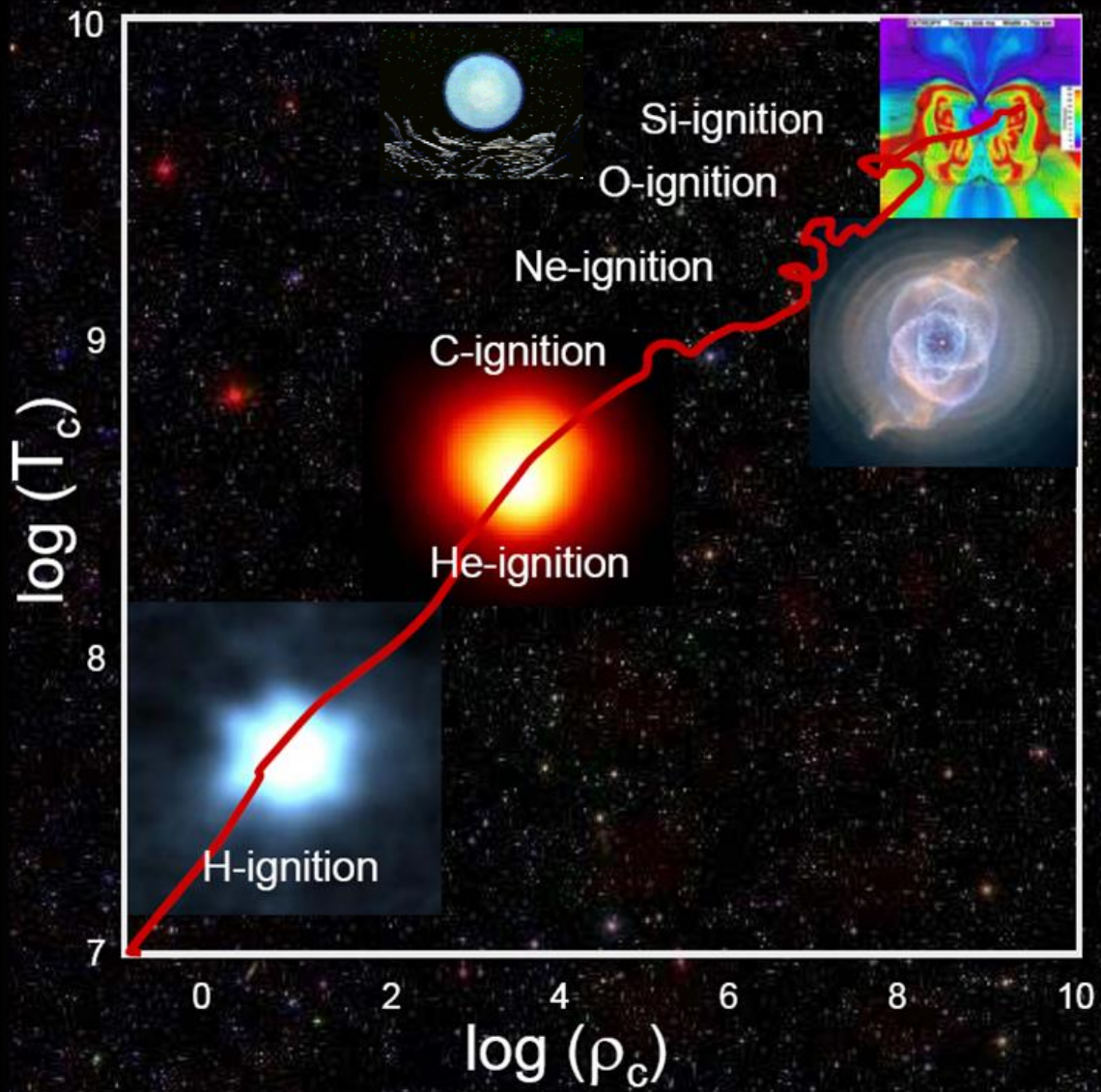


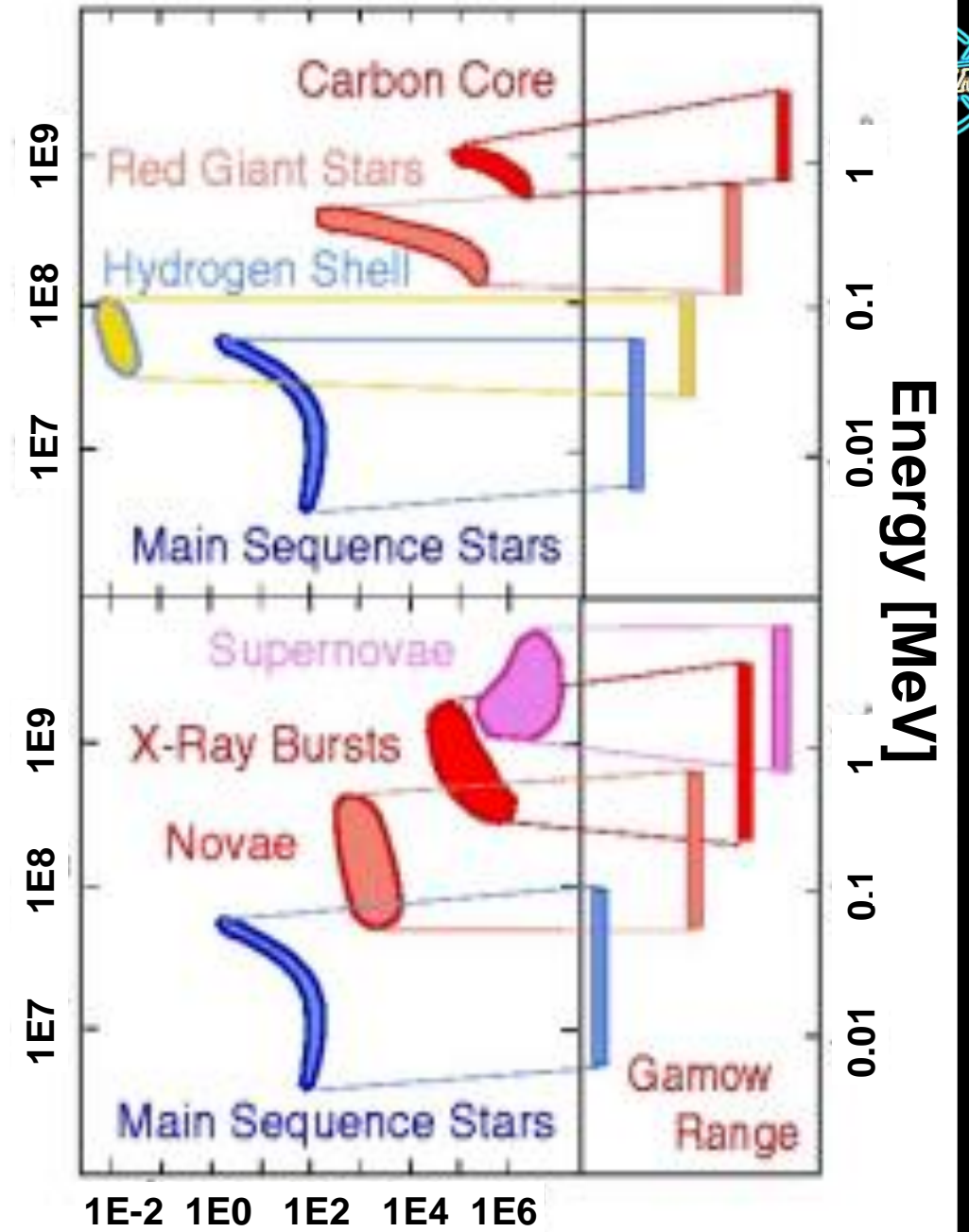
Fig. 3-24. The

**The assumption of  
ideal gas is not  
always valid!**



Woosley, Heger, and Weaver, Evolution and explosion of massive stars, Rev. Mod. Phys. (2002)

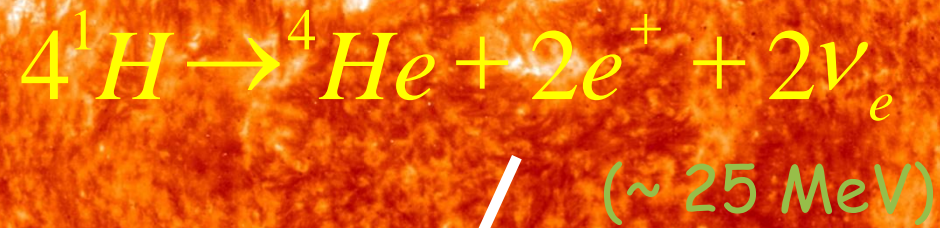
Temperature [K]

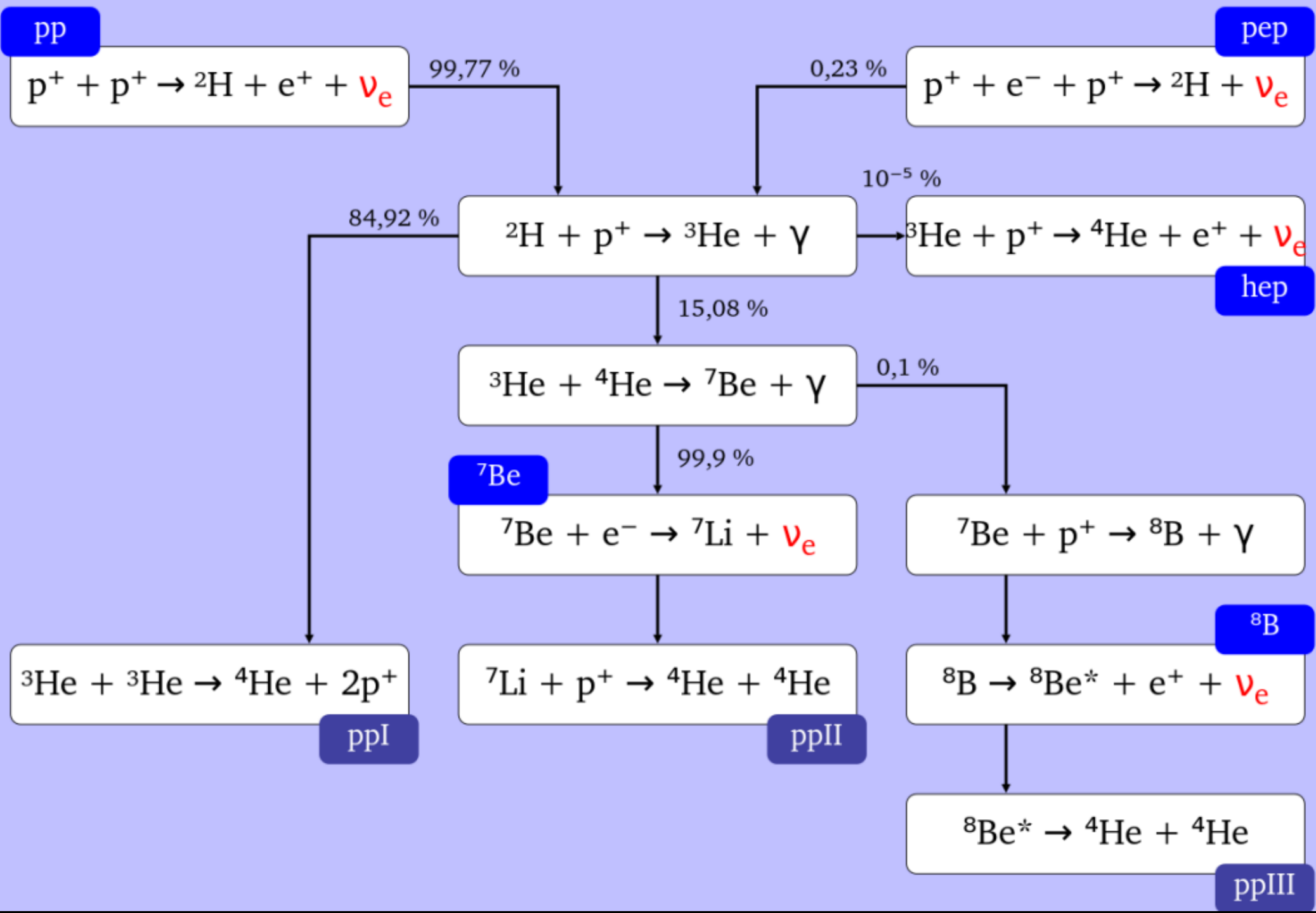


Density [g/cm<sup>3</sup>]

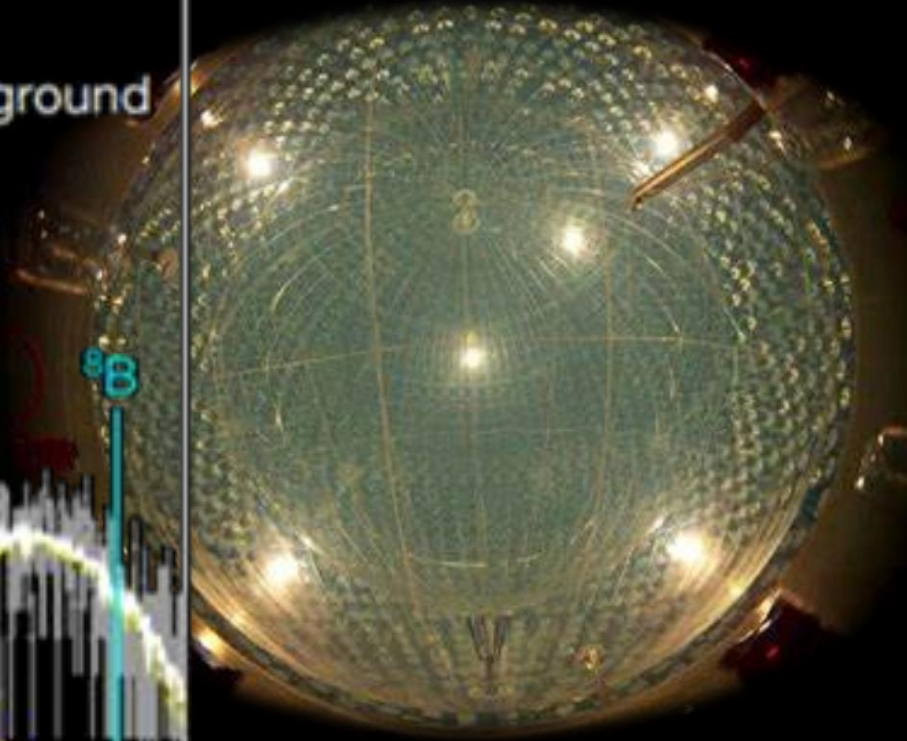
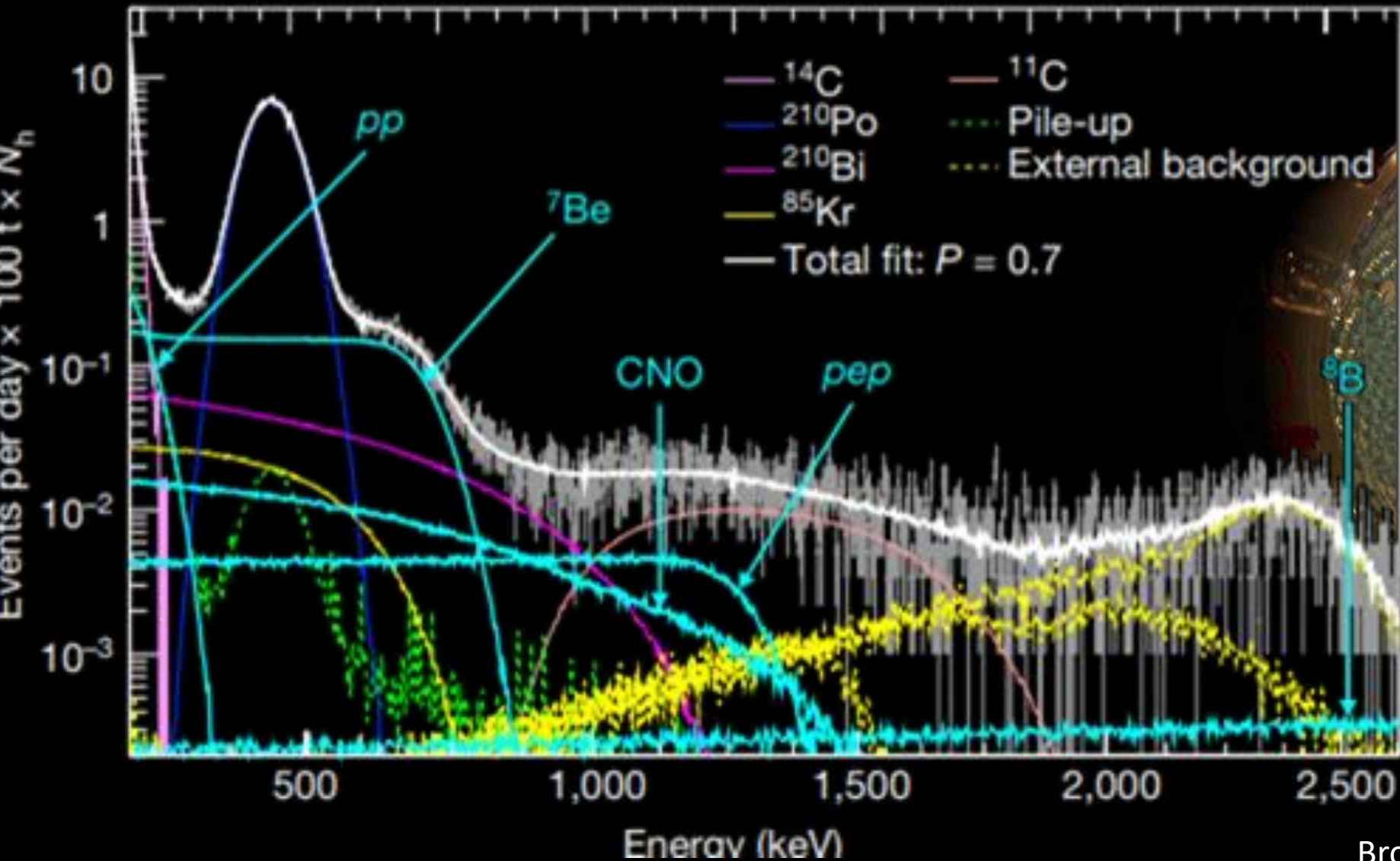
Conclusions of a Town Meeting held at the University of Notre Dame 7-8 June 1999

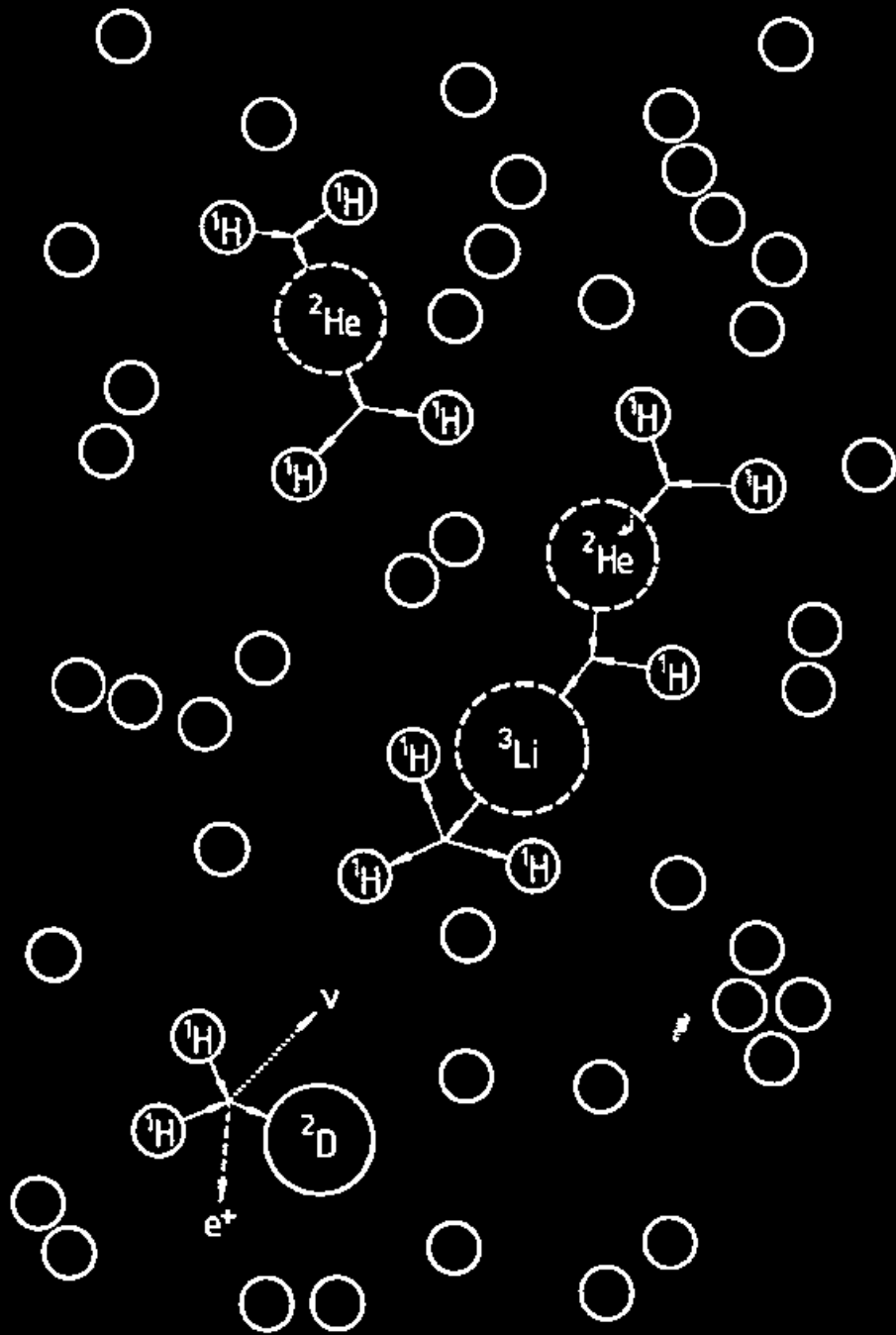
# The first success of multi-messenger astronomy





# First measurement of pp-chain solar neutrinos



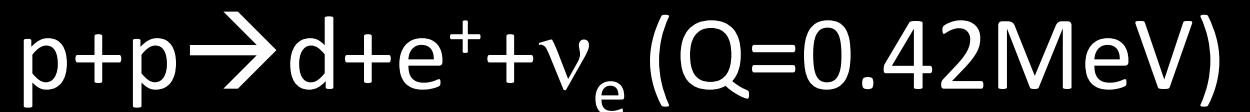


# The p-p chain

Strong interaction:



Weak interaction:



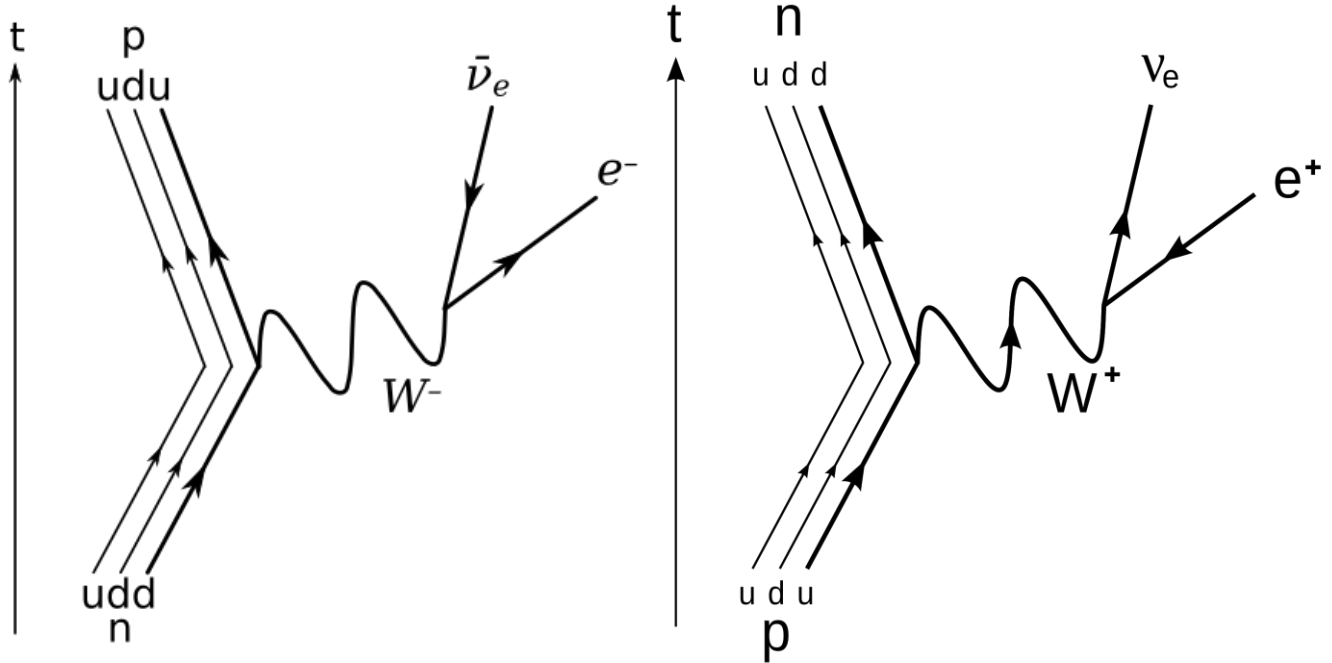
The Fermi decays ( $\Delta I = 0$ ) are often referred to as the "superallowed" decays while Gamow–Teller ( $\Delta I = 1$ ) decays are simple "allowed" decays.

Forbidden decays are those which are substantially more improbable, due to parity violation, and as a result have long decay times.

Now the angular momentum ( $L$ ) of the  $\beta + \nu$  systems can be non-zero (in the center-of-mass frame of the system).

Below are the Observed Selection Rules for Nuclear Beta-Decay:<sup>[5]</sup>

Transition	$L$	$\Delta I$	$\Delta \pi$
Fermi	0	0	0
Gamow–Teller	0	0, 1	0
first-forbidden (parity change)	1	0, 1, 2	1
second-forbidden (no parity change)	2	1, 2, 3	0
third-forbidden (parity change)	3	2, 3, 4	1
fourth-forbidden (no parity change)	4	3, 4, 5	0



Each of the above have Fermi ( $S = 0$ ) and Gamow–Teller ( $S = 1$ ) decays.

So for the "first-forbidden" transitions you have

$$\vec{I} = \vec{L} + \vec{S} = \vec{1} + \vec{0} \Rightarrow \Delta I = 0, 1 \text{ Fermi}$$

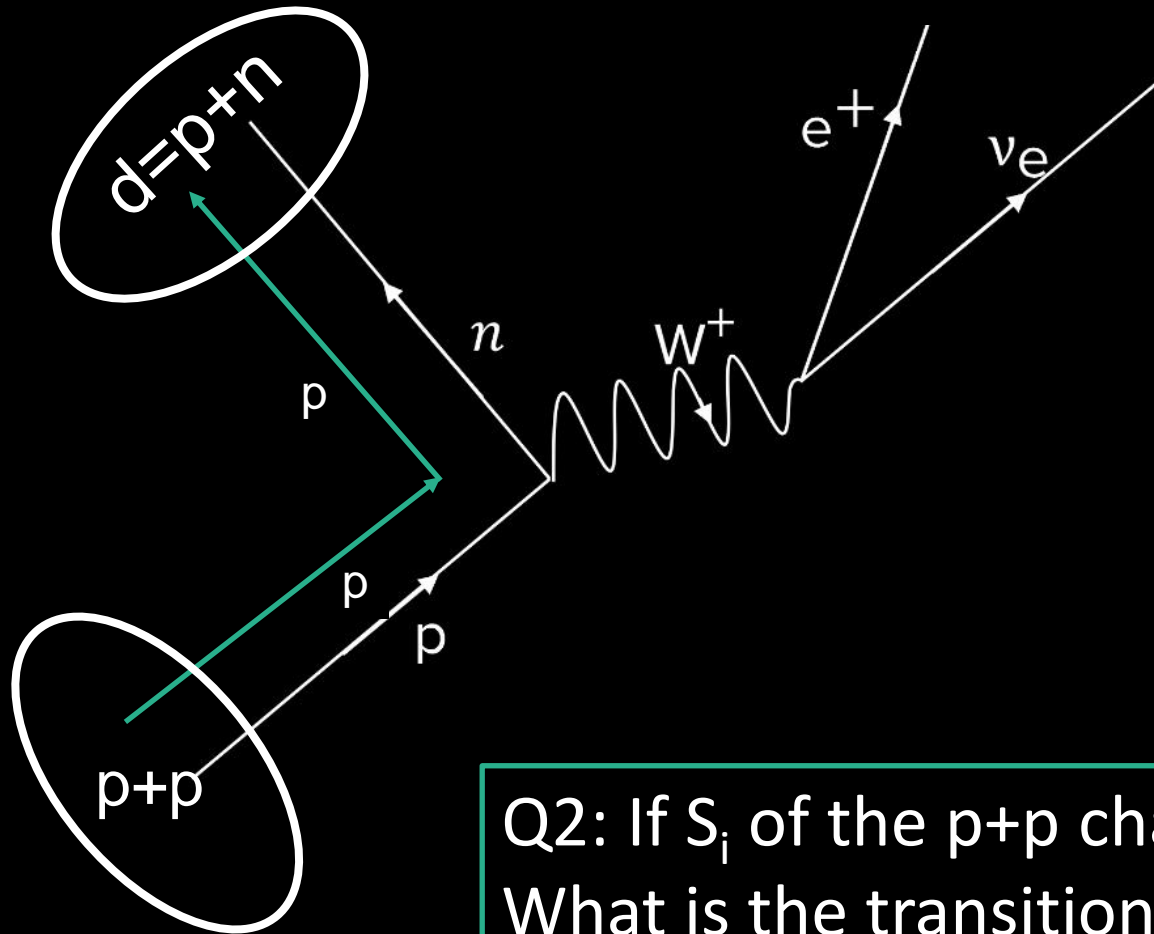
and

$$\vec{I} = \vec{L} + \vec{S} = \vec{1} + \vec{1} \Rightarrow \Delta I = 0, 1, 2 \text{ Gamow–Teller}$$

[https://en.wikipedia.org/wiki/Beta\\_decay\\_transition](https://en.wikipedia.org/wiki/Beta_decay_transition)  
 Samuel S.M. Wong (2004). Introductory Nuclear Physics (2nd ed.). Wiley-VCH. p. 200



# Weak Interaction



Initial state:  $p+p$  ( $S_i=0, l_i=0, J_i=0, +$ )

Q1: What is the transition mode?

Final state:  $d=p+n$  ( $S_f=1, l_f=0, J_f=1, +$ )

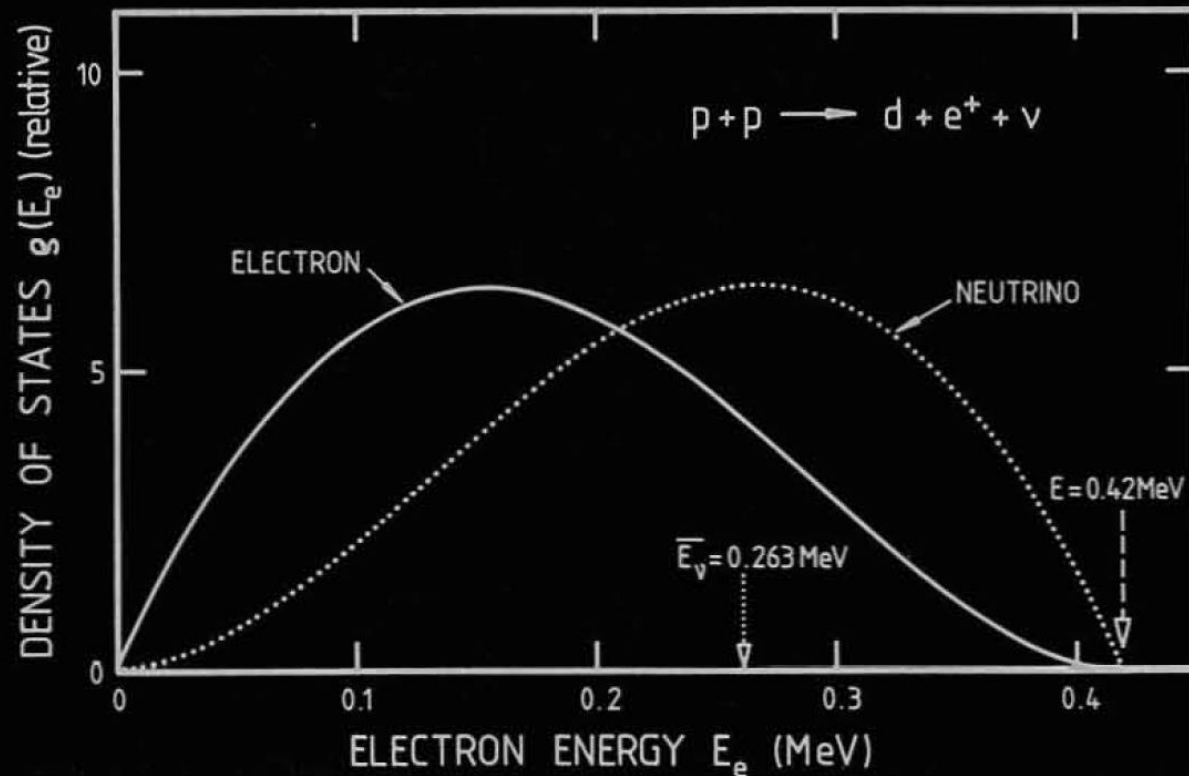
Q2: If  $S_i$  of the  $p+p$  channel is 1, what are the choices for  $l_f$ ?  
What is the transition mode of the weak interaction?

# Fermi's Golden Rule

$$d\sigma = \frac{2\pi}{\hbar} \frac{\rho(E)}{v_i} \left| \langle f | H_\beta | i \rangle \right|^2$$

- $\rho(E)$ : statistical factor representing the density of final states
- $v_i$ : relative velocity in the incident channel
- $\langle f | H_\beta | i \rangle$ : transition matrix element between the initial ( $p+p$ ) and final state ( $d+e^++\nu_e$ ) resulting from the weak interaction represented by  $H_\beta$

# Statistical factor: $\rho(E)$



Assuming a zero rest mass for the neutrino and neglecting the recoil energy of the deuterium, **the total energy  $E$**  is shared between the electron and neutrino,

$$\text{i.e., } E = E_e + E_\nu = E_e + cp_\nu$$

$$\rho(E) = \frac{dN}{dE} = dn_e \frac{dn_\nu}{dE} = \frac{16\pi^2 V^2}{c^3 h^6} p_e^2 (E - E_e)^2 dp_e = \rho(E_e) dp_e$$

The differential cross section can now be written as

$$d\sigma = \frac{2\pi}{\hbar} \frac{1}{v_i} \frac{16\pi^2}{c^3 h^6} g^2 M_{\text{spin}}^2 M_{\text{space}}^2 p_e^2 (E - E_e)^2 dp_e ,$$

and the total cross section is obtained by integration over the total range of electron momenta:

$$\sigma = \frac{2\pi}{\hbar} \frac{1}{v_i} \frac{16\pi^2}{c^3 h^6} g^2 M_{\text{spin}}^2 M_{\text{space}}^2 \int_0^E p_e^2 (E - E_e)^2 dp_e .$$

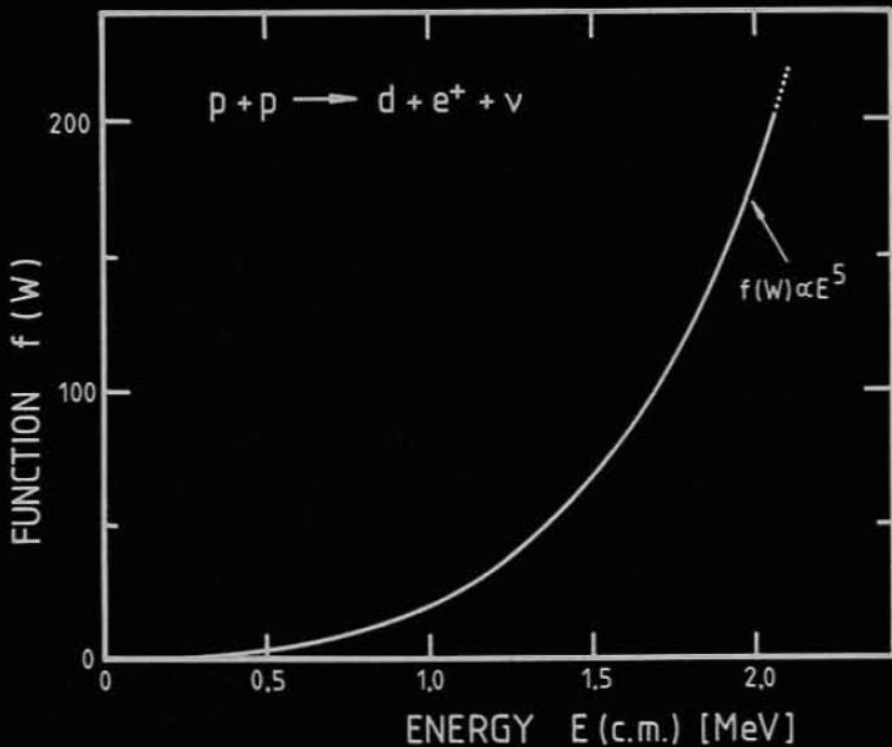
Introducing the new variable

$$W = \frac{E + m_e c^2}{m_e c^2} ,$$

one arrives at an integral transformation:

$$\int_0^E p_e^2 (E - E_e)^2 dp_e = \frac{(m_e c^2)^5}{c^3} \int_1^W (W_e^2 - 1)^{1/2} (W - W_e)^2 W_e dW_e$$

$$\sigma = \frac{m_e^5 c^4}{2\pi^3 \hbar^7} f(w) g^2 M_{spin}^2 M_{space}^2$$



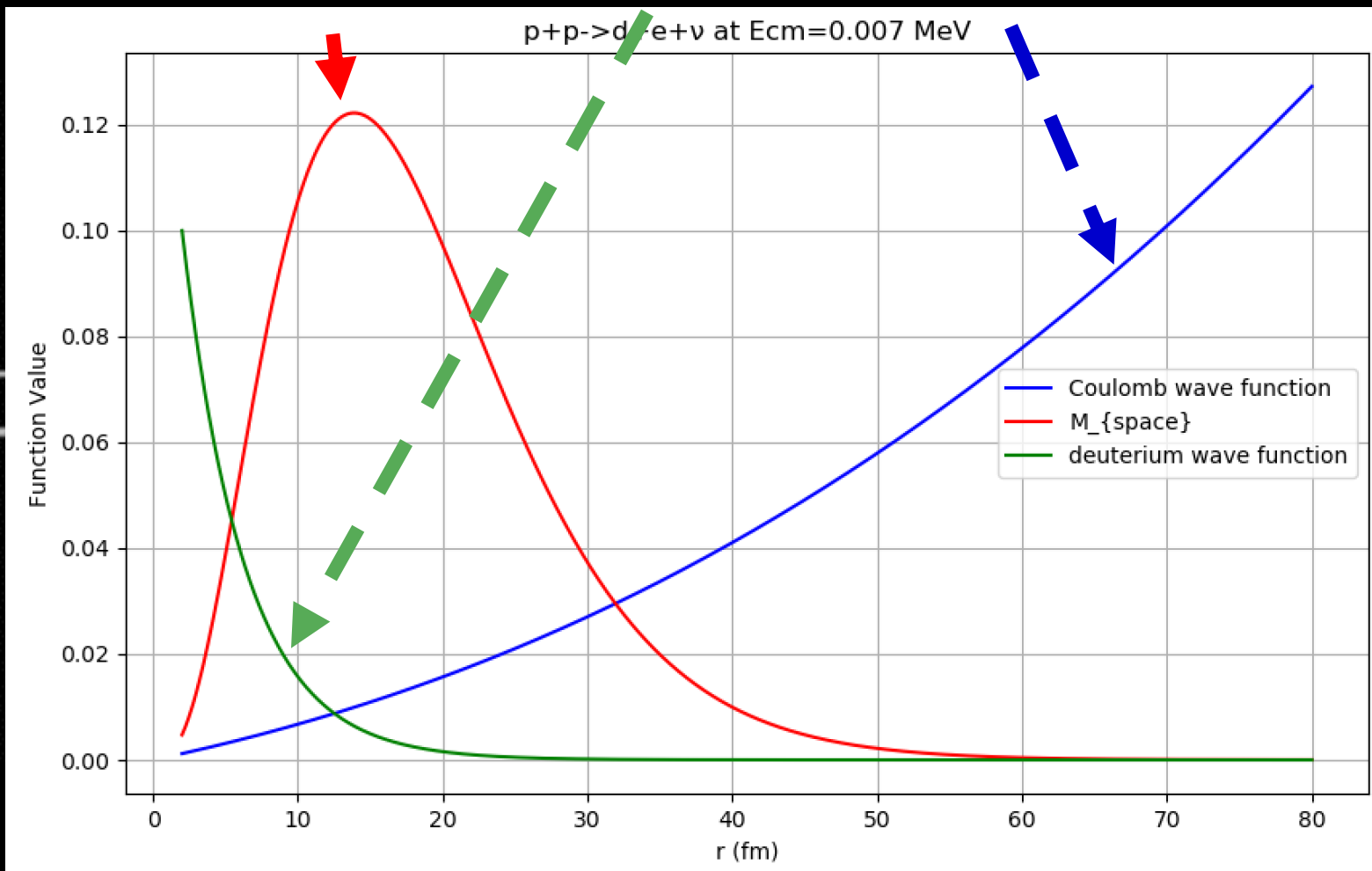
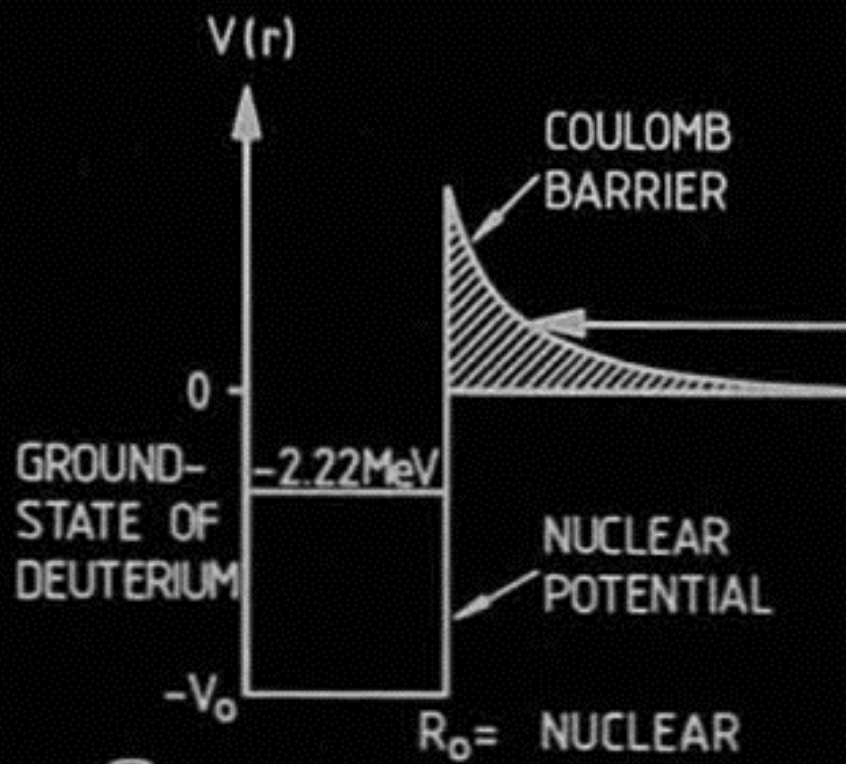
$f(W)$ : a measure of the total phase space available for the reaction ( $W = E/m_e c^2 + 1$ )

$$M_{spin}^2 = \frac{\text{Sum over the final states } (2J + 1)}{\text{Average over the initial states } (2J_1 + 1)(2J_2 + 1)} = 3$$

$g$ : Strength of weak interaction  
 can be determined by allowed GT transition, eg.  ${}^6\text{He}$  decay ( $0^+ \rightarrow 1^+$ )

# Space matrix

$$M_{space} = \int_0^{\infty} \chi_f(r) \chi_i(r) r^2 dr \text{ cm}^3/2$$





## Near threshold proton–proton fusion in effective field theory

Jiunn-Wei Chen<sup>a,b</sup>, C.-P. Liu<sup>c,\*</sup>, Shen-Hsi Yu<sup>a</sup>

$$S_{11}(0) = (3.99 \pm 0.14) \times 10^{-25} \text{ MeV b},$$

$$S'_{11}(0) = S_{11}(0)(11.3 \pm 0.1) \text{ MeV}^{-1},$$

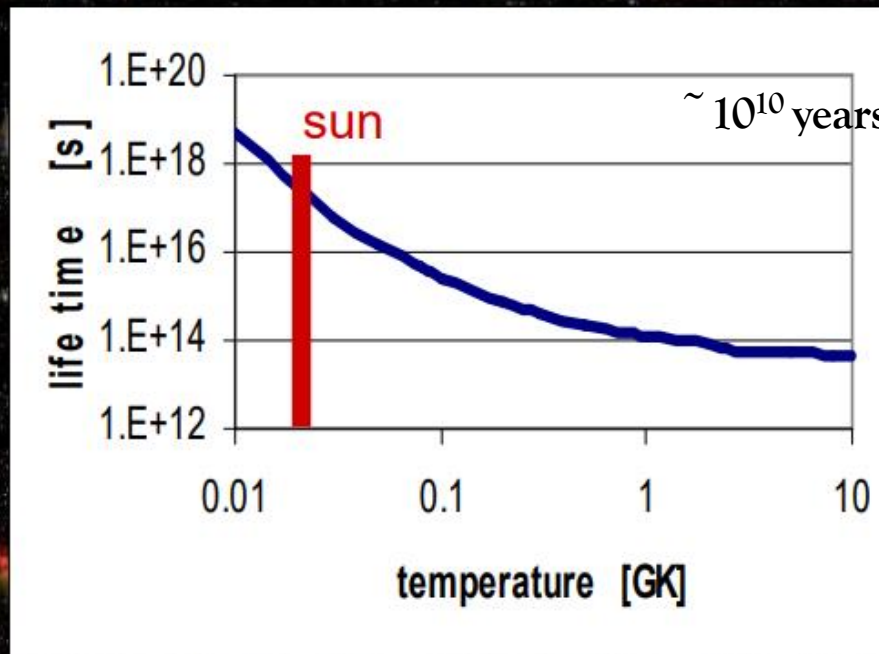
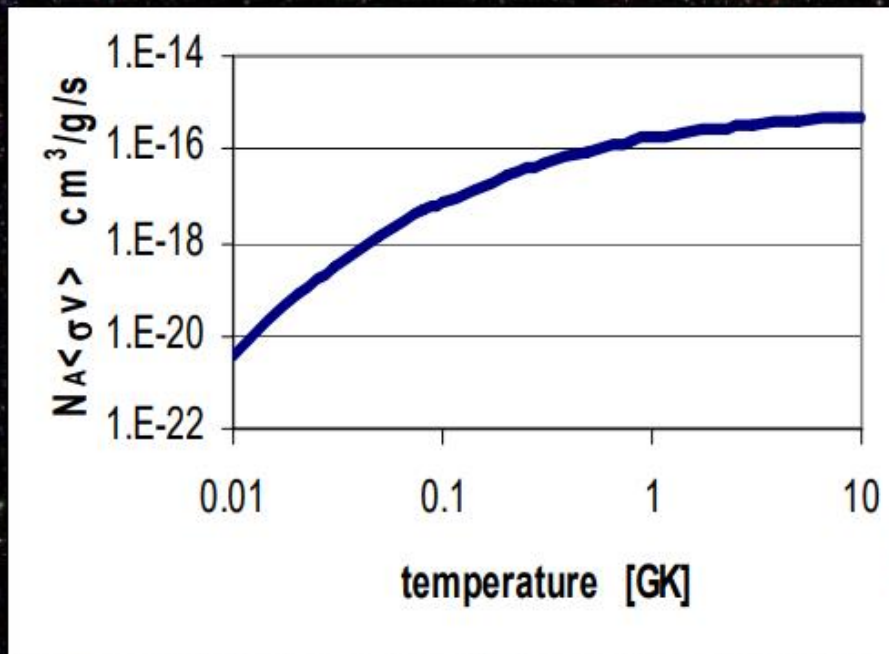
$$S''_{11}(0) = S_{11}(0)(170 \pm 2) \text{ MeV}^{-2}.$$

$$S(E) \simeq S(0) + S'(0) E + \frac{S''(0)}{2} E^2 + \dots$$

# The p+p reaction

${}^1\text{H}(p, e^+ \nu){}^2\text{H}$  is a reaction based on weak interaction mechanism

the S-factor is calculated:  $S=5 \cdot 10^{-25}$  MeV-barn

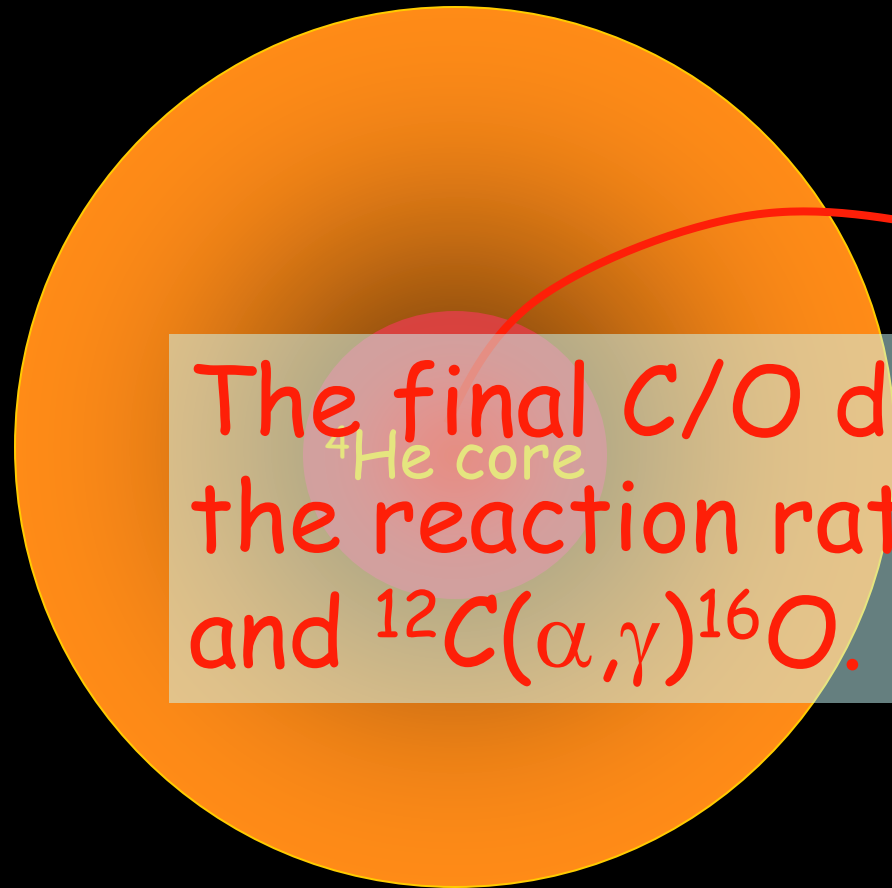


- Find the reaction rate from JINA REACLIB and obtain the two plots on the left side.
- Estimate the new life time of the Sun
- Will the Sun be stable with such a change in the p-p reaction rate?

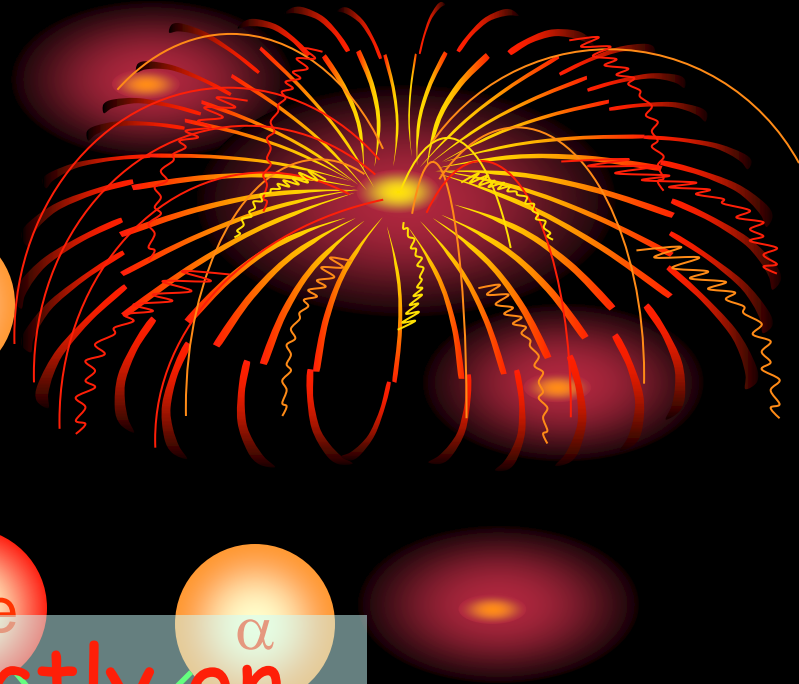
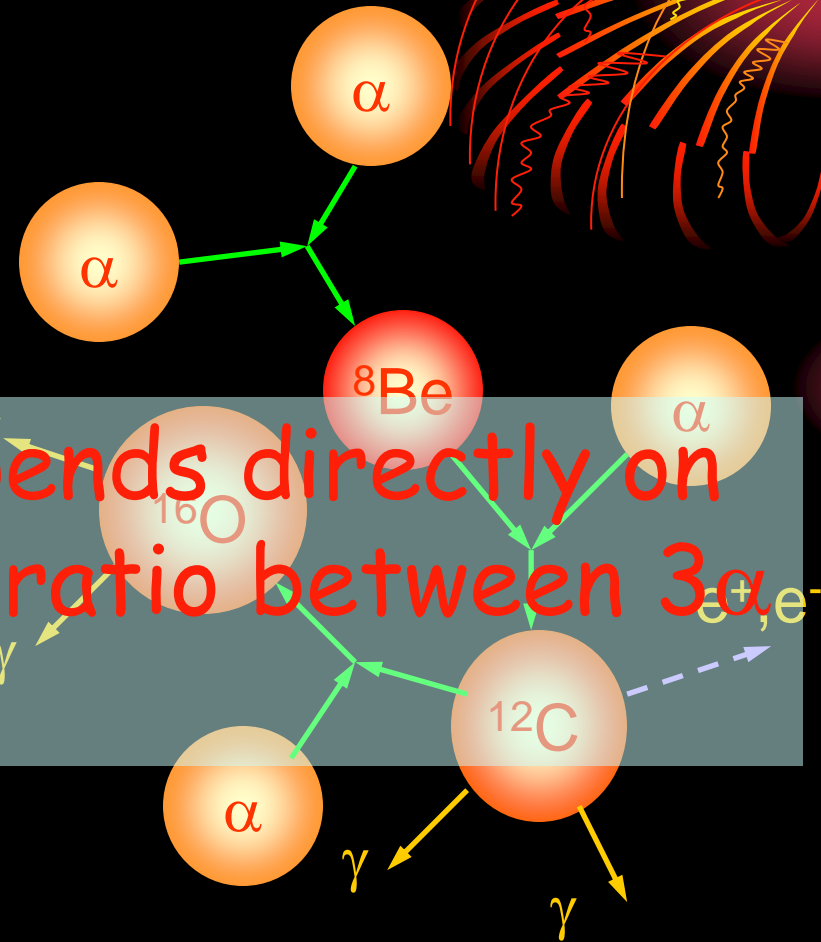
What would be the life time of hydrogen with strong interaction  $S=5 \cdot 10^{-5}$  MeV-barn?



# Helium Burning



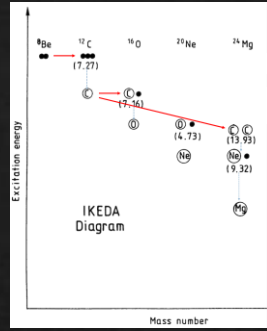
The final C/O depends directly on the reaction rate ratio between  $3\alpha$  and  $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ .



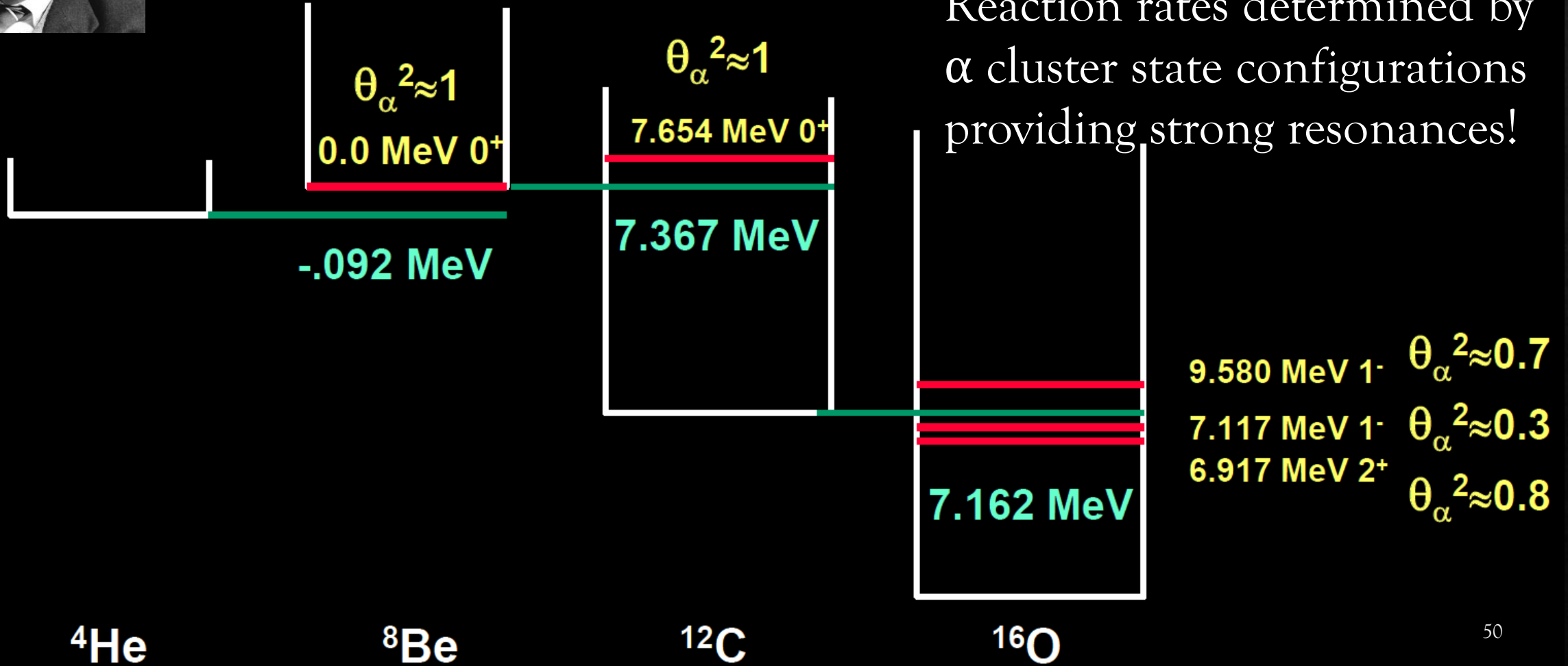
$T \sim 0.2$  billion Kelvin



# Helium burning : $3\alpha$ and $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$

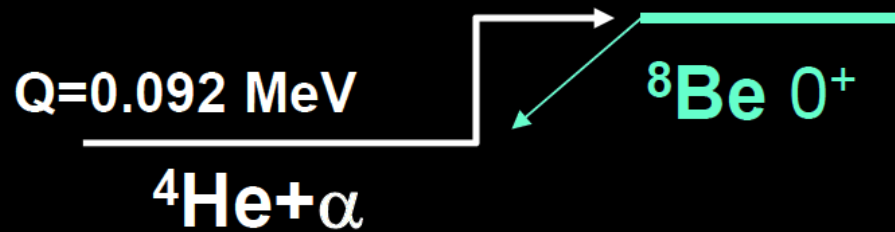


Reaction rates determined by  $\alpha$  cluster state configurations providing strong resonances!



# The ( $\alpha\alpha\alpha$ ) reaction as a two-step process

first step!



$$T_{1/2}({}^8\text{Be}) = 9.7 \cdot 10^{-17} \text{ s}$$

$$\Gamma_{\alpha} = 6.8 \text{ eV}$$

pure  $\alpha$  cluster configuration

fast capture  $\Rightarrow$  equilibrium between capture and decay

$$\text{Interaction time: } t \approx \frac{2R_{\alpha}}{v_{\alpha}} = \frac{2 \cdot 1.3 \cdot A^{1/3}}{\sqrt{\frac{2E_{\alpha}^{cm}}{\mu}}} \approx \frac{4.17 \text{ fm}}{3.8 \cdot 10^{24} \text{ fm/s}} \approx 10^{-24} \text{ s} \ll \tau({}^8\text{Be})$$

Application of Saha Equation

For calculating  ${}^8\text{Be}$  equilibrium:

$$N({}^8\text{Be}) = N_{\alpha}^2 \cdot \hbar^3 \cdot \left( \frac{2\pi}{\mu \cdot kT} \right)^{3/2} \cdot e^{\left( \frac{Q}{kT} \right)}$$

Case of typical He-burning:  $T=0.1\text{GK} \Rightarrow T_9=0.1$ ;  $\rho=10^5 \text{ g/cm}^3$

$$N(^8\text{Be}) = 6 \cdot 10^{-35} \cdot N_\alpha^2 \cdot T_9^{-3/2} \cdot e^{\left(\frac{1.068}{T_9}\right)}$$

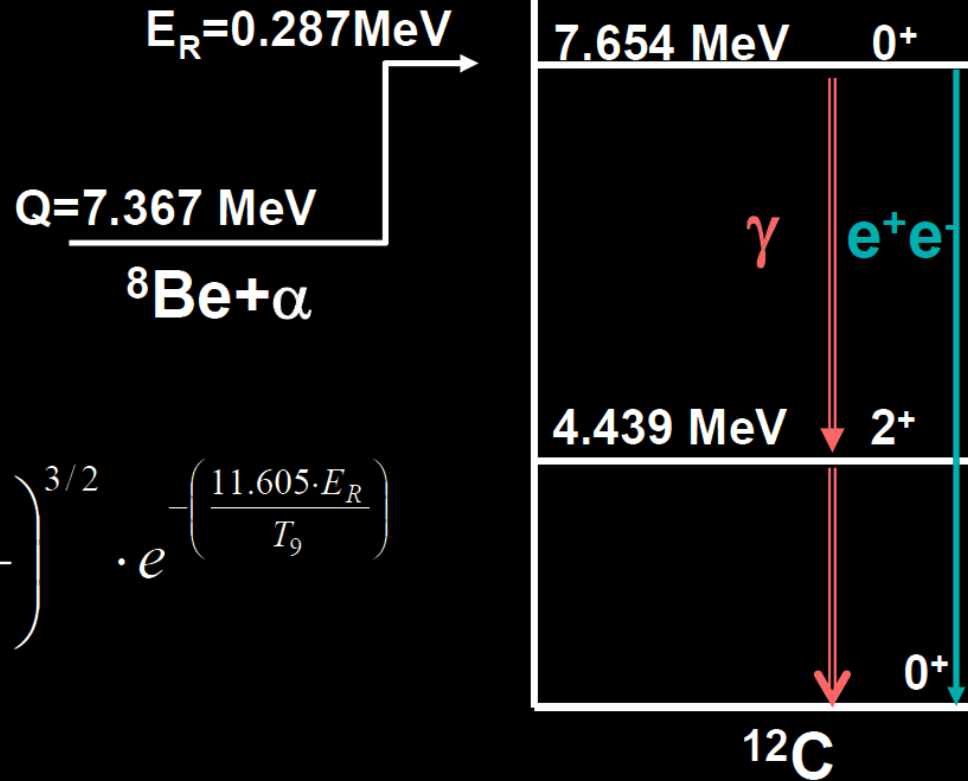
$$N(^8\text{Be}) \approx 4.4 \cdot 10^{-38} \cdot N_\alpha^2$$

$$N = \rho \cdot N_A \cdot \frac{X_i}{A_i} \Rightarrow \frac{X(^8\text{Be})}{X_\alpha^2} \approx 1.3 \cdot 10^{-9}$$

➤ Calculate the  $^8\text{Be}$  equilibrium abundance in stellar helium burning as a function of stellar temperature (0.1 Gk–10 Gk)

# Second step: Resonant capture by $^8\text{Be}$

The Hoyle resonance!



$$N_A \langle \sigma v \rangle = 1.54 \cdot 10^{11} \cdot \omega\gamma \cdot \left( \frac{1}{\mu \cdot T_9} \right)^{3/2} \cdot e^{-\left( \frac{11.605 \cdot E_R}{T_9} \right)}$$

$$\omega\gamma = (2J + 1) \cdot \frac{\Gamma_{in} \cdot \Gamma_{out}}{\Gamma_{tot}}$$

Decay by sequential E2  $\gamma$  transitions  
or internal  $e^+ e^-$  pair conversion

$$\Gamma_\gamma / \Gamma = 4.16(4) \text{E-4}$$

$$\Gamma_\pi / \Gamma = 6.7(6) \text{E-6}$$

$$\Gamma = 9.3(9) \text{ eV}$$

$$\omega\gamma = 3.87(39) \text{ meV}$$

Kelly, Purcell and Sheu, NPA(2017)

$$r_{\alpha\alpha\alpha} = N_{8Be} \cdot \rho \cdot \frac{X_{\alpha}}{A_{\alpha}} \cdot N_A \langle {}^8Be(\alpha, \gamma) {}^{12}C \rangle$$

Step 1

Number density of alpha particle

Step 2

$$N({}^8Be) = 6 \cdot 10^{-35} \cdot N_{\alpha}^2 \cdot T_9^{-3/2} \cdot e^{\left(\frac{-1.068}{T_9}\right)}$$

$$N_A \langle {}^8Be(\alpha, \gamma) {}^{12}C \rangle = 126.4 \cdot (T_9)^{-3/2} \cdot e^{\left(\frac{-3.331}{T_9}\right)}$$

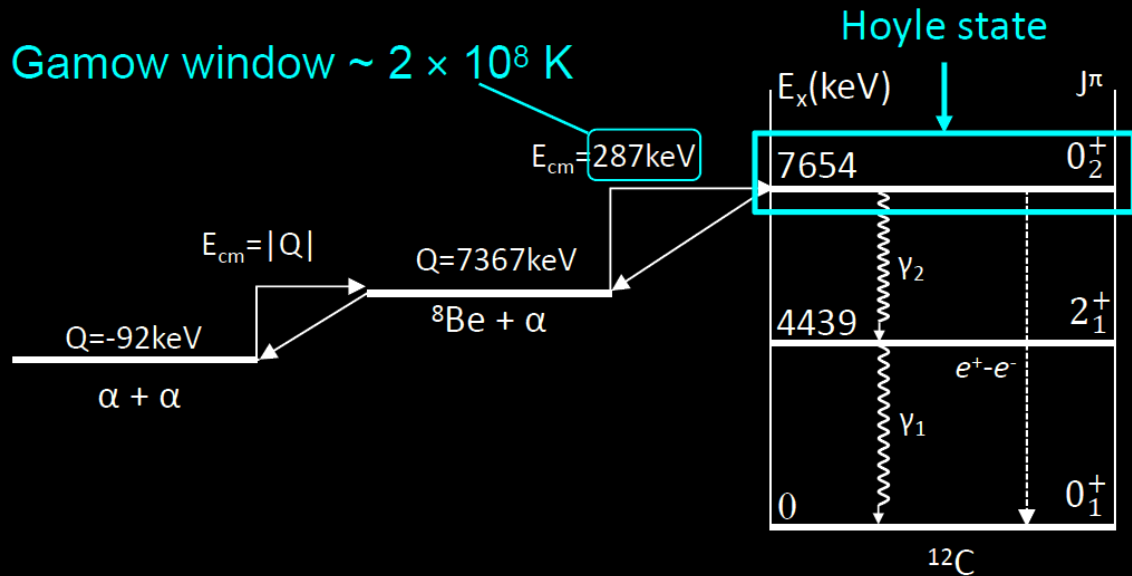
$$r_{\alpha\alpha\alpha} = \frac{1.26 \cdot 10^{-56}}{1 + \delta_{\alpha\alpha}} \cdot N_{\alpha}^3 \cdot T_9^{-3} \cdot e^{\left(\frac{-11.605 \cdot (0.092 + 0.278)}{T_9}\right)}$$

$$r_{\alpha\alpha\alpha} = 1.38 \cdot 10^{15} \cdot \rho^3 \cdot \left(\frac{X_{\alpha}}{4}\right)^3 \cdot T_9^{-3} \cdot e^{\left(\frac{-4.294}{T_9}\right)} \quad [cm^{-3}s^{-1}]$$

# Important resonance parameters



Gamow window  $\sim 2 \times 10^8$  K



The  $3\alpha$  reaction proceeds via  $3\alpha$  resonances in  $^{12}\text{C}$

$3\alpha$ -process rate:  $\langle\sigma v\rangle \propto \omega\gamma \exp\left(-\frac{E_R}{hT}\right)$

Most  $3\alpha$  reaction resonances decay back to  $3\alpha$ . Only tiny fraction of them radiatively decay to g.s. ( $\sim 1$  in 2500)

$\Gamma_\alpha \gg \Gamma_{\text{rad}}$

$$\omega\gamma = \frac{\Gamma_\alpha \Gamma_{\text{rad}}}{\Gamma} = \frac{\Gamma_\alpha \Gamma_{\text{rad}}}{\Gamma_\alpha + \Gamma_{\text{rad}}} = \frac{\Gamma_{\text{rad}}}{1 + \Gamma_{\text{rad}}/\Gamma_\alpha}$$

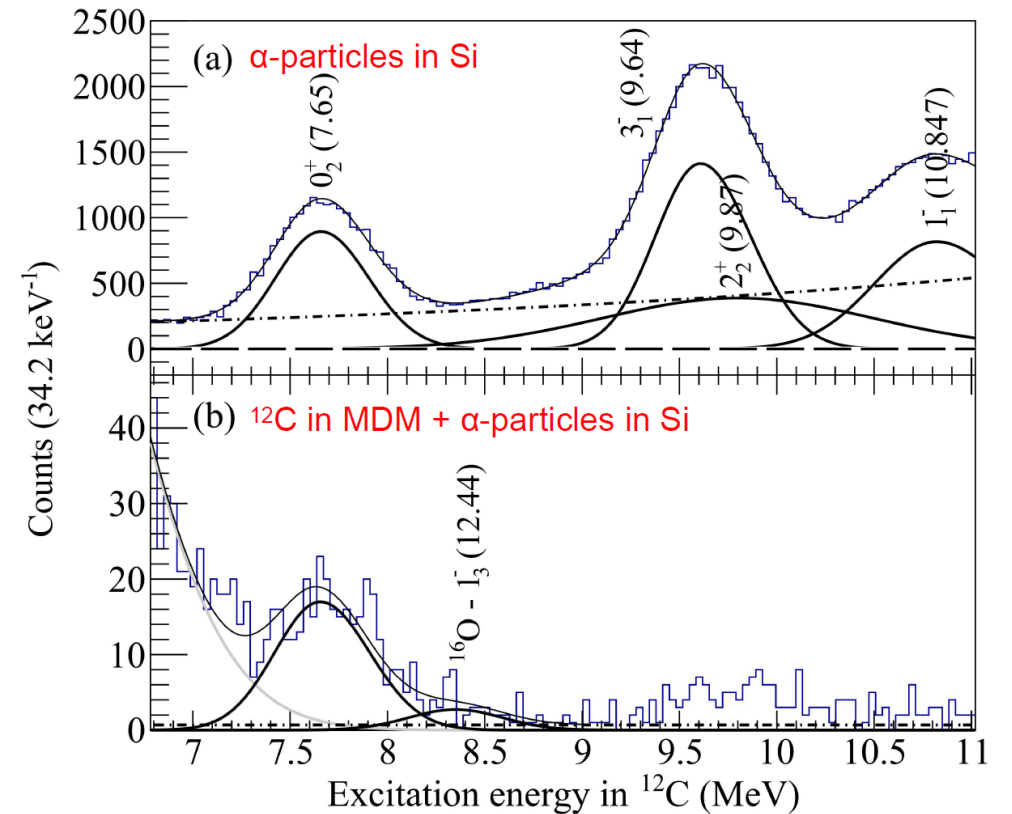
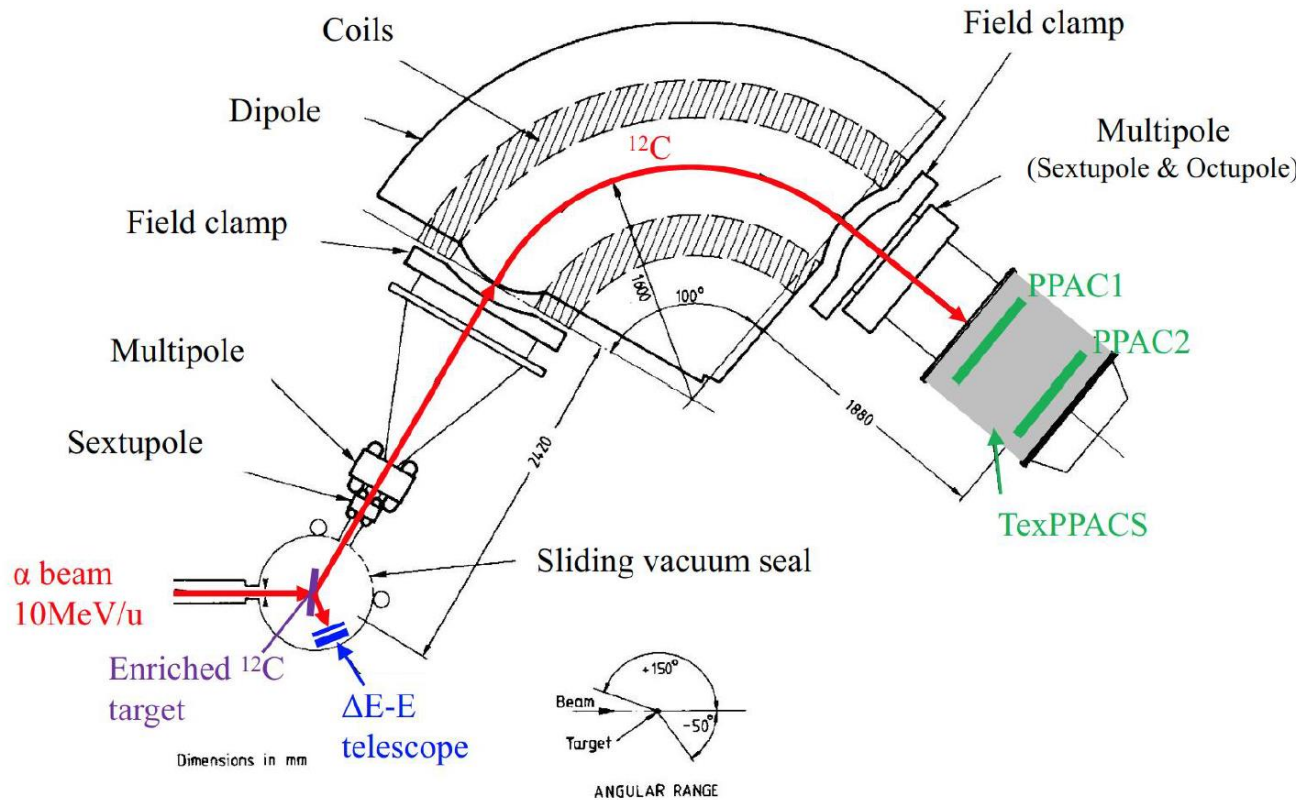
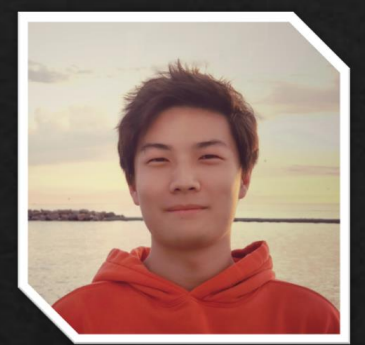
$\approx \Gamma_{\text{rad}}$

$^{12}\text{C}(e, e')^{12}\text{C}^*(7.654) \rightarrow \Gamma_\pi = 62.3 \pm 2 \mu\text{eV}$   
[PRL 105, 022501 \(2010\)](https://doi.org/10.1126/science.1192501)

$$\Gamma_{\text{rad}} = \frac{\Gamma_{\text{rad}}}{\Gamma} \times \frac{\Gamma}{\Gamma_\pi(E0)} \times \Gamma_\pi(E0)$$

$\Gamma_{\text{rad}}/\Gamma$  is a key parameter to precisely determine the  $3\alpha$  rate.

# Measurement of $\Gamma_{\text{rad}}/\Gamma_{\text{tot}}$



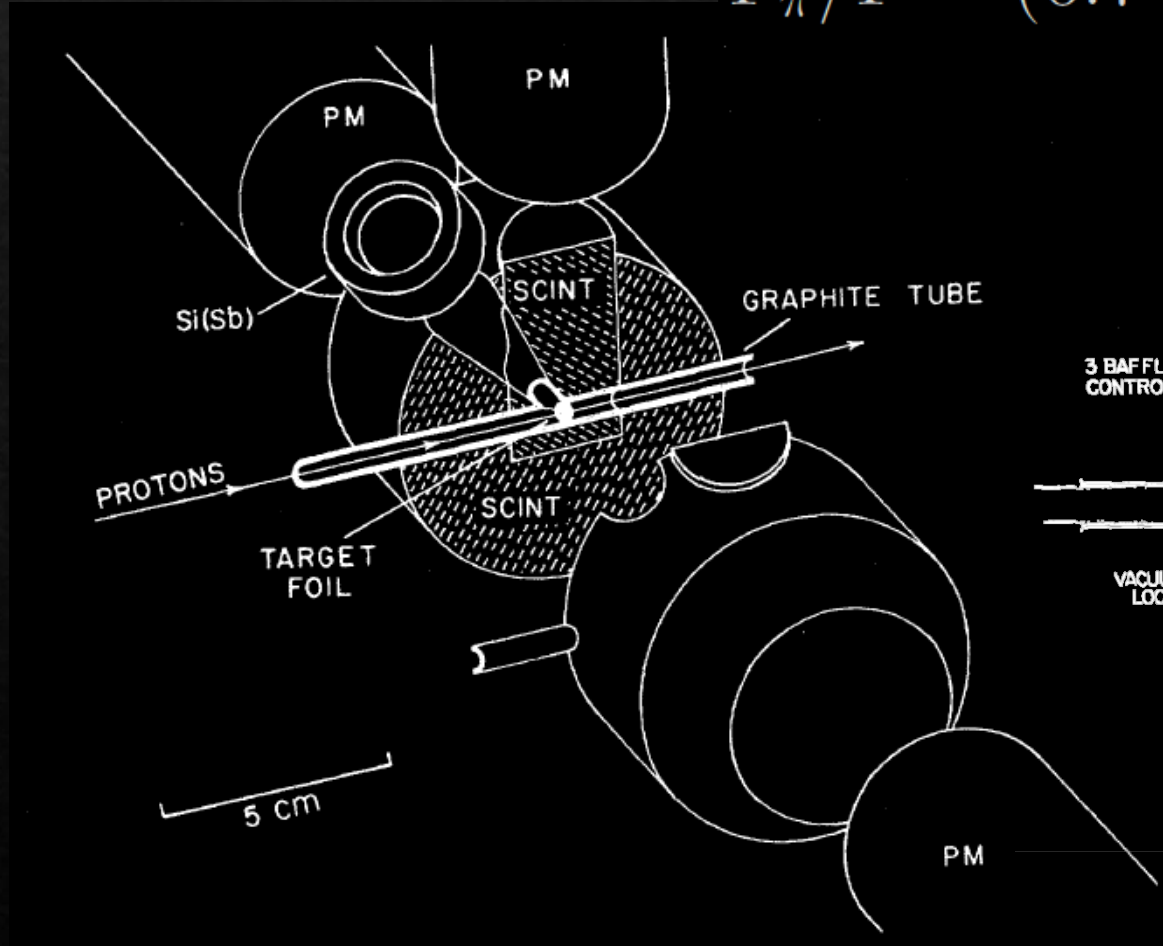
$$\Gamma_{\text{rad}}/\Gamma \times 10^4 = 4.0 \pm 0.3 (\text{stat.}) \pm 0.16 (\text{syst.})$$

Z.F. Luo et al., Phys. Rev. C 109, 025801<sup>6</sup>(2024)

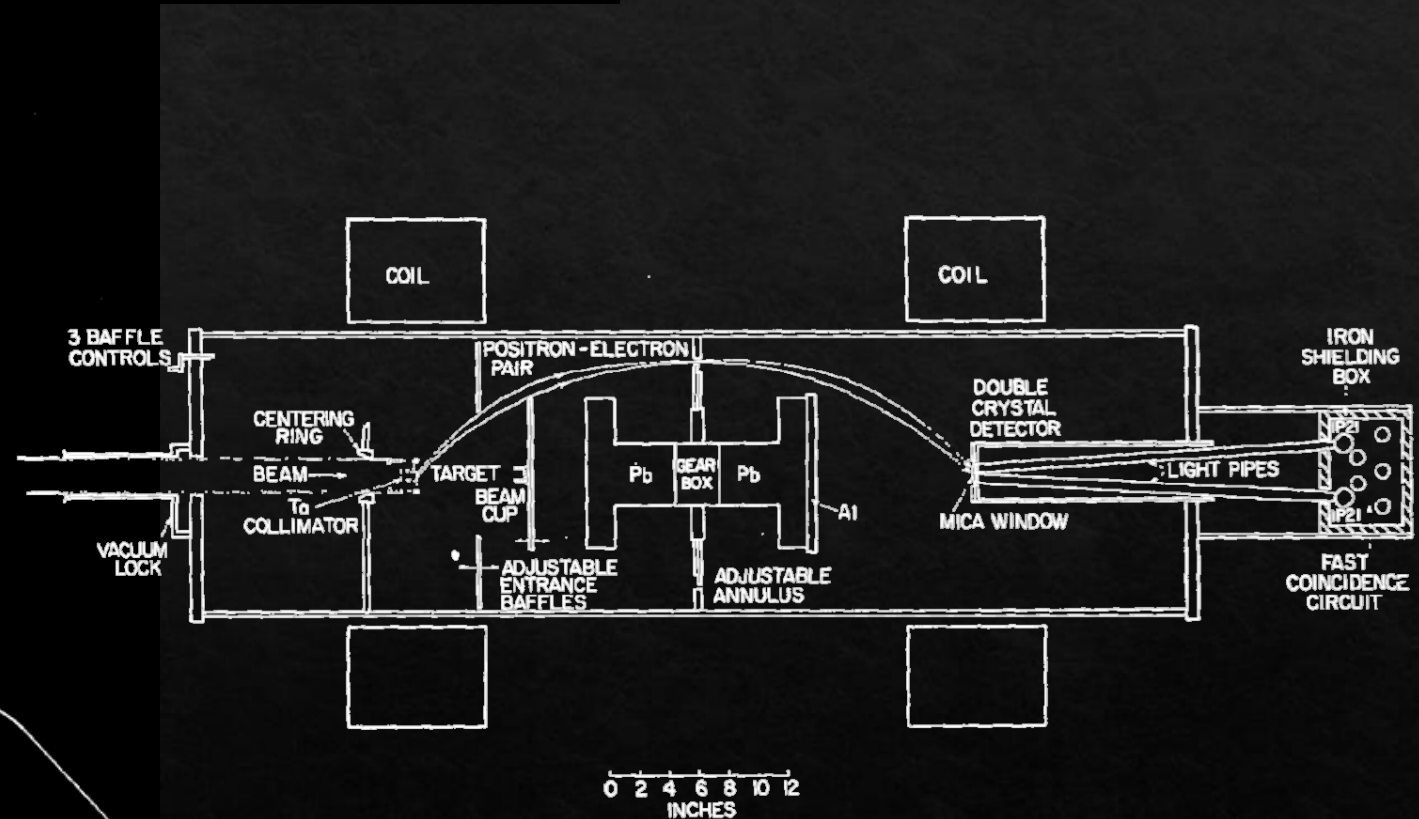


# Measurement of $\Gamma_{\text{pair}}/\Gamma_{\text{tot}}$

$$\Gamma_{\pi}/\Gamma = (6.7 \pm 0.6) \times 10^{-6}$$



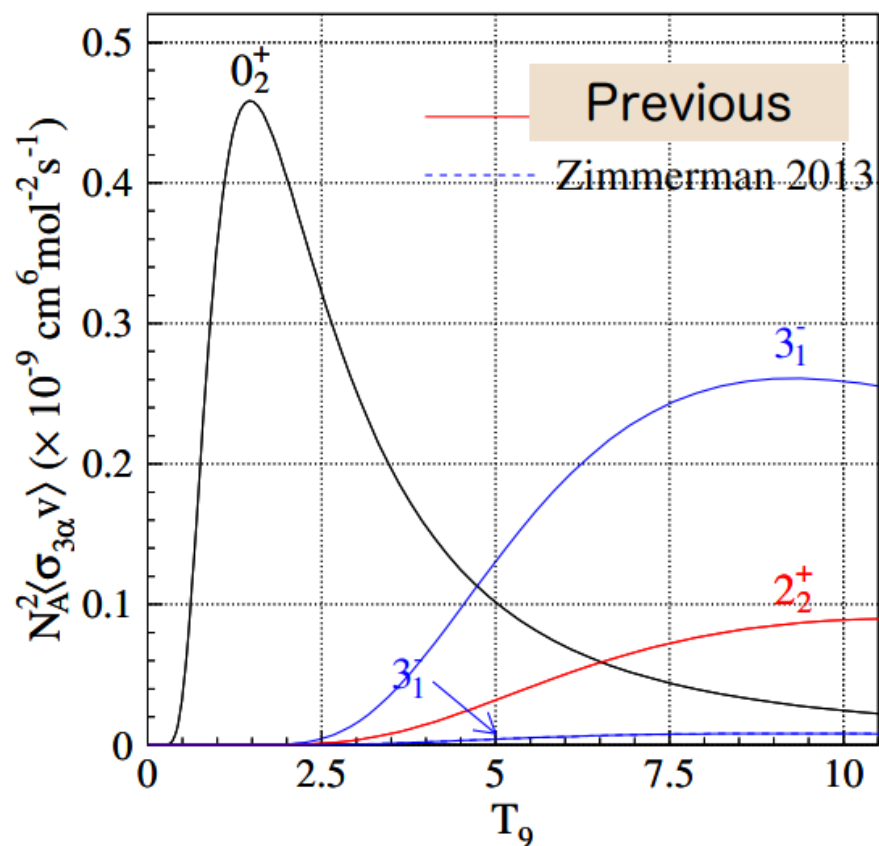
Roberson et al., PRC15, 1072 (1977)



Alburger, PRC16, 1394 (1977)

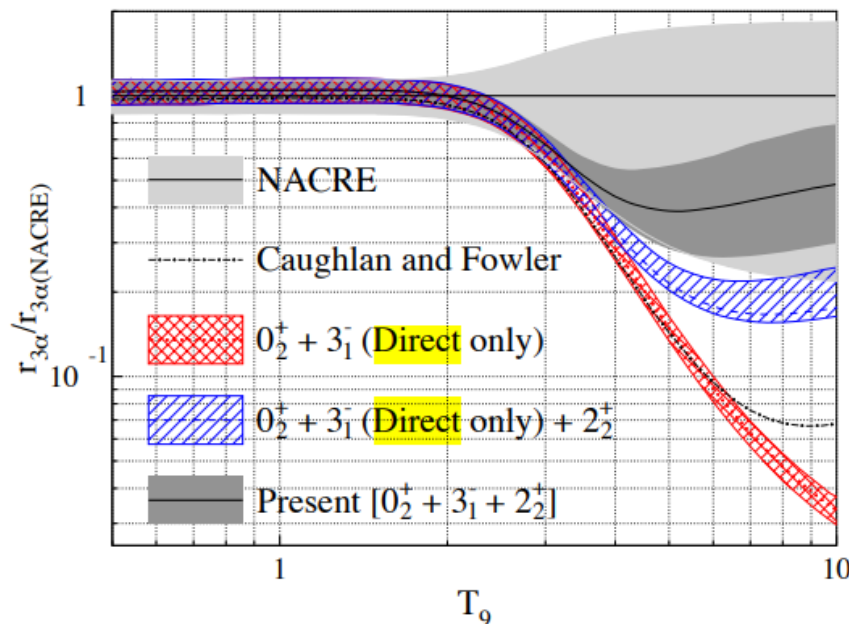
# Triple Alpha Reaction Rate

Triple reaction rate was calculated using the measured  $\Gamma_r/\Gamma$

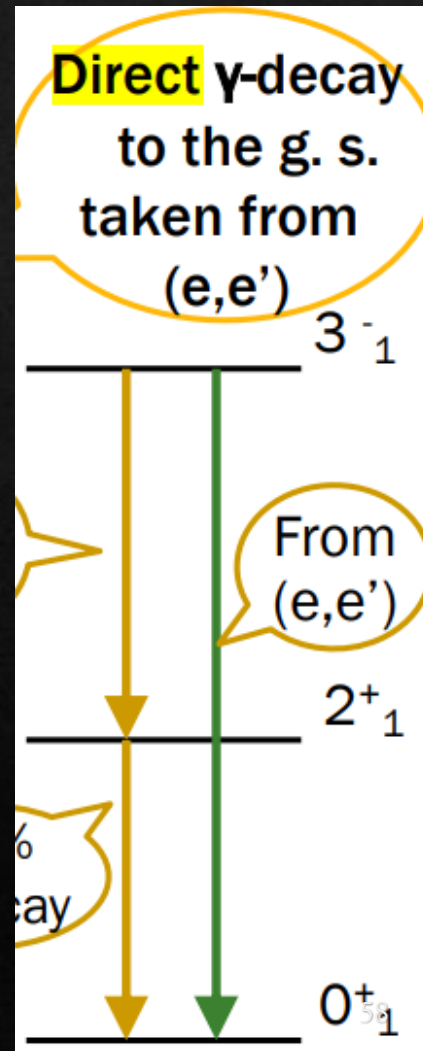


**NACRE**  
 $3_1^-$   
 $\Gamma_r = 2 \text{ meV}$

**Present**  
 $3_1^-$   
 $\Gamma_r = 44 \text{ meV}$



Higher temperature

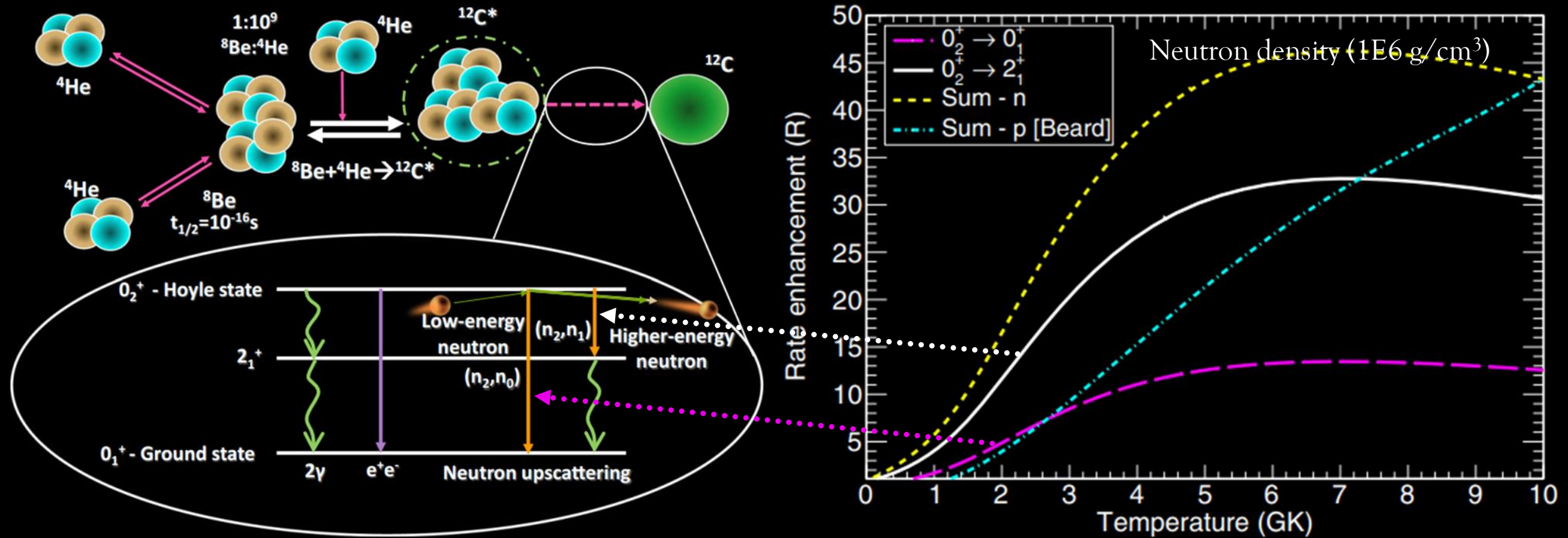


The  $3\alpha$  rate is partially restored, and consistent with NACRE...

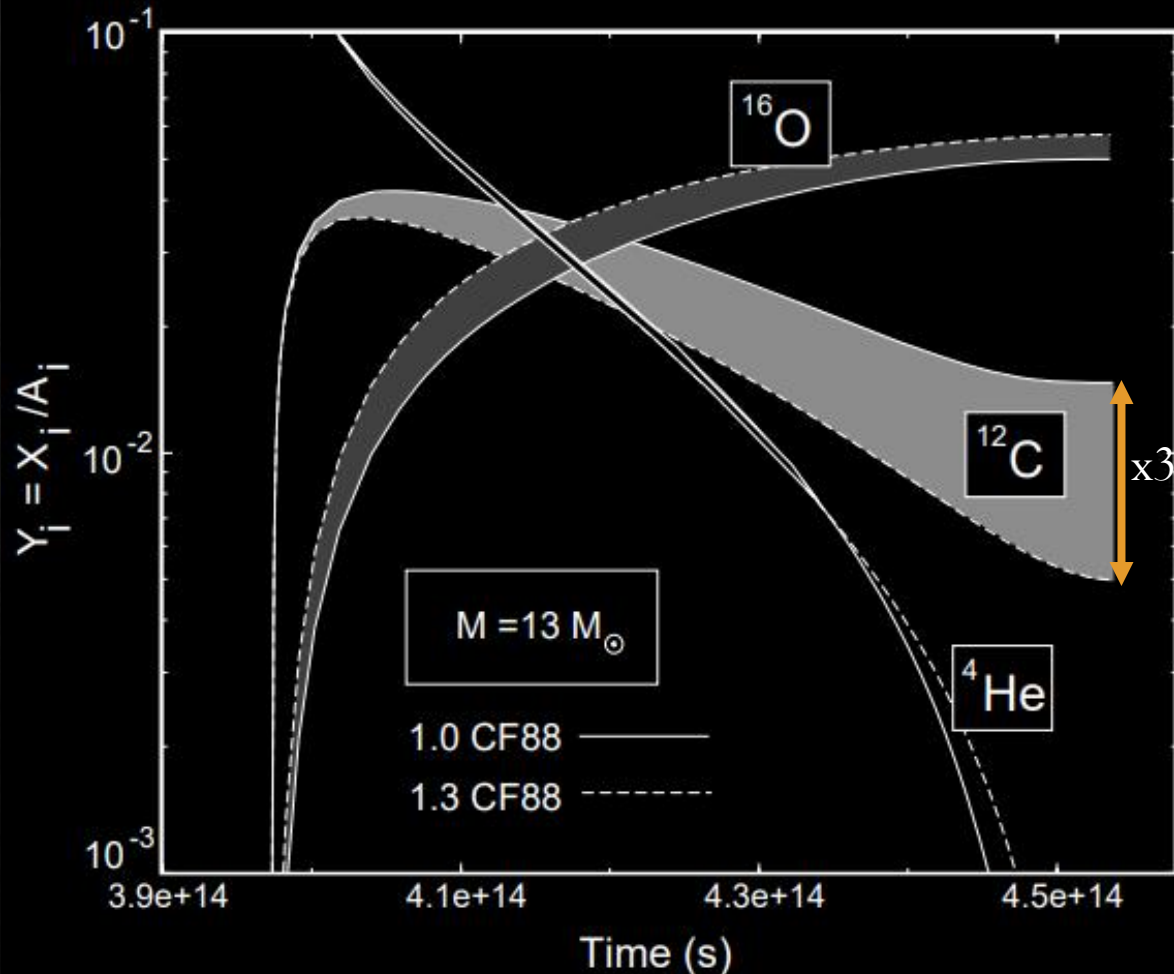
Recently published in M. Tsumura, T. K. et al., Phys. Lett. B 817, 136283 (2021).

# Upscattering enhances the Hoyle state's decay rate to the bound states of $^{12}\text{C}$

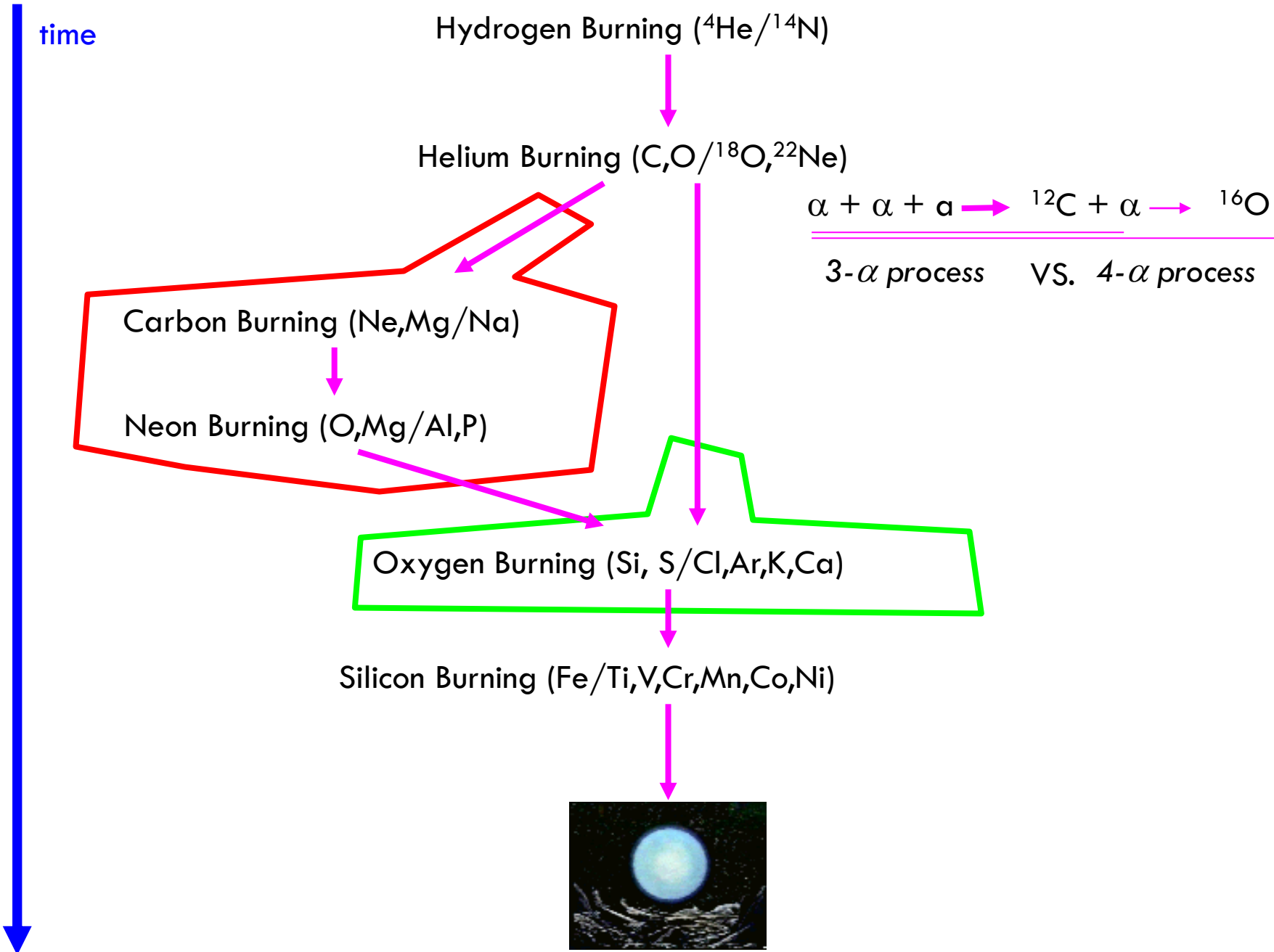
Upscattering: Low energy proton/neutron +  $^{12}\text{C}(7.654 \text{ MeV}) \rightarrow$  Higher energy neutron +  $^{12}\text{C}(\text{g.s.})/^{12}\text{C}(4.44 \text{ MeV})$



# Impact of the uncertain $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ rate

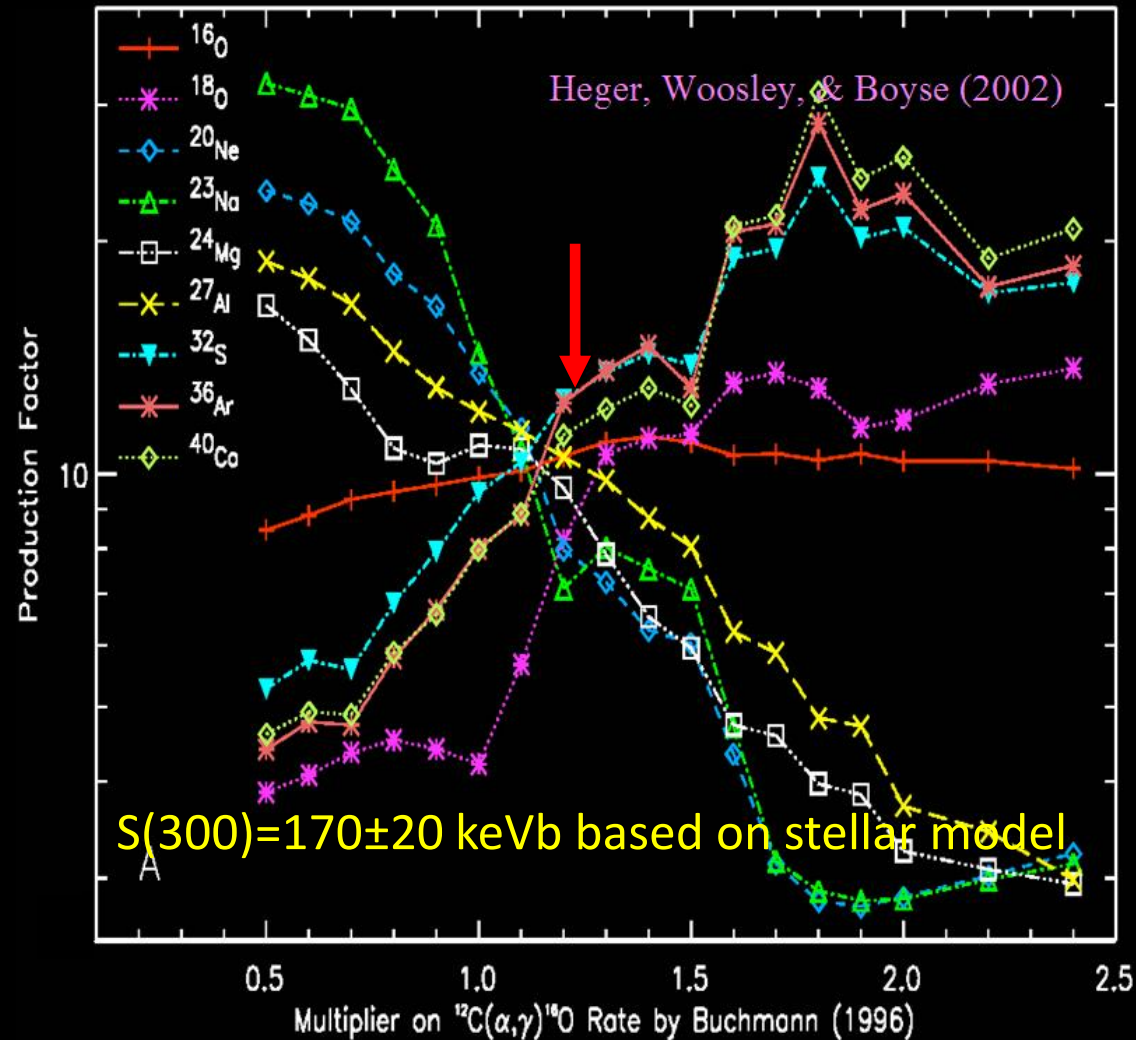


- Late Stellar Evolution determines Carbon and/or Oxygen phase
- Type Ia Supernova central carbon burning of C/O white dwarf
- Type II Supernova shock-front nucleosynthesis in C and He shells of pre-supernova star



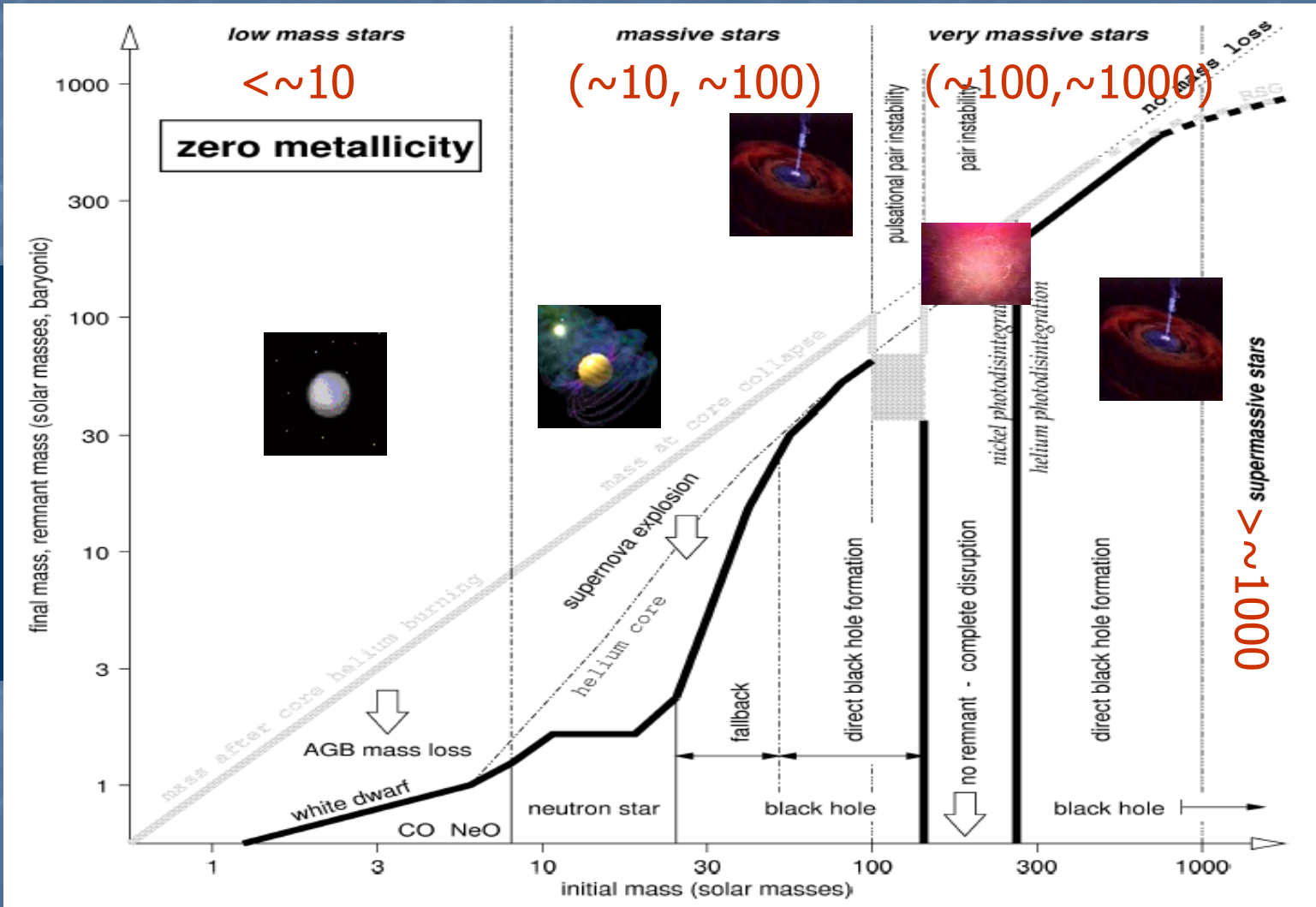
# Influences of the uncertainty in the $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ reaction rate in Nucleosynthesis

A uncertainty of ~10% is needed!



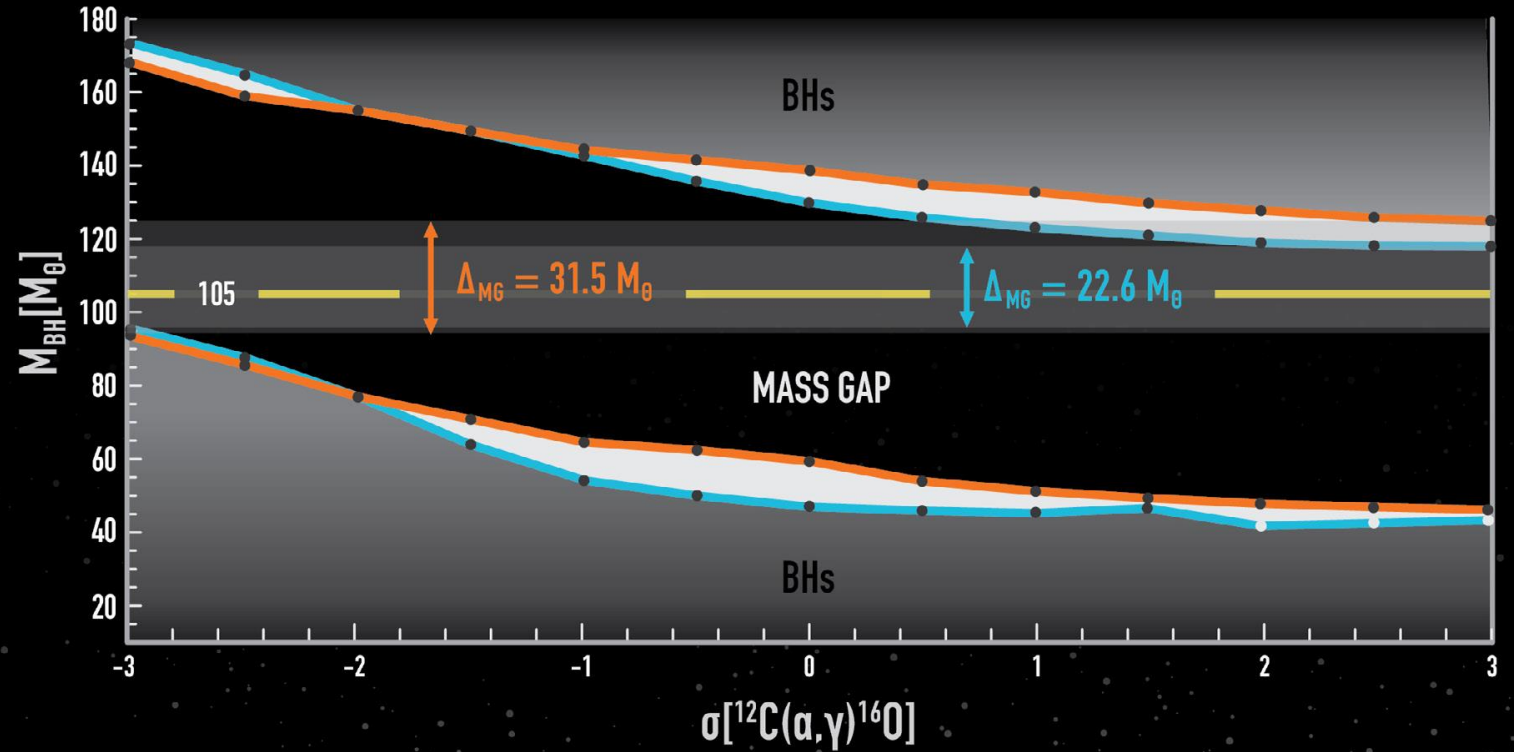
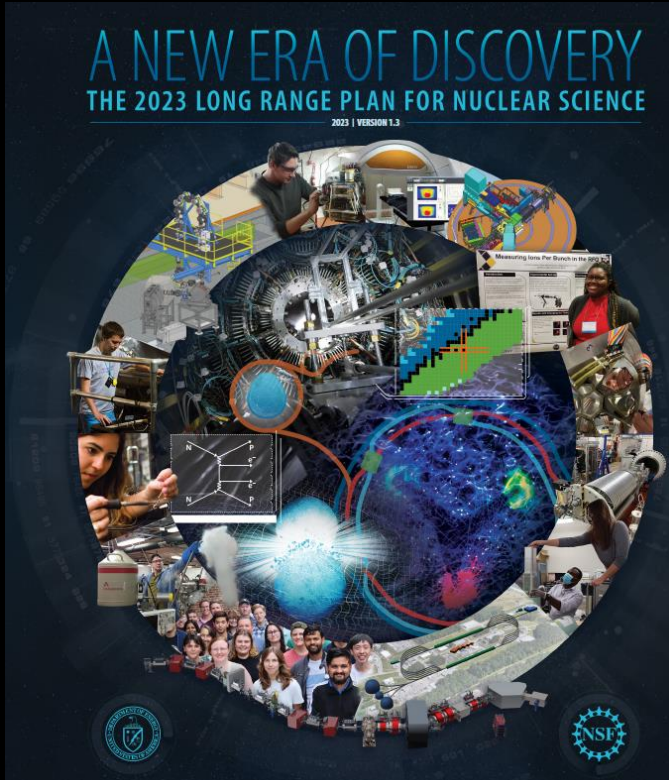
# Black hole mass gap

A pair-instability supernova is a type of supernova predicted to occur when pair production. The explosion is triggered by the  $^{16}\text{O} + ^{16}\text{O}$  fusion reaction.



A. Heger & S. Woosley, ApJ. 567(2002)532,  
 Woosley, Heger and Weaver, Rev. Mod. Phys. 74, 1015

# Impact on Multi-Messenger Astronomy



Farmer et al., ApJ 902:L36(2020)  
NSAC LONG RANGE PLAN (2023)



# Holy grail for nuclear astrophysicists

*Uncertainty in the  $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$  reaction rate affects not only the nucleosynthesis but also the explosion itself.*

The determination of the ratio C/O produced in helium burning is a problem of paramount importance in Nuclear Astrophysics.

*W. Fowler, Nobel lecture, 1983*

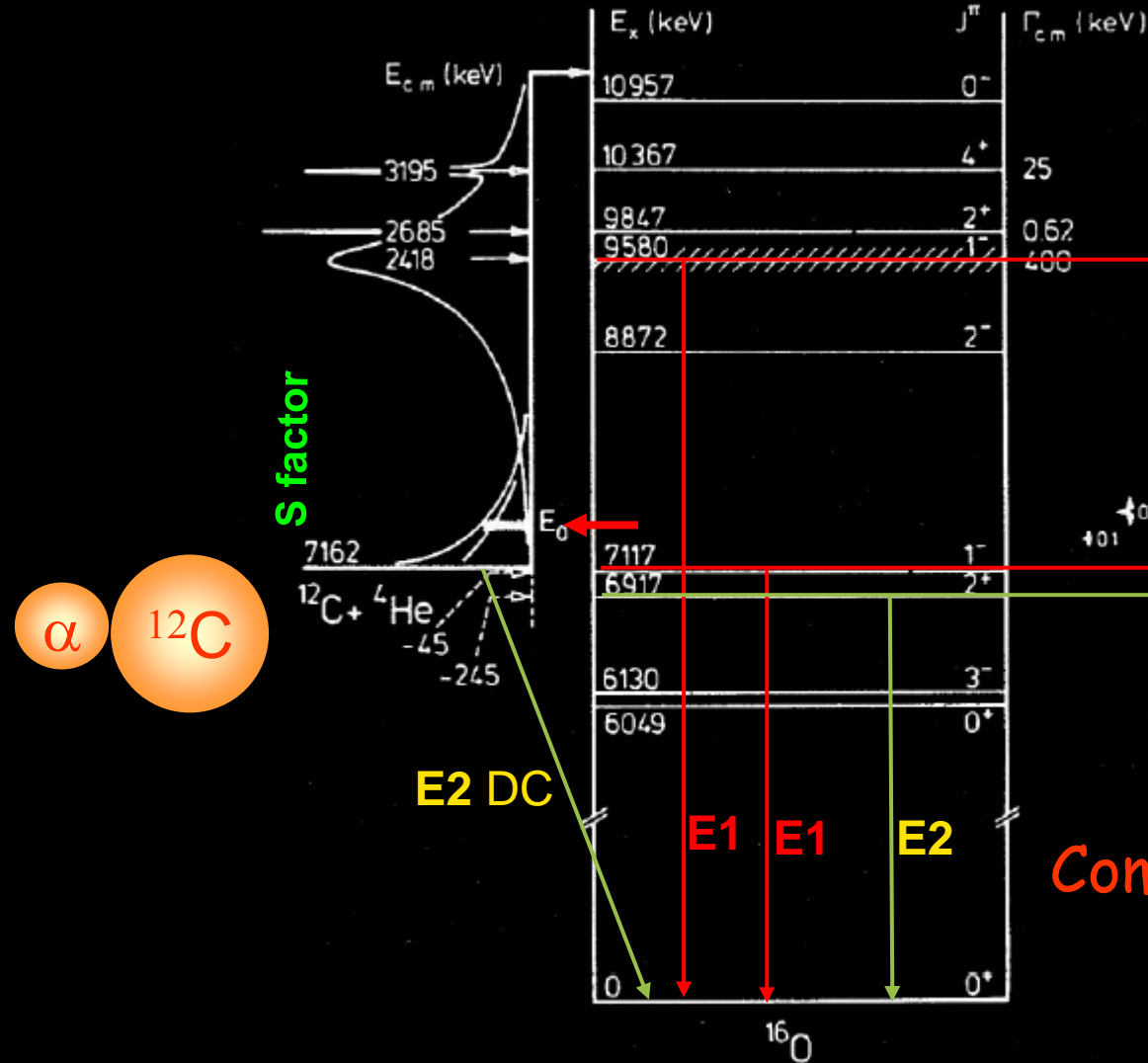
We hope that...will keenly motivate experimentalists to undertake the difficult task of accurately measuring this rate.

*Weaver & Woosley, Phys. Rep. 227 (1993) 65*

The fusion of  $^4\text{He}$  and  $^{12}\text{C}$  nuclei to  $^{16}\text{O}$  is the most important nuclear reaction in the development of massive stars.

*NuPECC Long Range Plan*

# Level Scheme of $^{16}\text{O}$



• 3 resonances

• 1 direct capture

resonance  
(high lying)

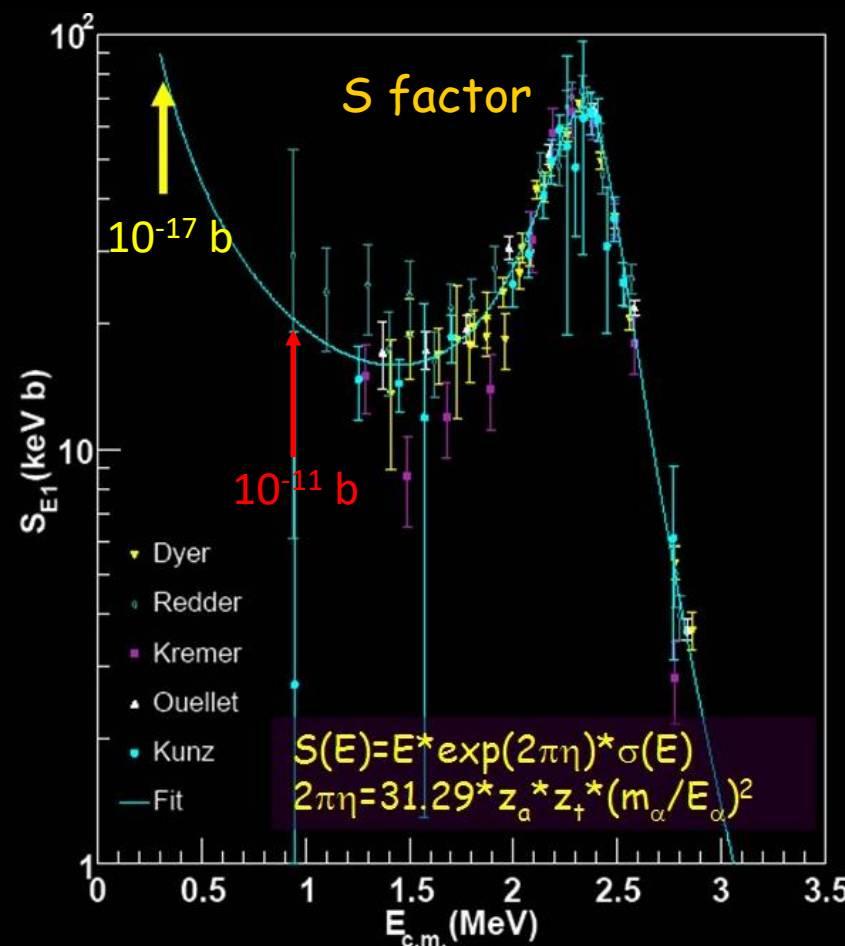
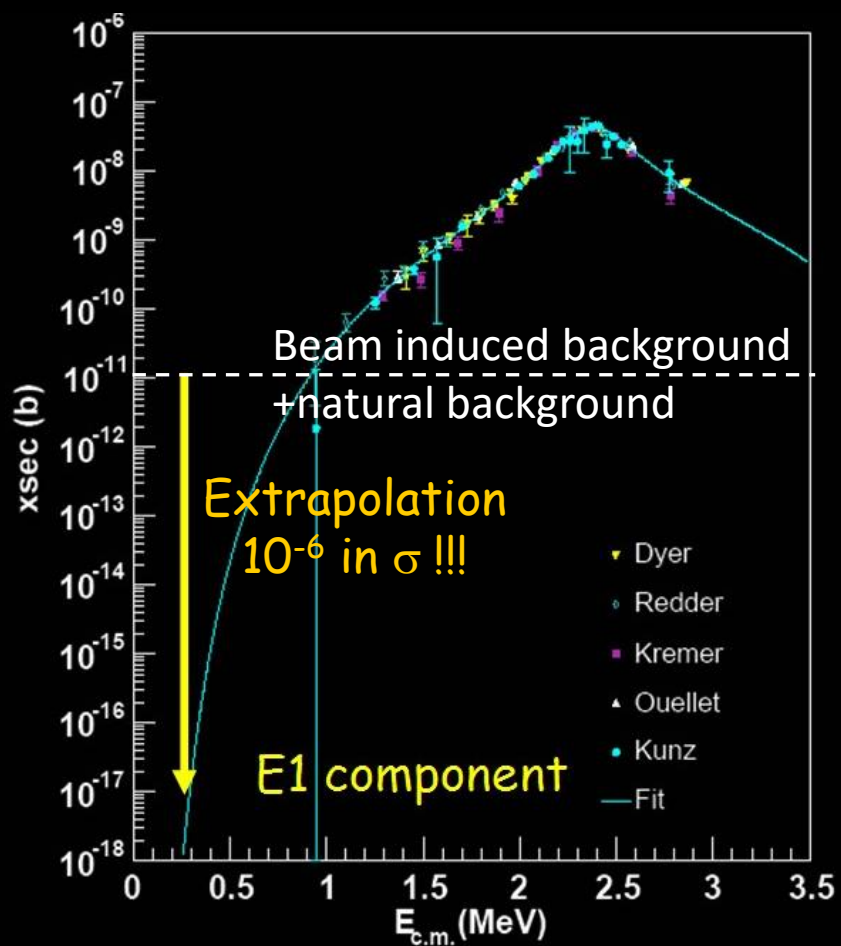
resonance  
(sub threshold)

resonance  
(sub threshold)

Complicated reaction mechanism

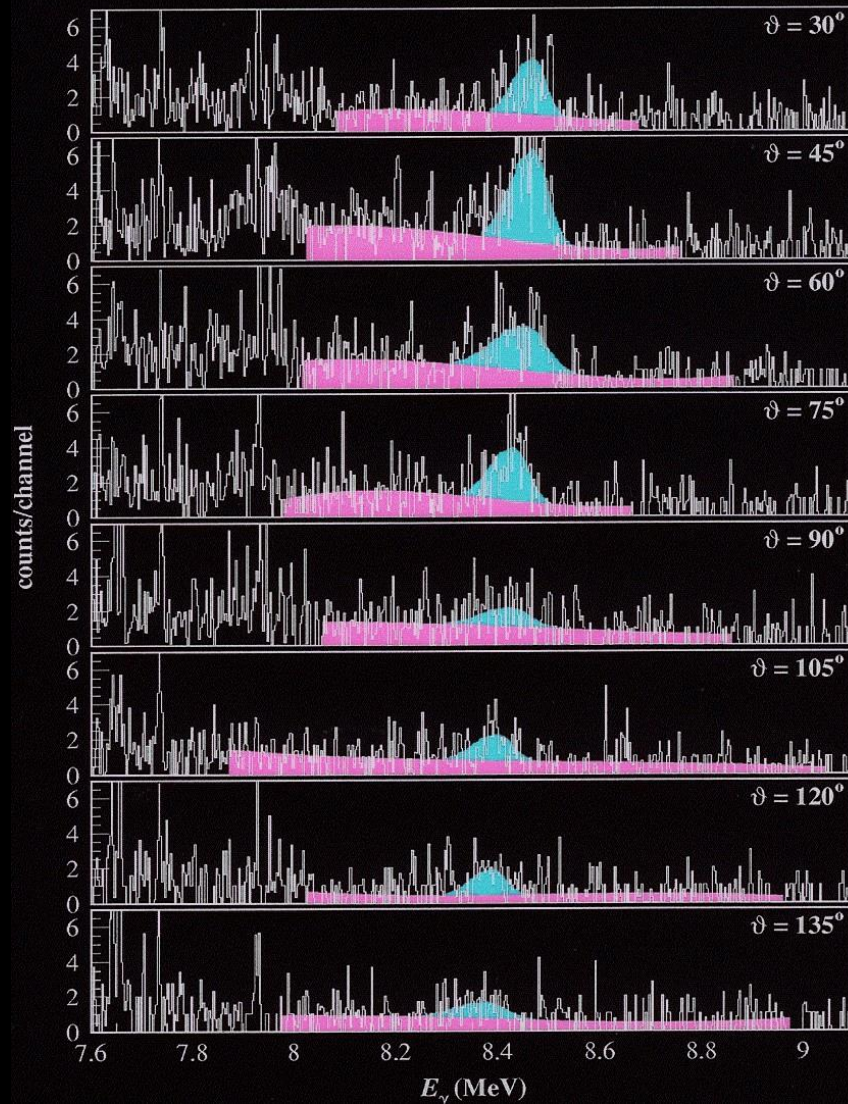
➤ E1 transition requires isospin mixing leads to similar strength to E2

# A fundamental challenges for nuclear astrophysics : *Measure reaction rate at extremely low energies*

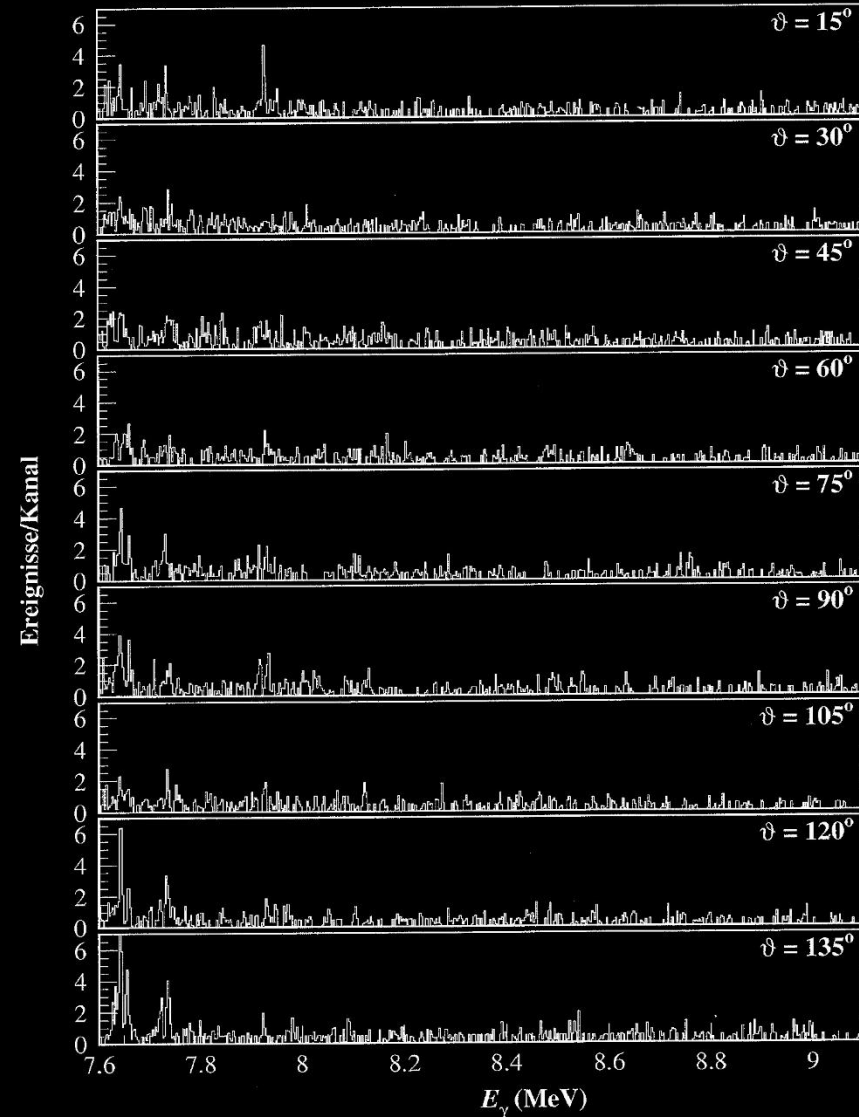


1 barn =  $10^{-24} \text{ cm}^2$

# Difficulties in direct measurement: $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ (1974-)



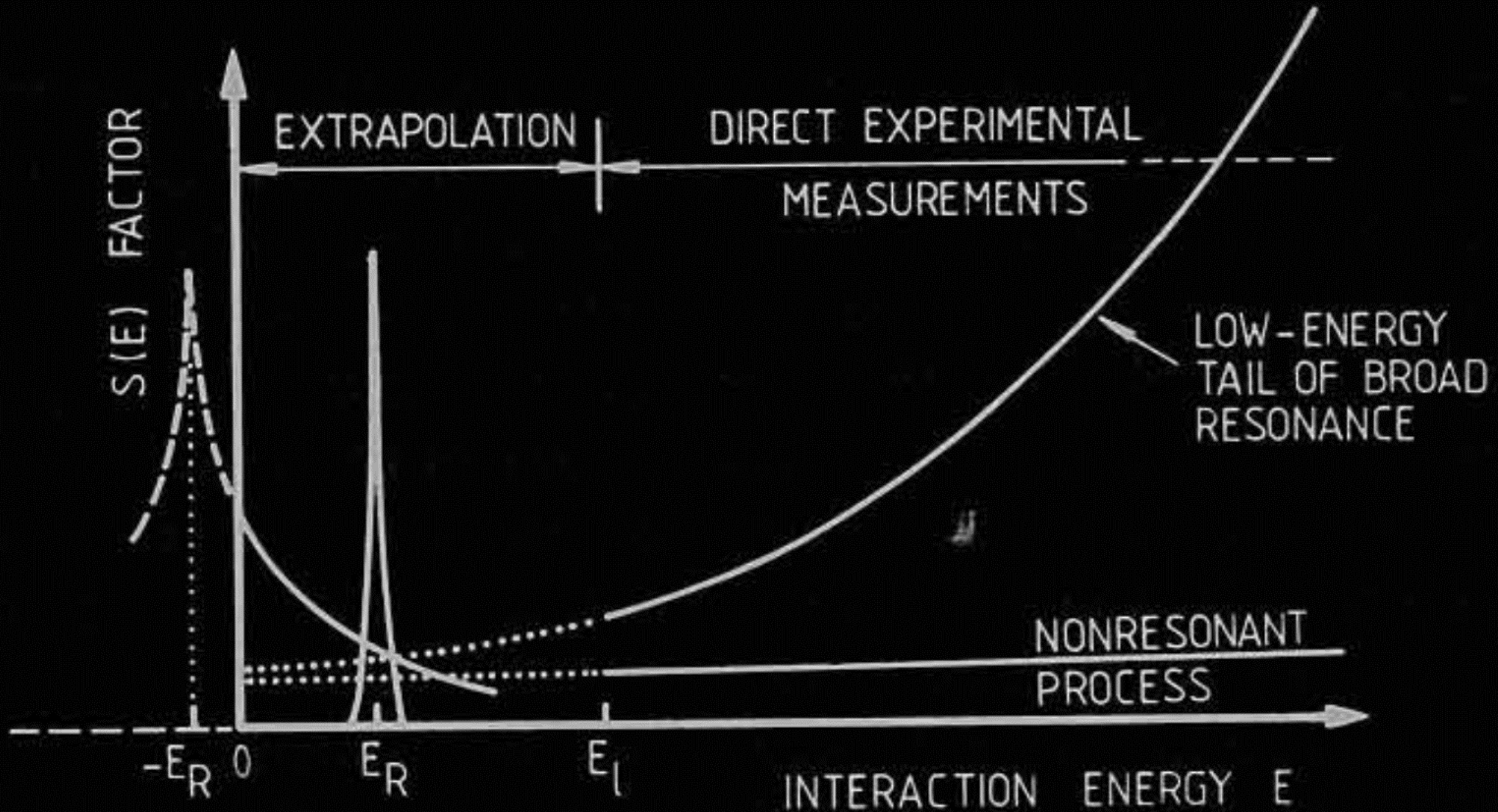
$E_{\text{cm}} = 1.254$  MeV

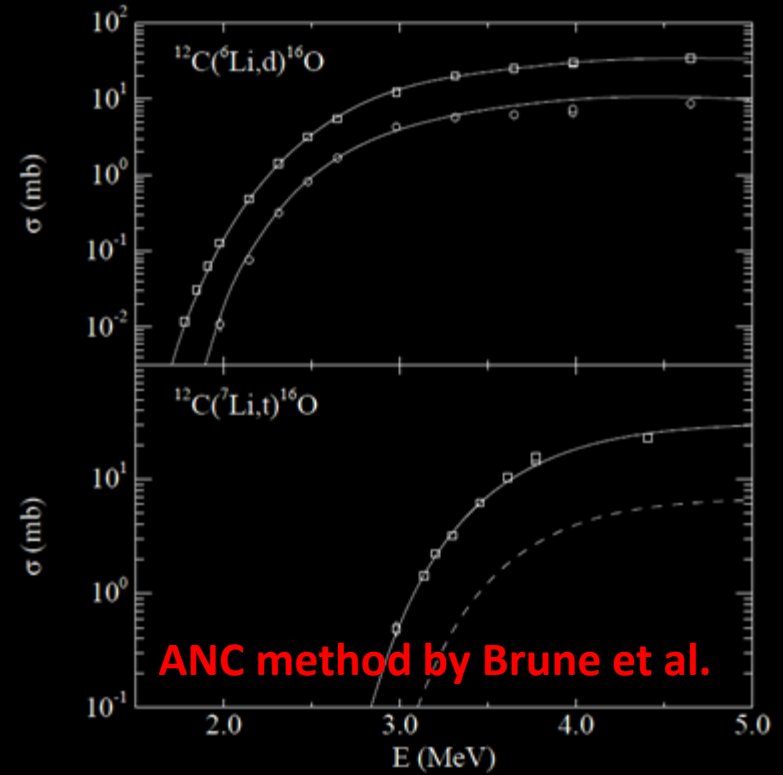
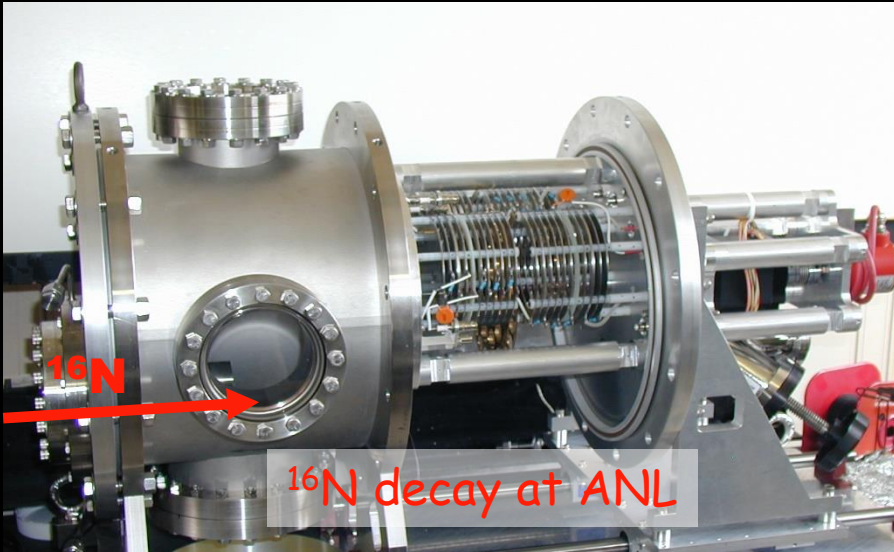


$E_{\text{cm}} = 0.945$  MeV

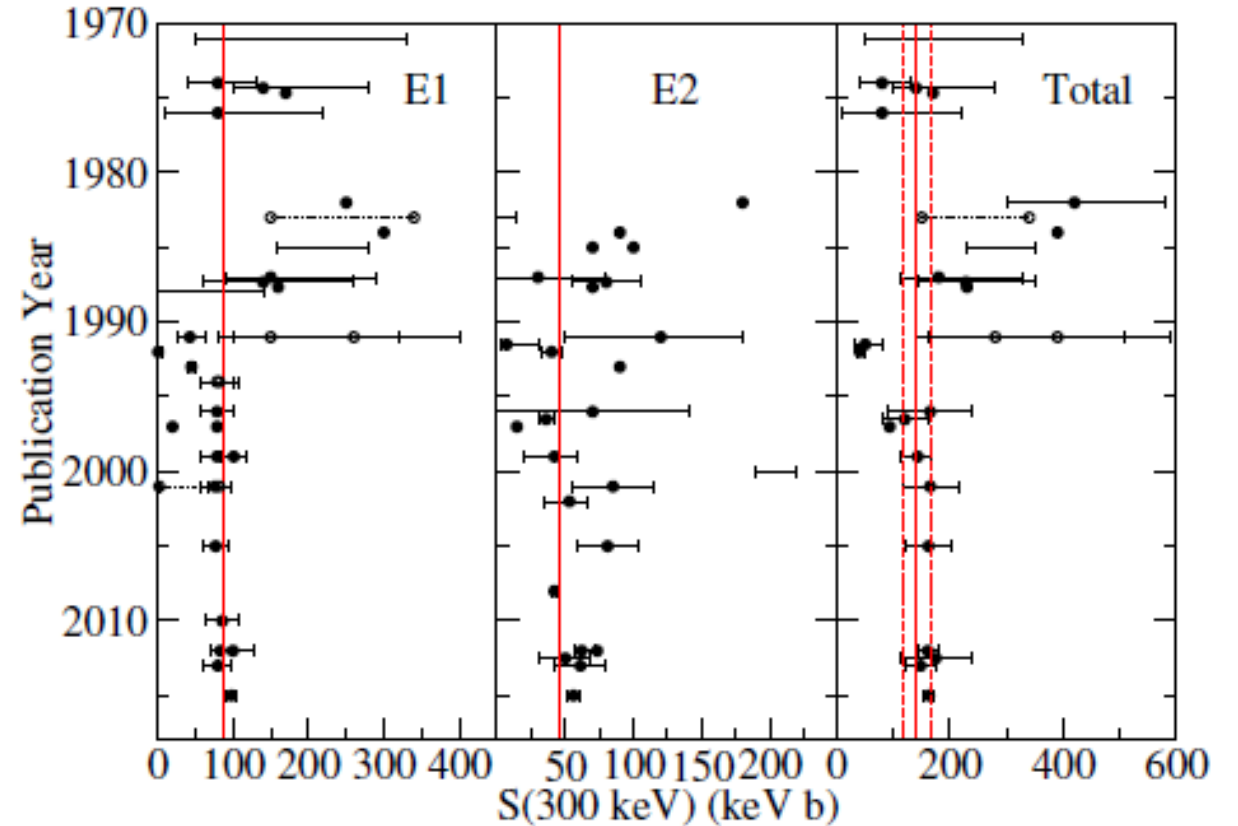
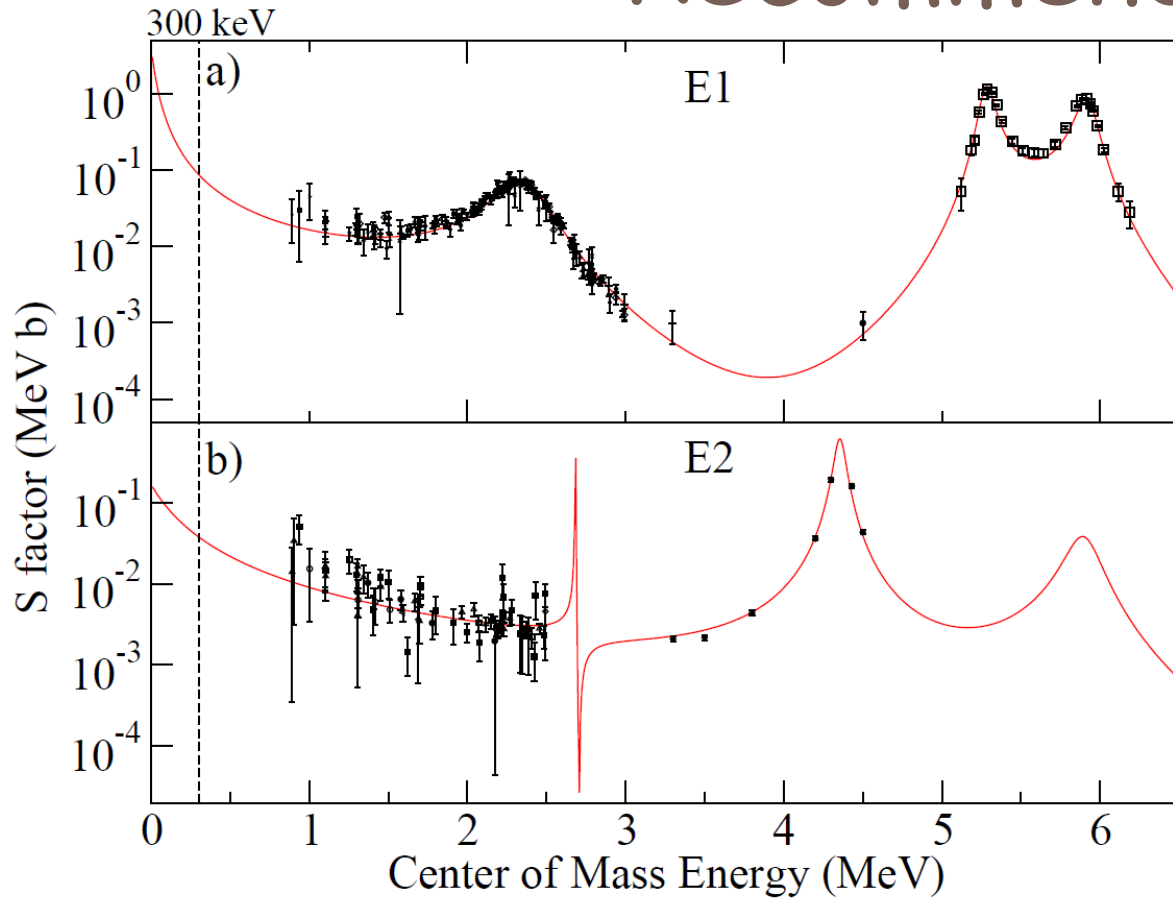
Kunz et al. PRL 86(2001)3244

# A challenging task





# Recommended S factor



$S(E1)=86.3$  keVb;  $S(E2)=45.3$  keVb;  $S(\text{cascade})=7$  keVb

Total S factor =  $140 \pm 21_{(\text{MC})}^{+18}_{-11(\text{model})}$  keV b.

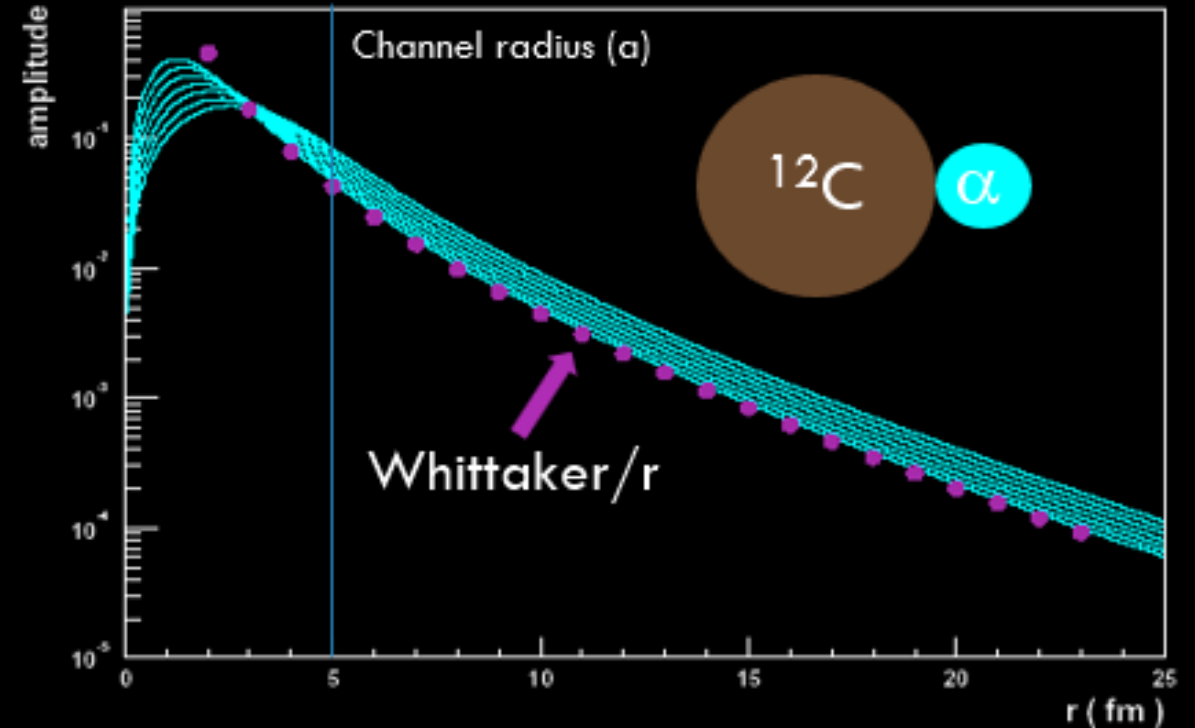
**ANC plays the key role to fix the strengths of the subthreshold states and direct capture**

# Bound state wave function and Whittaker function

$$I_{Bplj}^A(r) \rightarrow C_{Bplj}^A \frac{W_{-\eta, l+1/2}(2k_B r)}{r} \quad (r > R_N)$$

$$u_{lj}(r) \rightarrow b_{lj} \frac{W_{-\eta, l+1/2}(2k_B r)}{r} \quad (r > R_N)$$

$$I_{Bplj}^A(r) \rightarrow C_{Bplj}^A \frac{u_{lj}(r)}{b_{lj}} \quad (r > R_N)$$



- Both tails dominated by Coulomb interaction → same solution
- ANC describes the absolute magnitude of the tail of the overlap function and is determined by the complicated internal n-n interaction
- $b_{lj}$ , obtained with potential model, strongly depends on geometric parameters



# Subthreshold resonance:

From  $^{12}\text{C}(^6\text{Li},d)^{16}\text{O}$  to  $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$

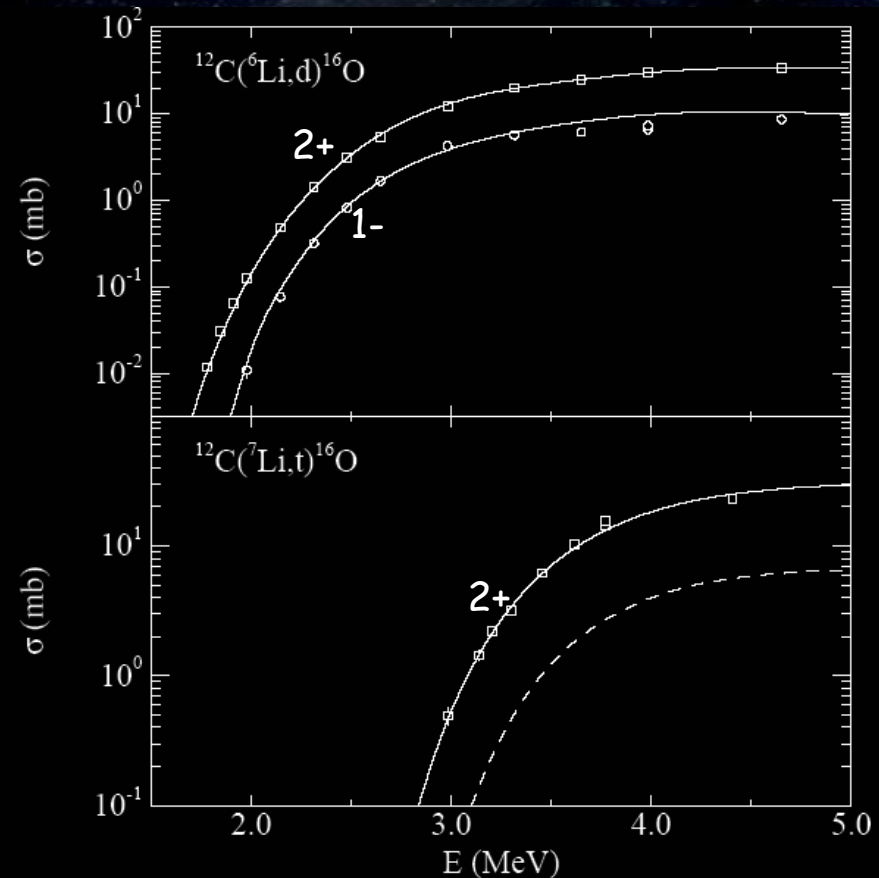
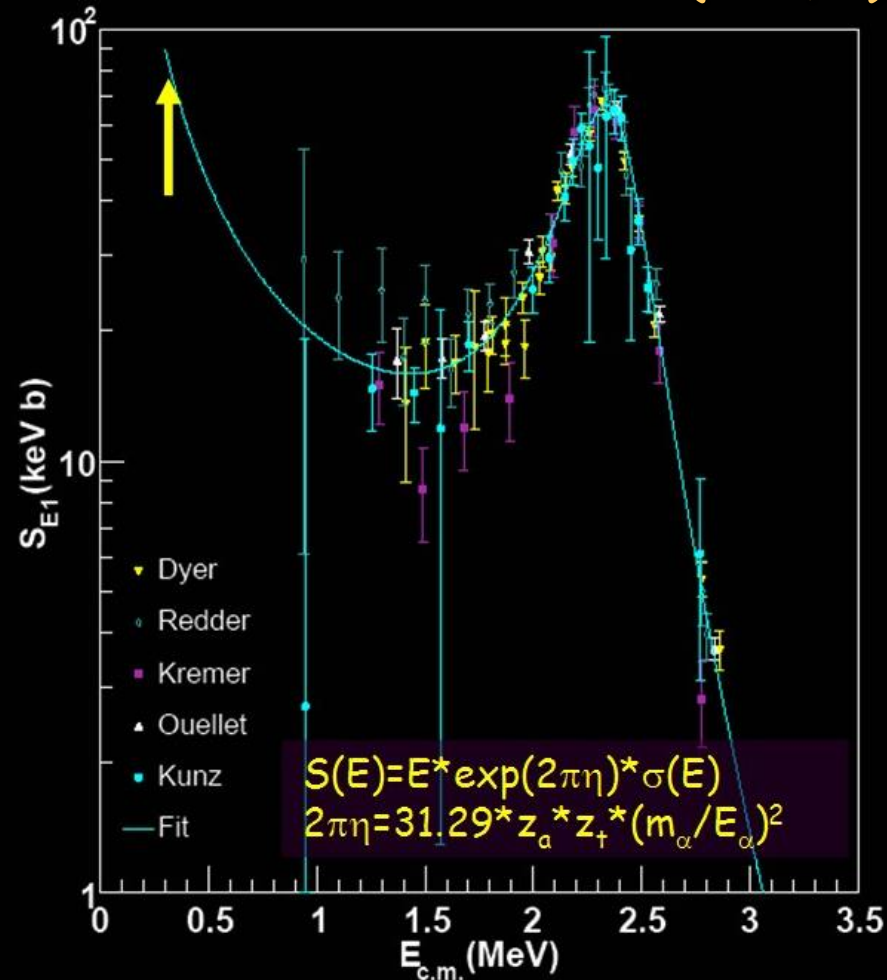
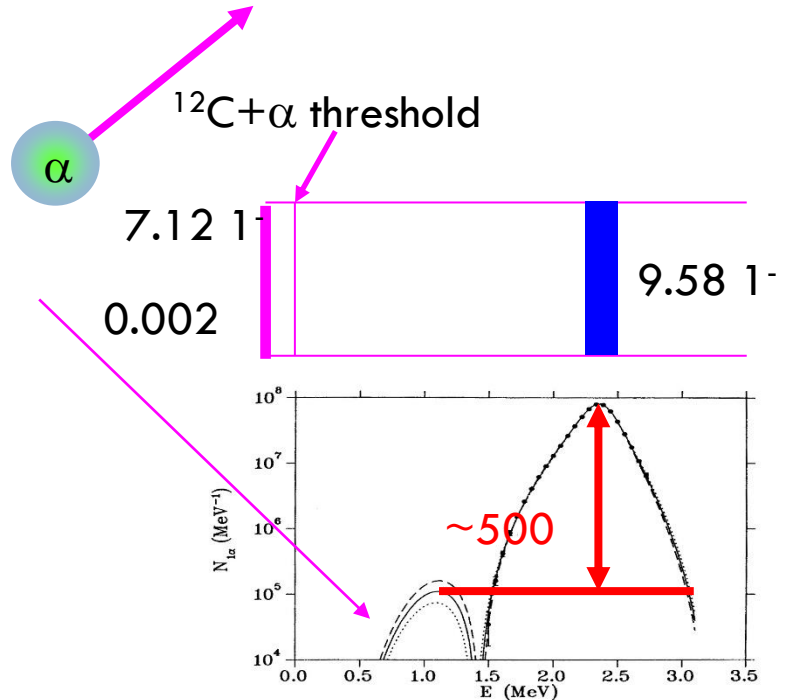
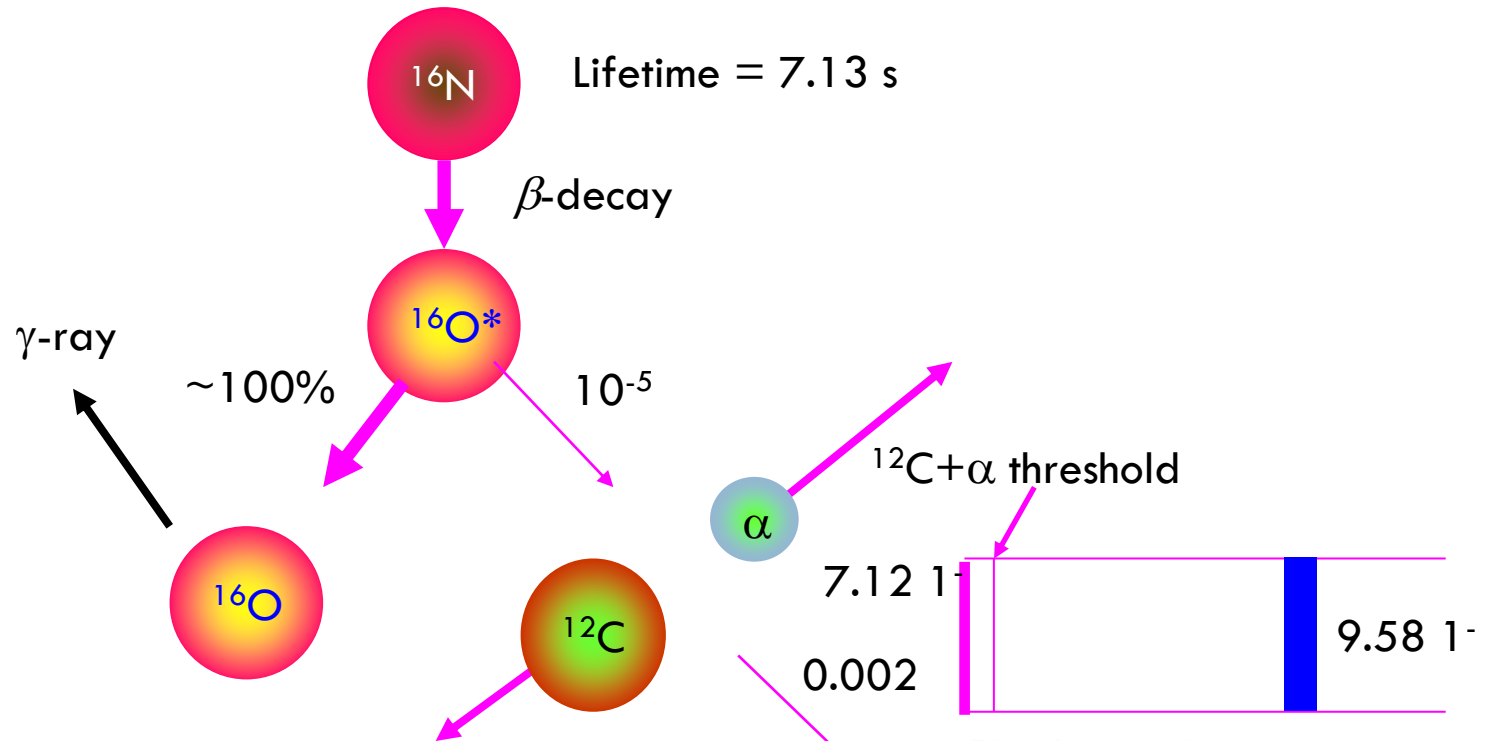


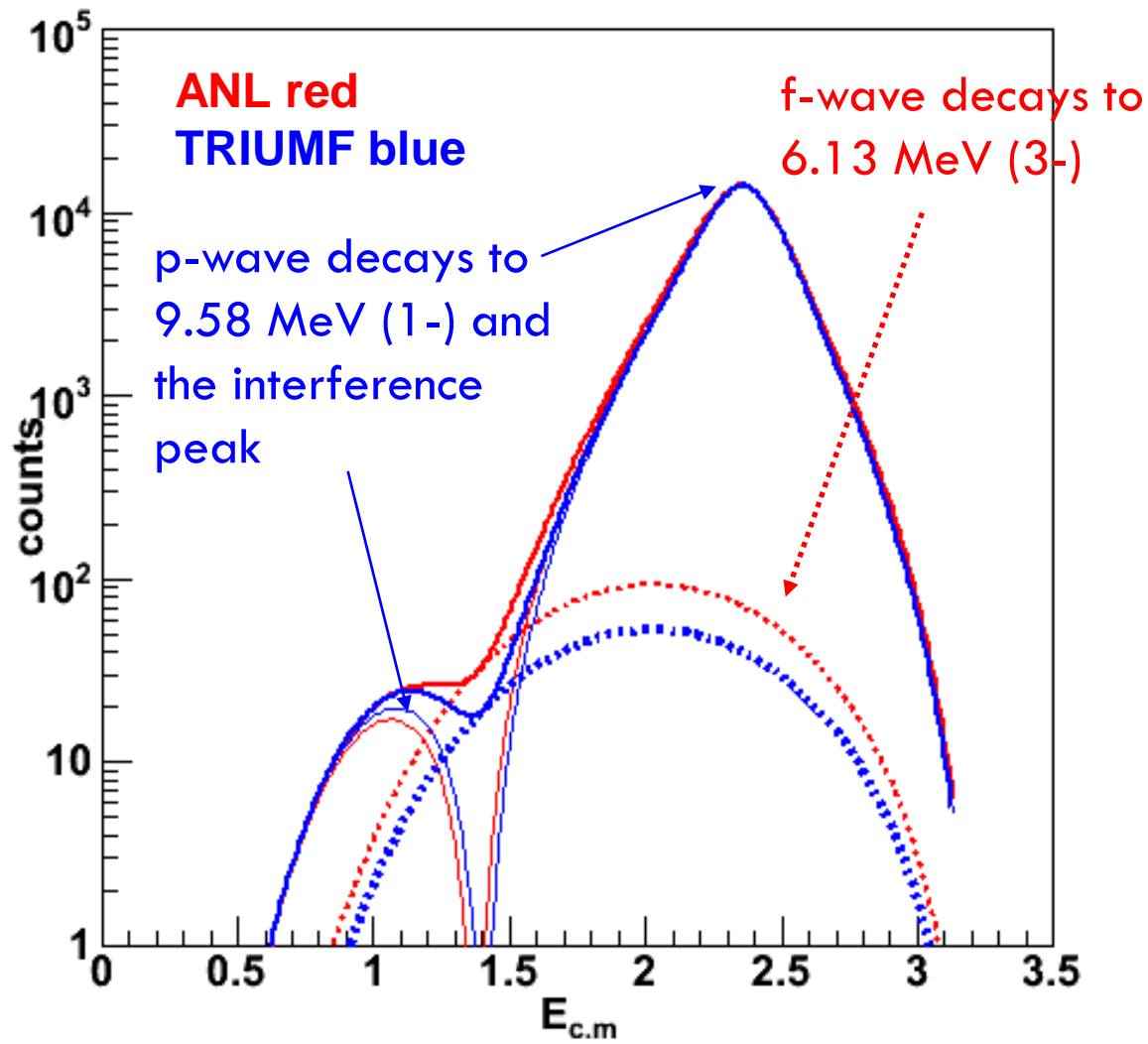
FIG. 2. Total cross sections measured using  $^6\text{Li}$  (upper panel) and  $^7\text{Li}$  (lower panel) beams for the 6.92-MeV  $2^+$  state of  $^{16}\text{O}$  ( $\square$ ) and the 7.12-MeV  $1^-$  state ( $\circ$ ,  $^6\text{Li}$  beam only). The solid curves are DWBA calculations normalized to the data; the dashed curve is described in the text.

# $^{16}\text{N}$ $\beta$ -delayed $\alpha$ decay

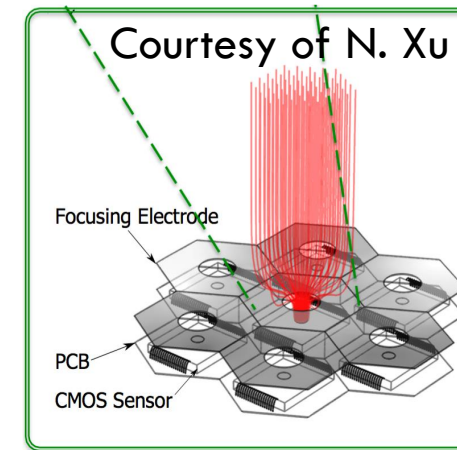
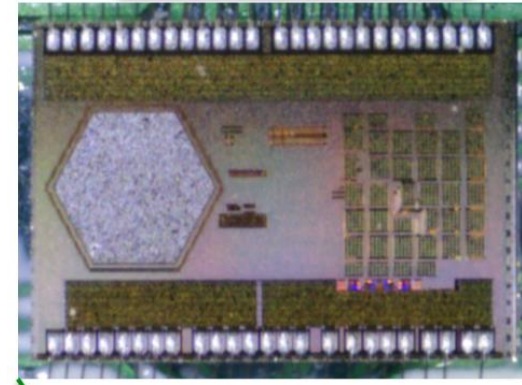


Baye & Descouvemont predicted the  
 interference peak in 1988 !!!  
 NPA458(1988)445

Another  $^{16}\text{N}$  decay experiment is needed to resolve the tension!



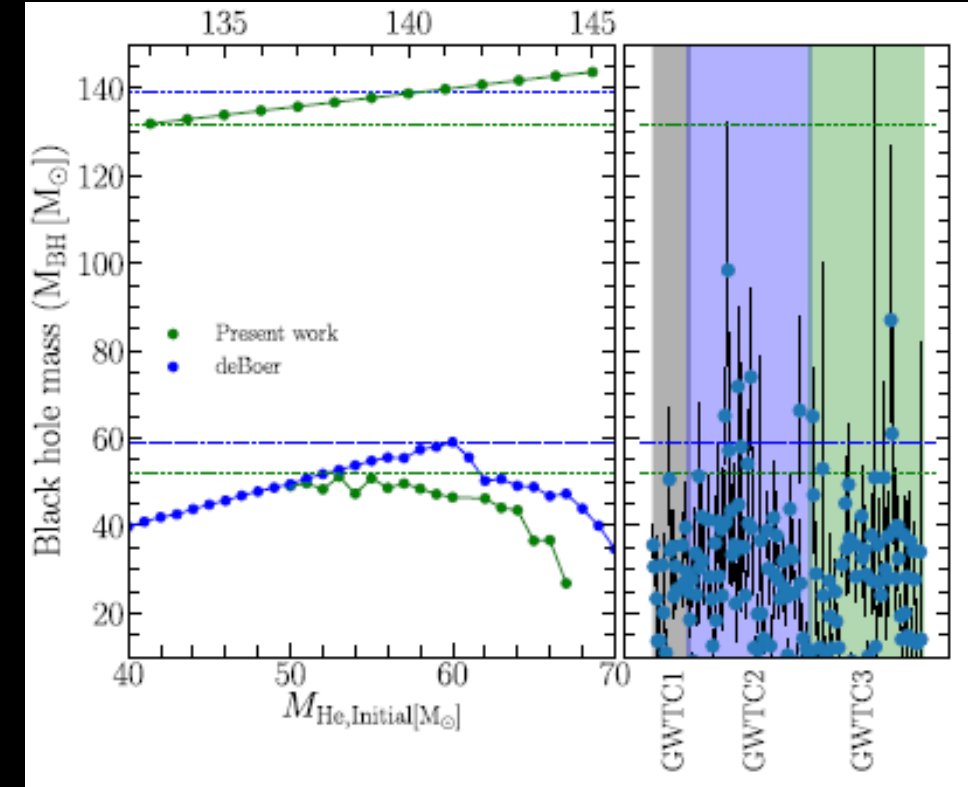
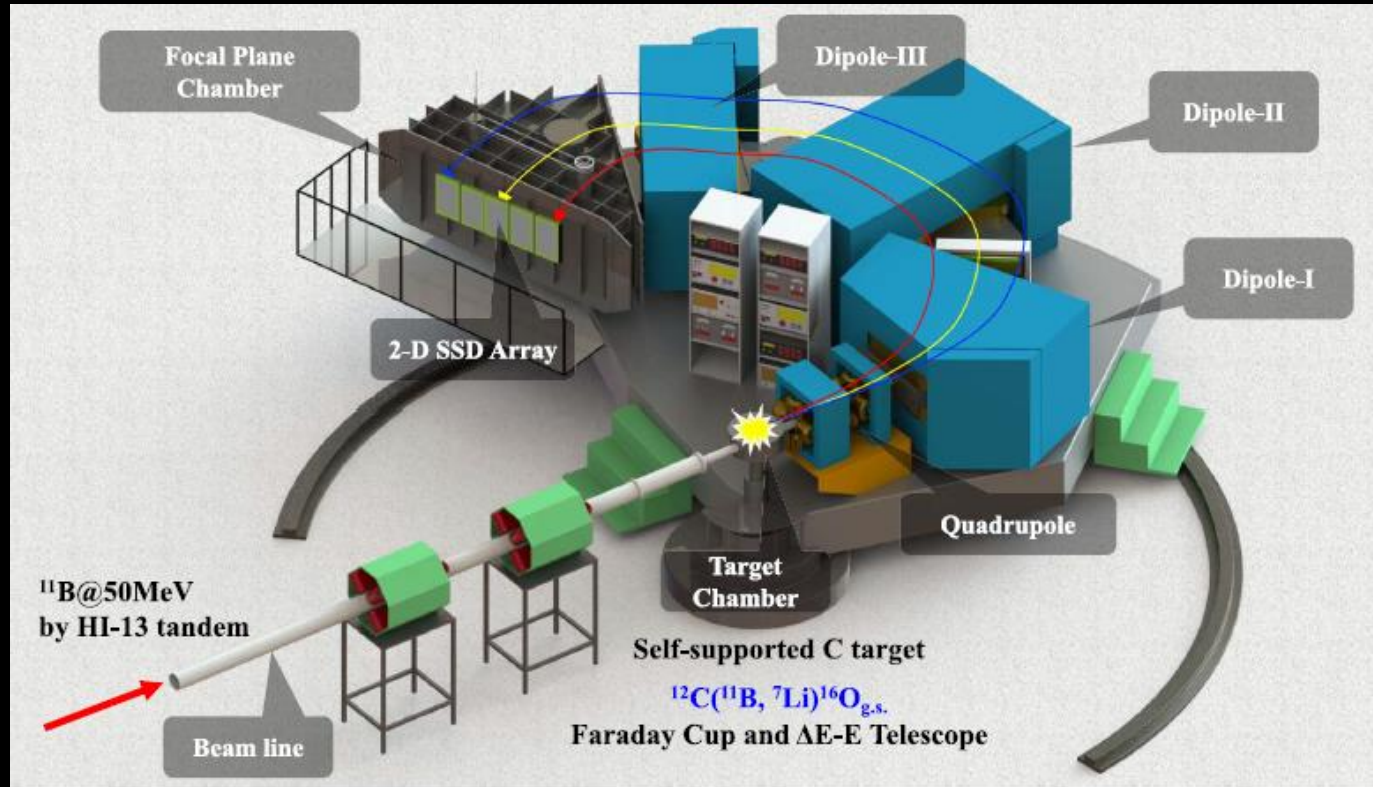
**Topmetal**



**Topmetal CMOS Array**

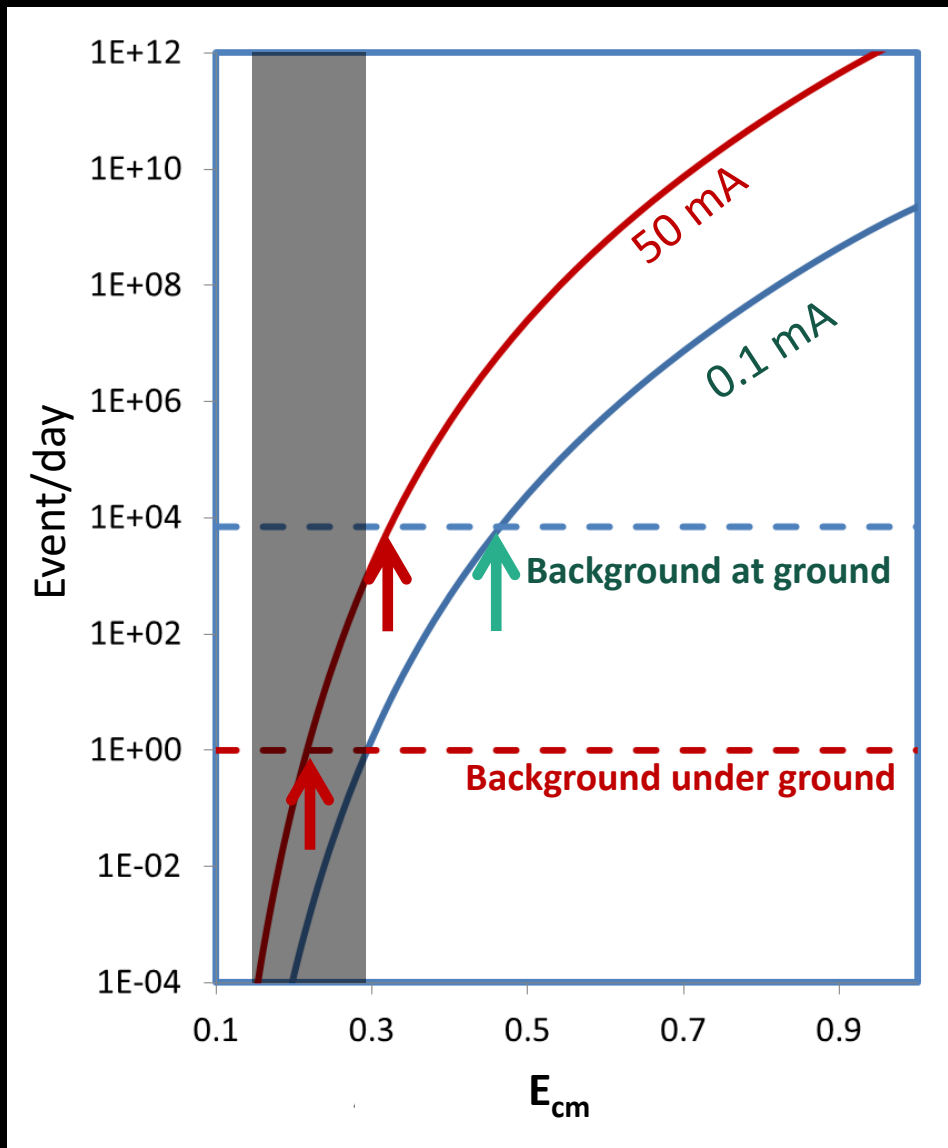
Azuma et al., PRC(1994); Tang et al., PRL(2007), PRC(2010)

# New measurement of ANC of $^{16}\text{O}(\text{g.s.})$ leads to larger $S(\text{E}2)$

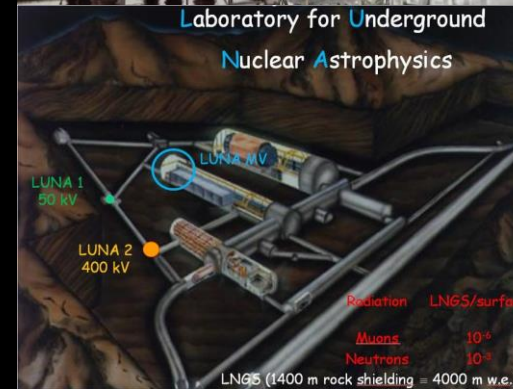


- $S(\text{E}2)$  increases from **45 keVb to  $70 \pm 7$  keVb**  $\rightarrow$  Total S factor = 162 keVb (err TBD)
- The updated  $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$  reaction rate decreases the lower and upper edges of the black hole mass gap about 12% and 5%, respectively.

# Challenging the tiny cross-sections



JUNA@China  
Jinping  
Underground  
Laboratory  
(2400 m rock shielding)

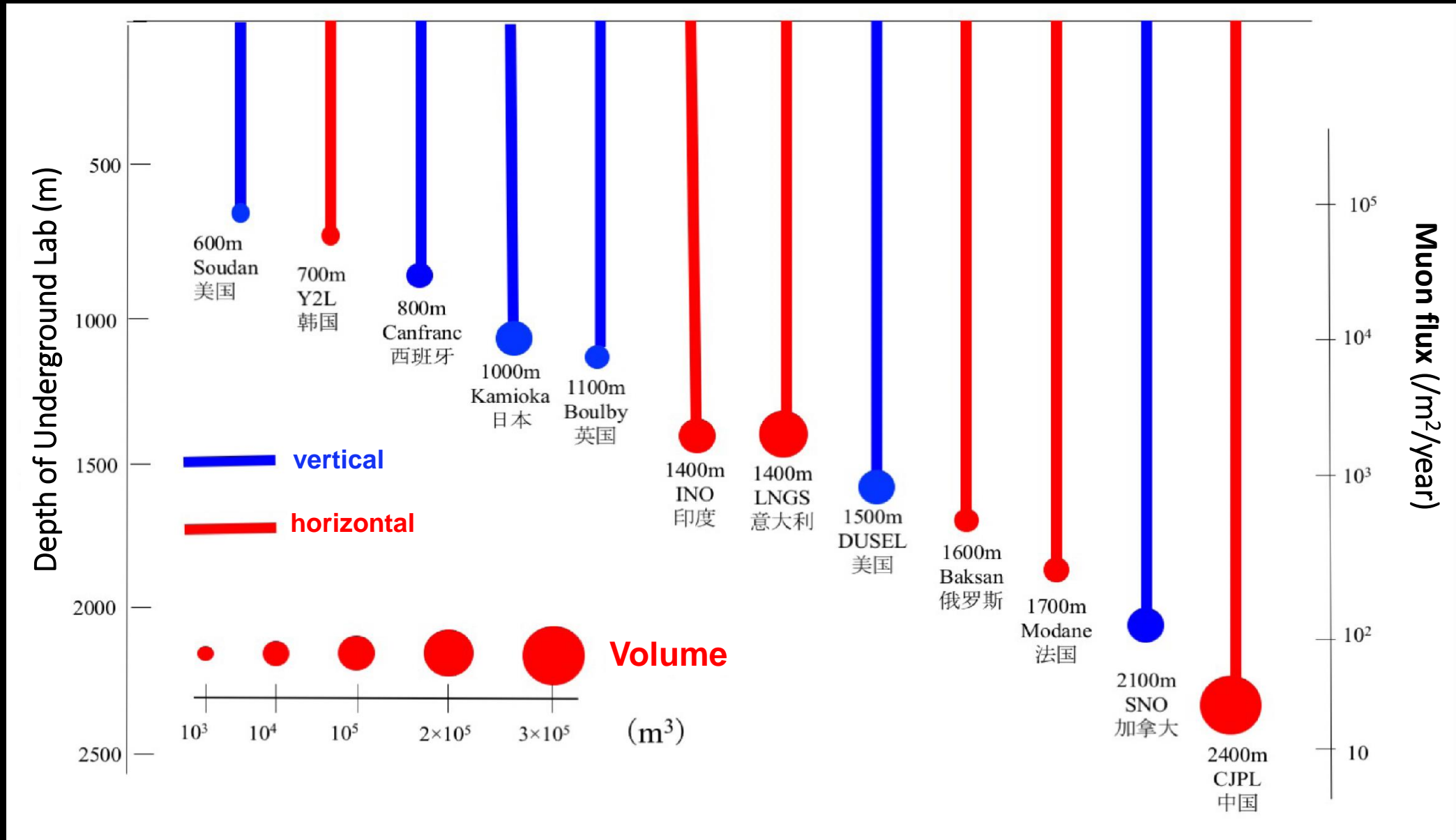


LUNA @  
Gran Sasso  
Italy  
1400m rock shielding



CASPAR @ South Dakota  
(1480 m rock shielding)

# Comparison of underground laboratories



# JUNA: The highest-intensity accelerator in the deepest underground lab

Beam	Intensity(pmA)	Energy,keV
$H^+$	10	70-400
$He^+$	10	70-400
$He^{++}$	1-1.25	140-800



- The 3<sup>rd</sup> underground accelerator facility after LUNA and CASPAR
- 2400 m overburn (6700m w.m.), the deepest underground lab by now

# Jinping Underground Nuclear Astrophysics(JUNA) projects (2015-2021)



**CIAE, W.P. Liu**  
 $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$



**BNU, J.J. He**  
 $^{19}\text{F}(p,\alpha)^{16}\text{O}$   
 $^{19}\text{F}(p,\gamma)^{20}\text{Ne}$



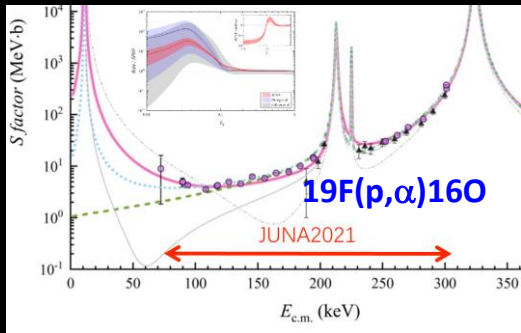
**CIAE, Z.H. Li**  
 $^{25}\text{Mg}(p,\gamma)^{26}\text{Al}$



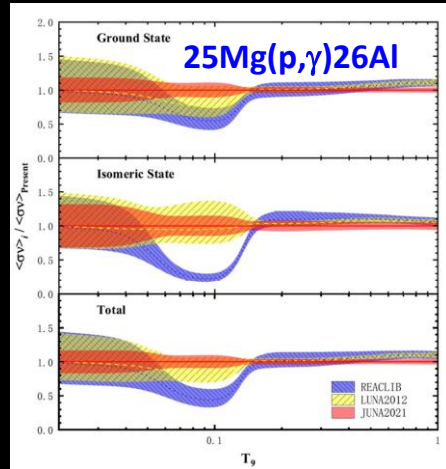
**IMP, X.D. Tang**  
 $^{13}\text{C}(\alpha,n)^{16}\text{O}$



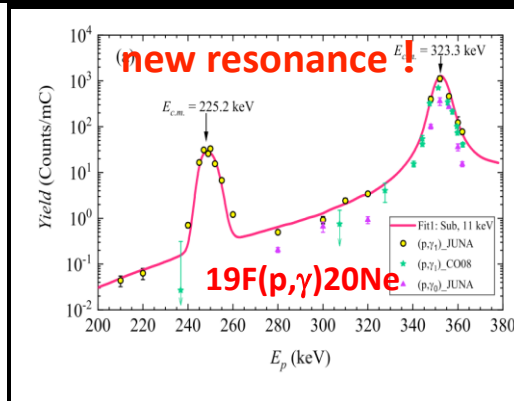
**CIAE, G. Lian**  
 Accelerator and Infrastructure



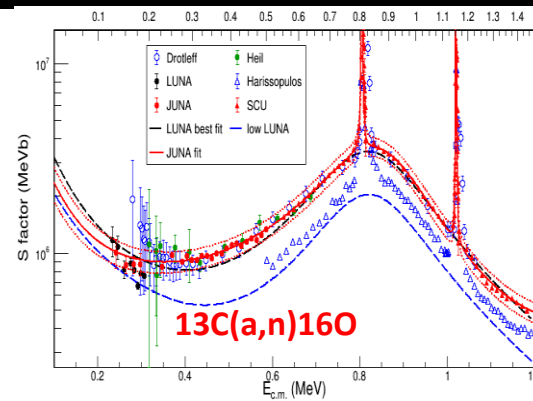
Zhang et al., PRL(2021)



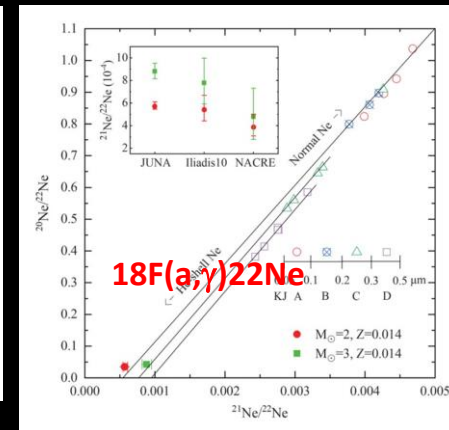
Su et al., Science Bulletin(2022)



Zhang et al,  
 Nature (2022)



B.S. Gao et al,  
 PRL (2022)

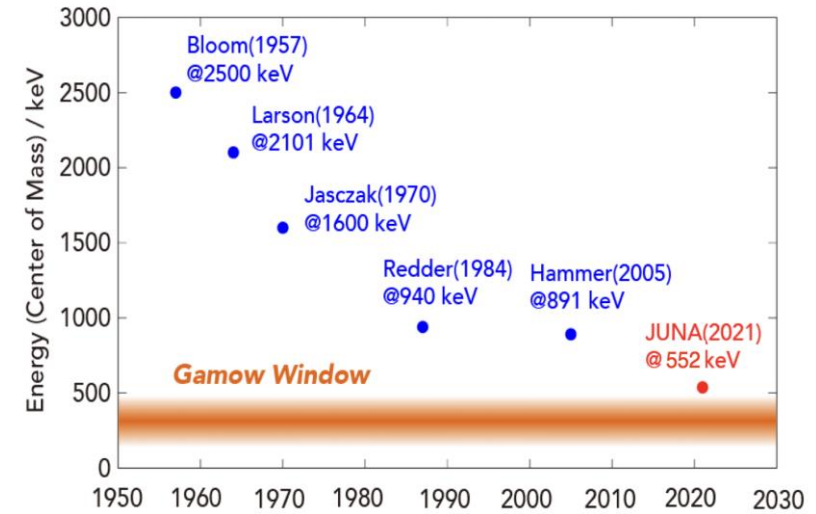
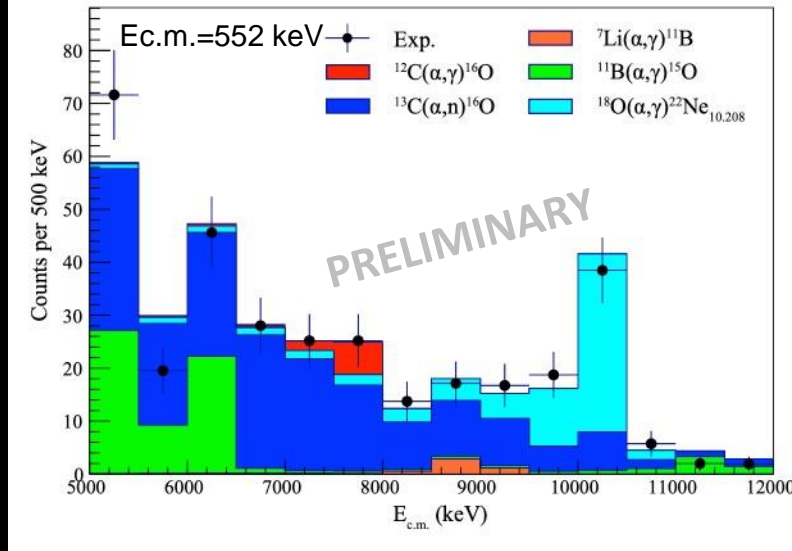
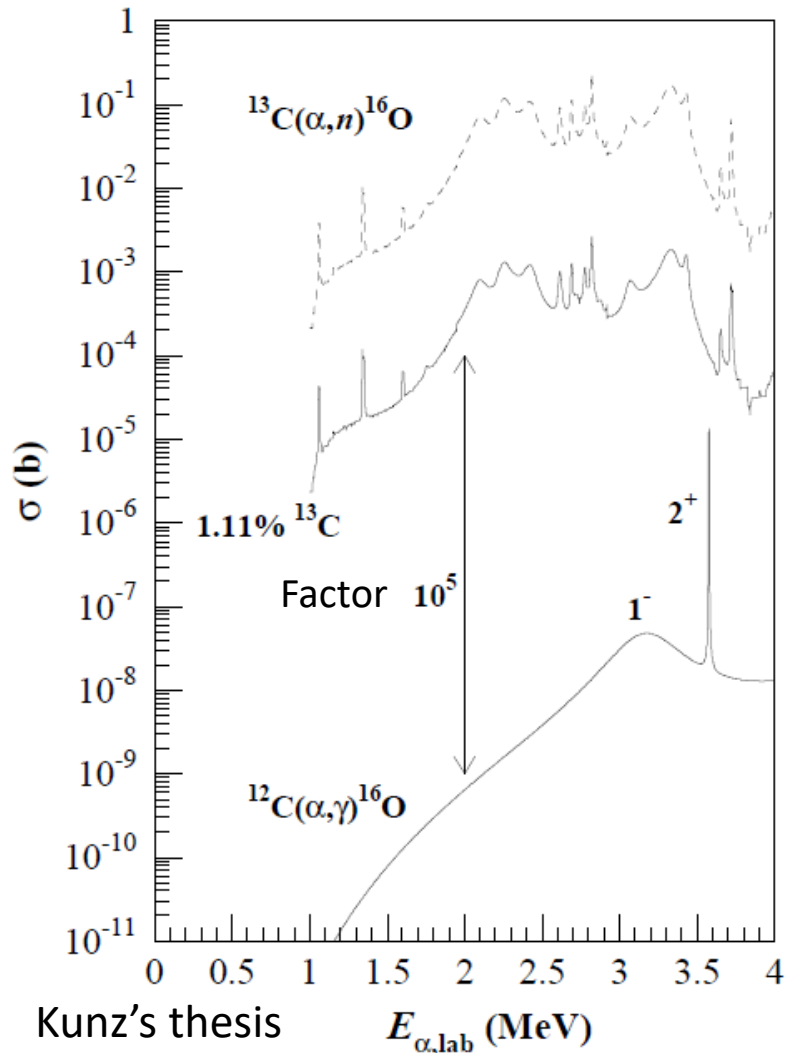


Wang et al,  
 PRL (2023)



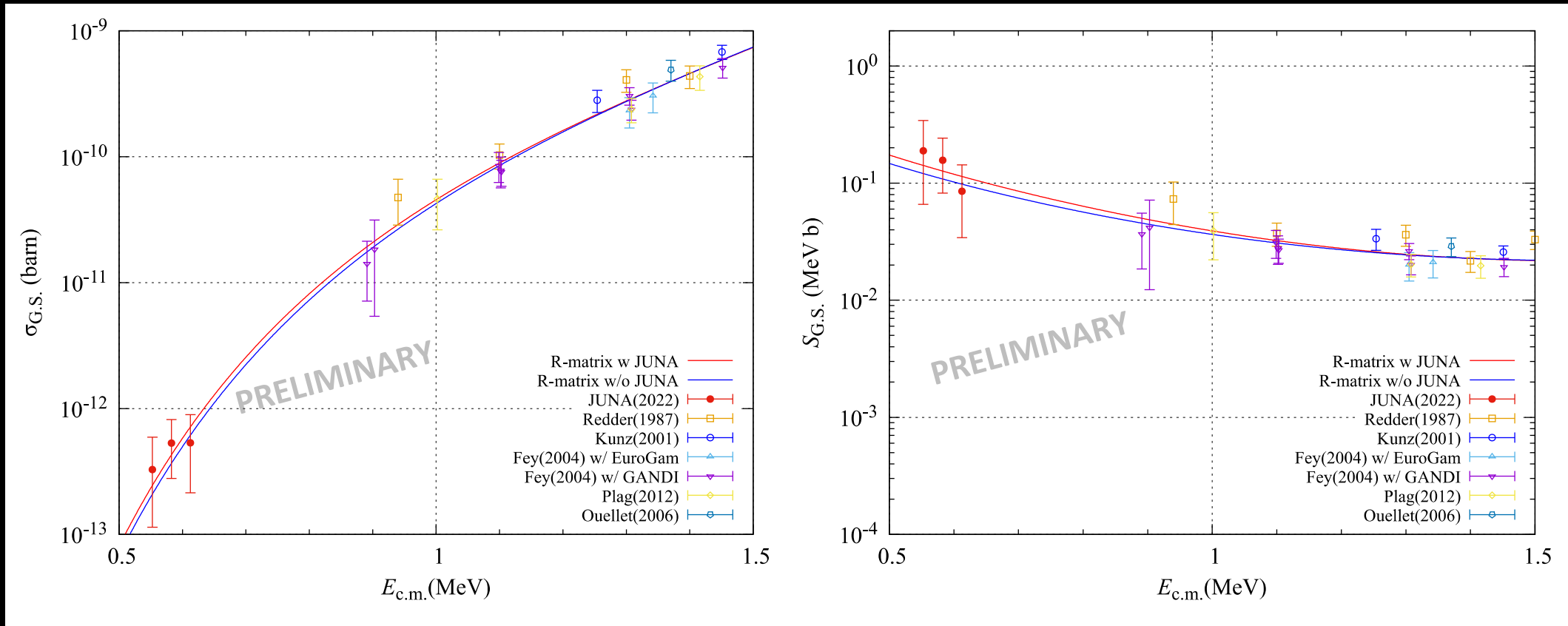
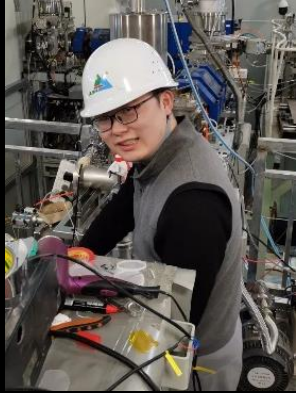


# $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ : better sensitivity



- FCVA implantation CTi thick targets with enriched  $^{12}\text{C}$  sample
- BGO+LaBr<sub>3</sub> (Lanthanum bromide) veto
- Background is dominated by  $^{18}\text{O}(\alpha,\gamma)^{22}\text{Ne}$  contaminations
- Sensitivity:  $10^{-11}\text{b} \rightarrow 10^{-12}\text{b}$  @  $E_{\text{c.m.}} = 552$  keV

# A great progress towards stellar energies



# $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$ reaction rate

$$N_A \langle \sigma v \rangle = 6.9 \cdot 10^8 \cdot T_9^{-2/3} \cdot S_{eff} [\text{MeV} - b] \cdot e^{-\frac{32.11}{T_9^{1/3}}} \left[ \frac{\text{cm}^3}{\text{s}} \right]$$

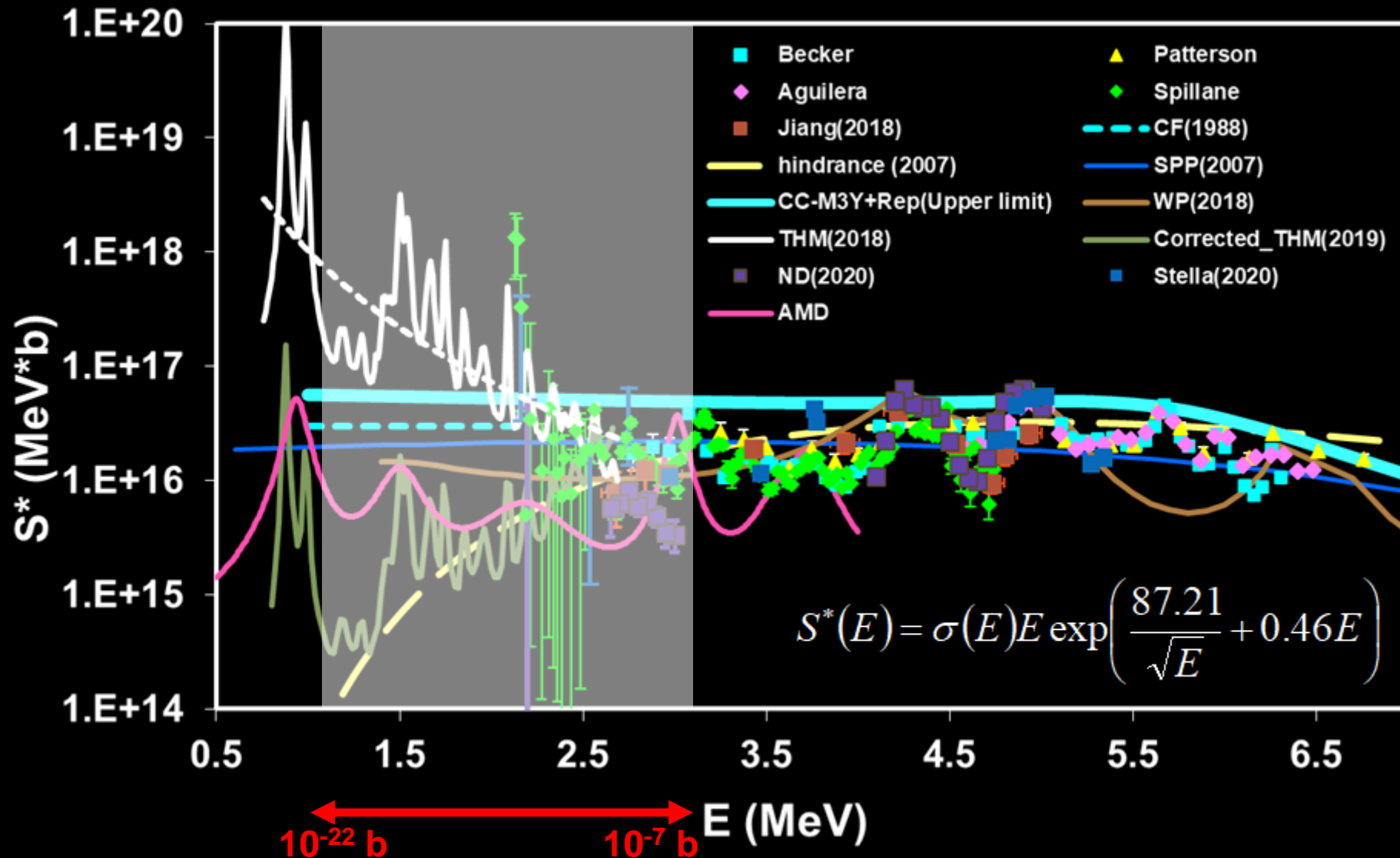
$$S_{eff} \approx 0.17 [\text{MeV} - b]$$

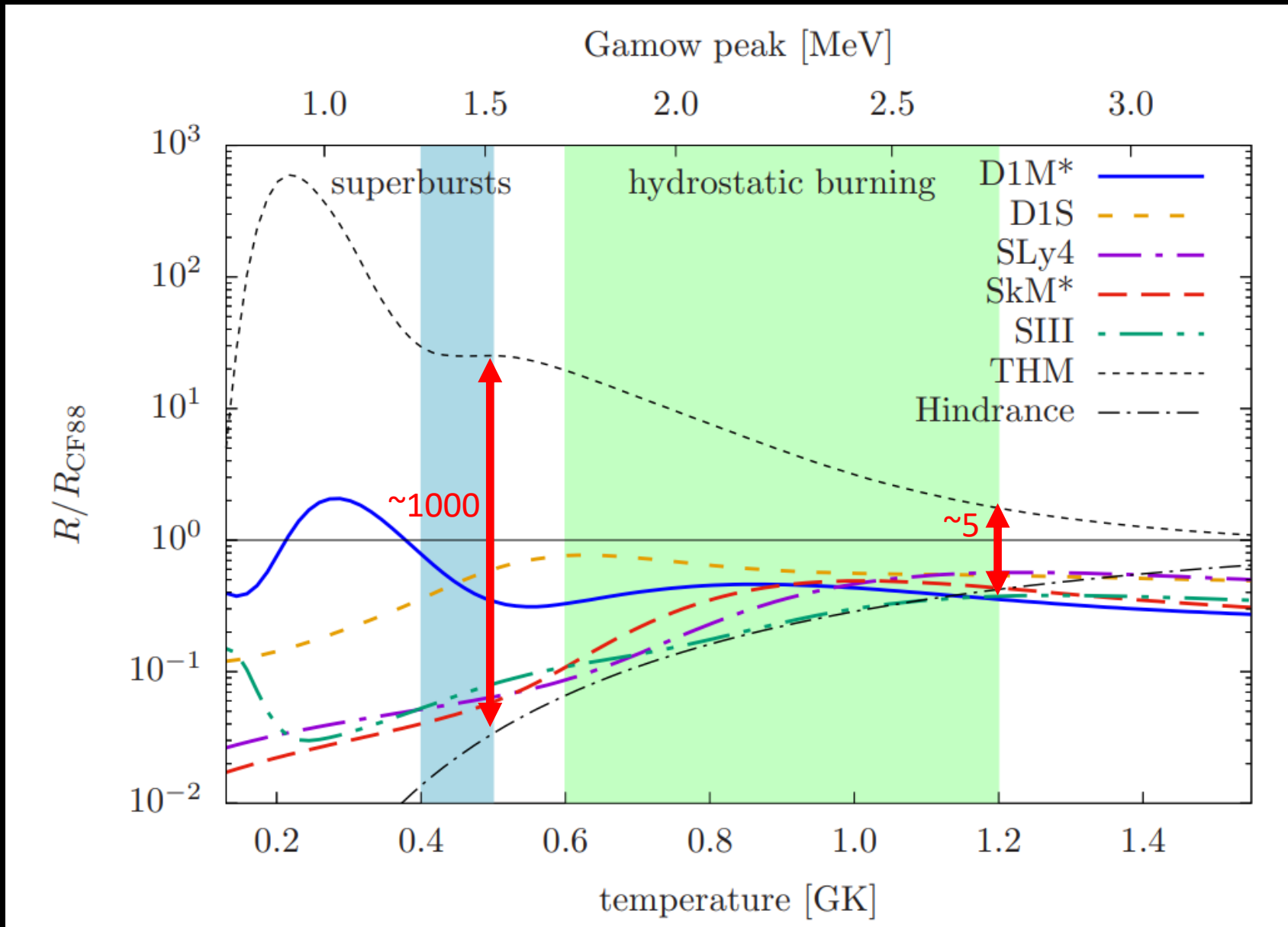
$$N_A \langle \sigma v \rangle \approx 1.2 \cdot 10^8 \cdot T_9^{-2/3} \cdot e^{-\frac{32.11}{T_9^{1/3}}} \left[ \frac{\text{cm}^3}{\text{s}} \right]$$

Only very crude estimate!

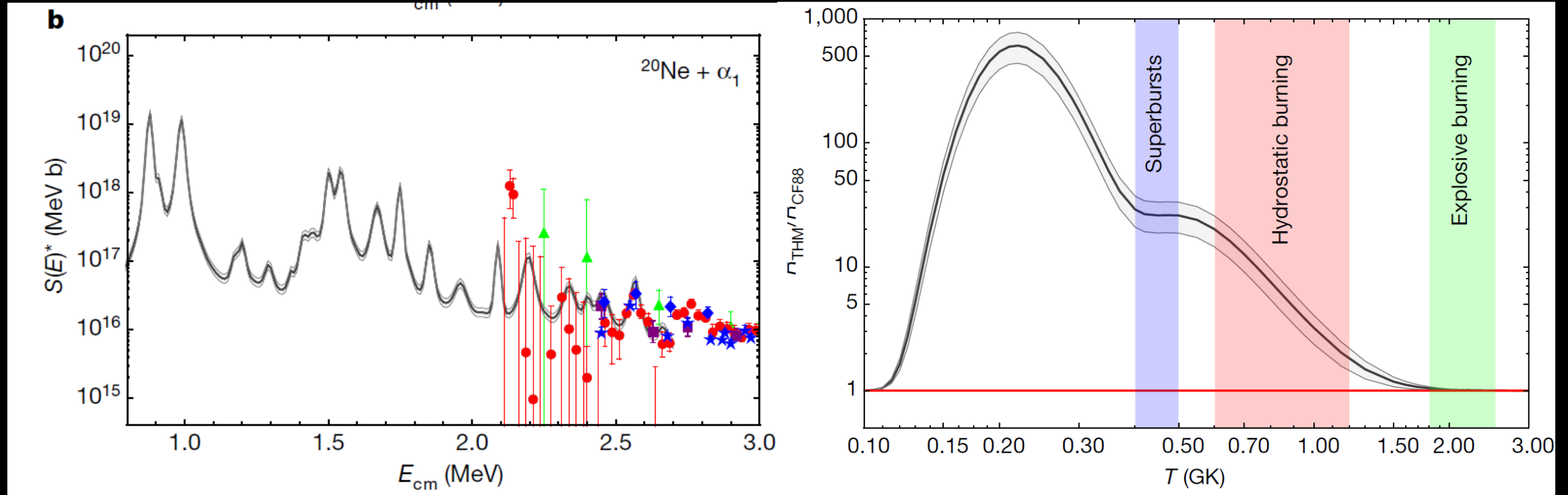
E-T dependency needs to be considered!

# $^{12}\text{C}+^{12}\text{C}$ Fusion Reaction (1960-)



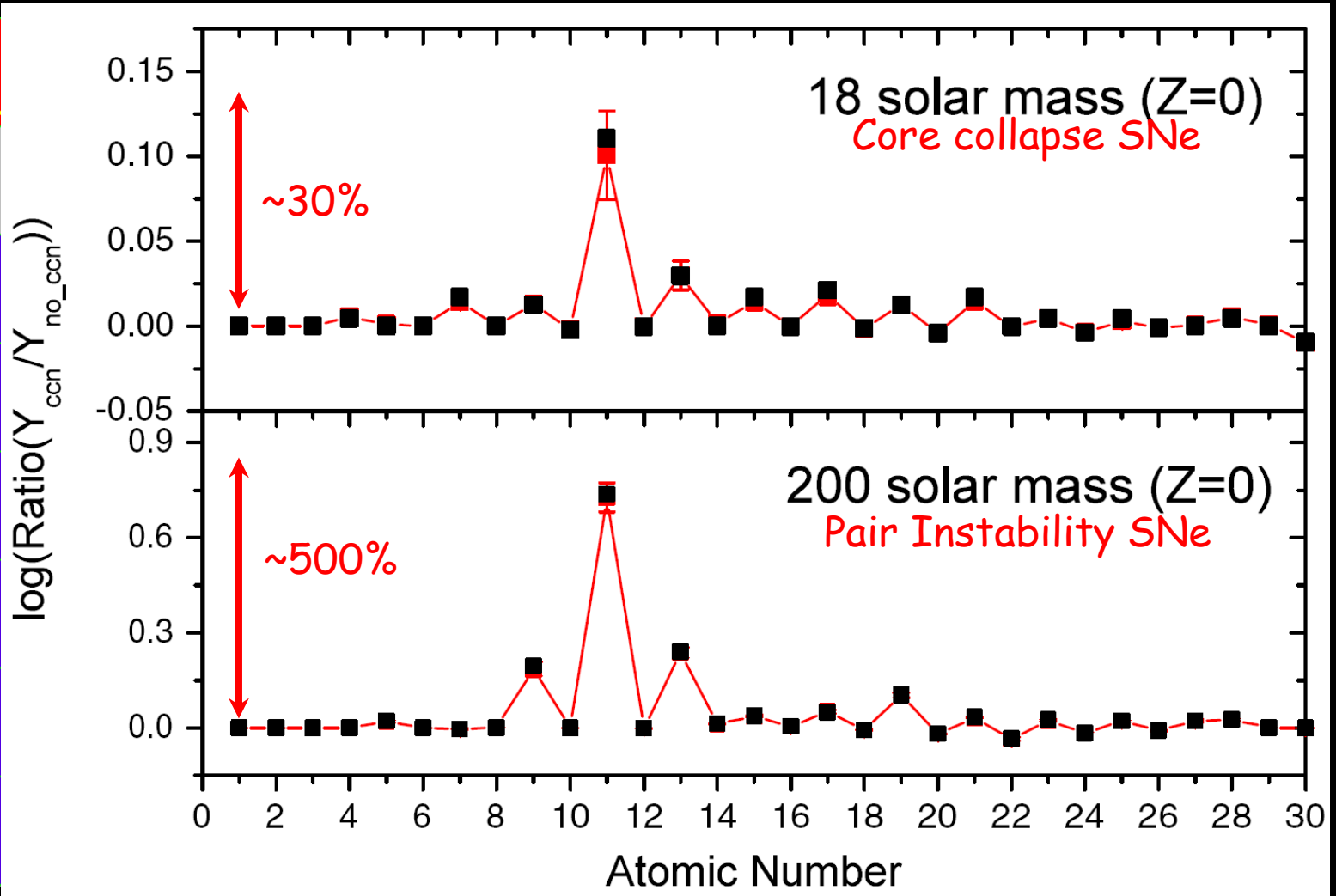
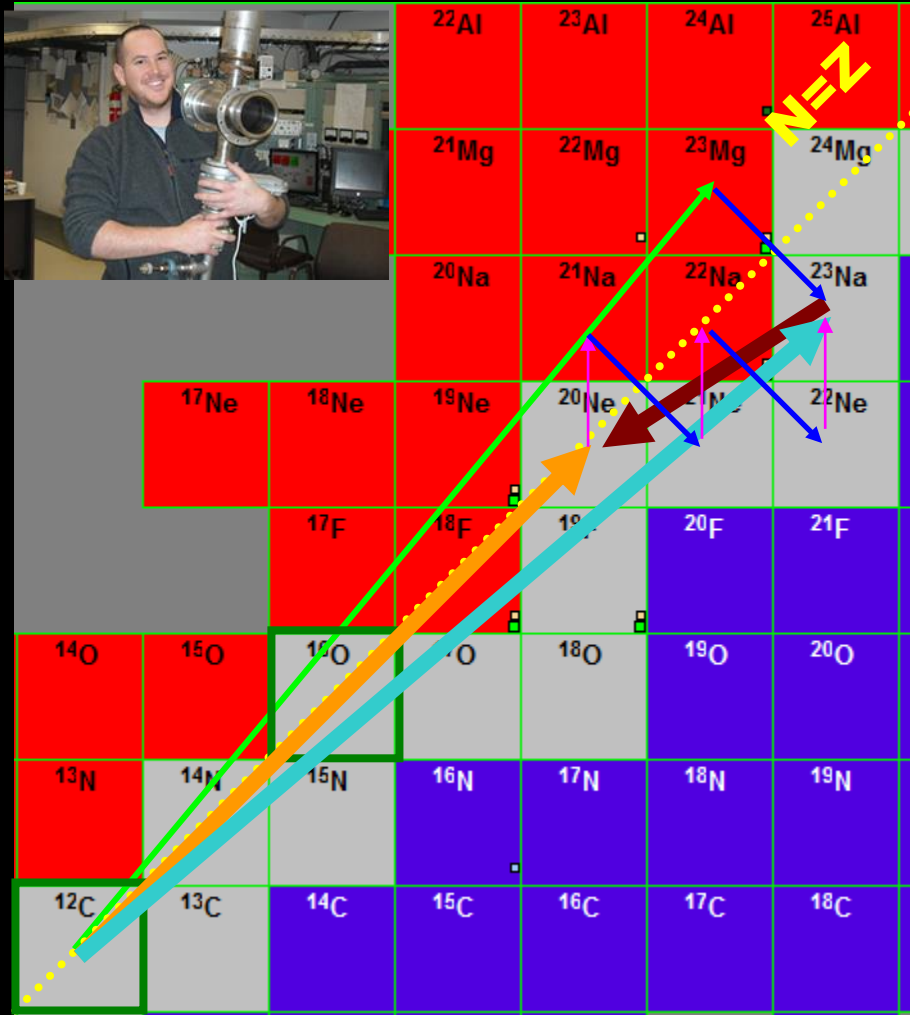


# THM: Carbon burning can trigger superbursts



- Increase in the  $^{12}\text{C} + ^{12}\text{C}$  fusion rate from resonances at astrophysical energies
- This change matches the observationally inferred ignition depths and can be translated into an ignition temperature below 0.5 GK, compatible with the calculated crust temperature

# $^{12}\text{C}(^{12}\text{C},n)^{23}\text{Mg}$ : neutron source in Pop-III stars



- Decay of  $^{23}\text{Mg}$  changes the electron fraction and the even-odd pattern in the production yield
- Direct measurement was performed within Gamow window





[nature](#) > [articles](#) > [article](#)

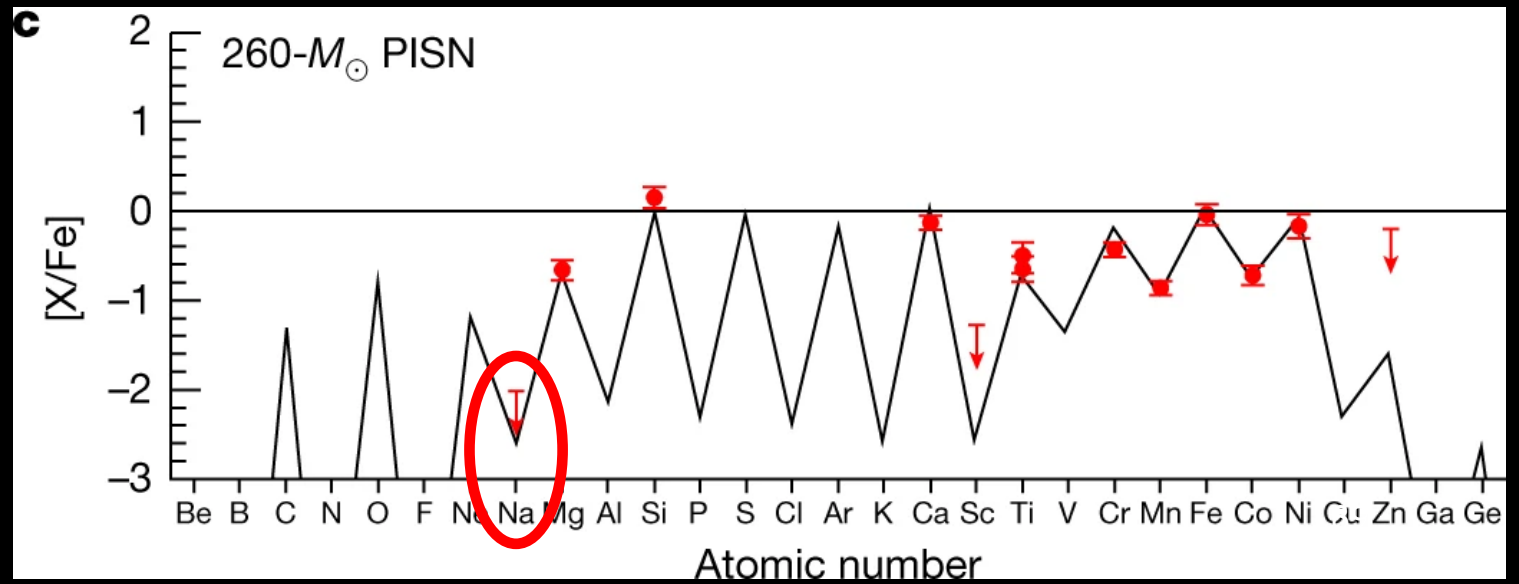
Article | [Open access](#) | Published: 07 June 2023

## A metal-poor star with abundances from a pair-instability supernova

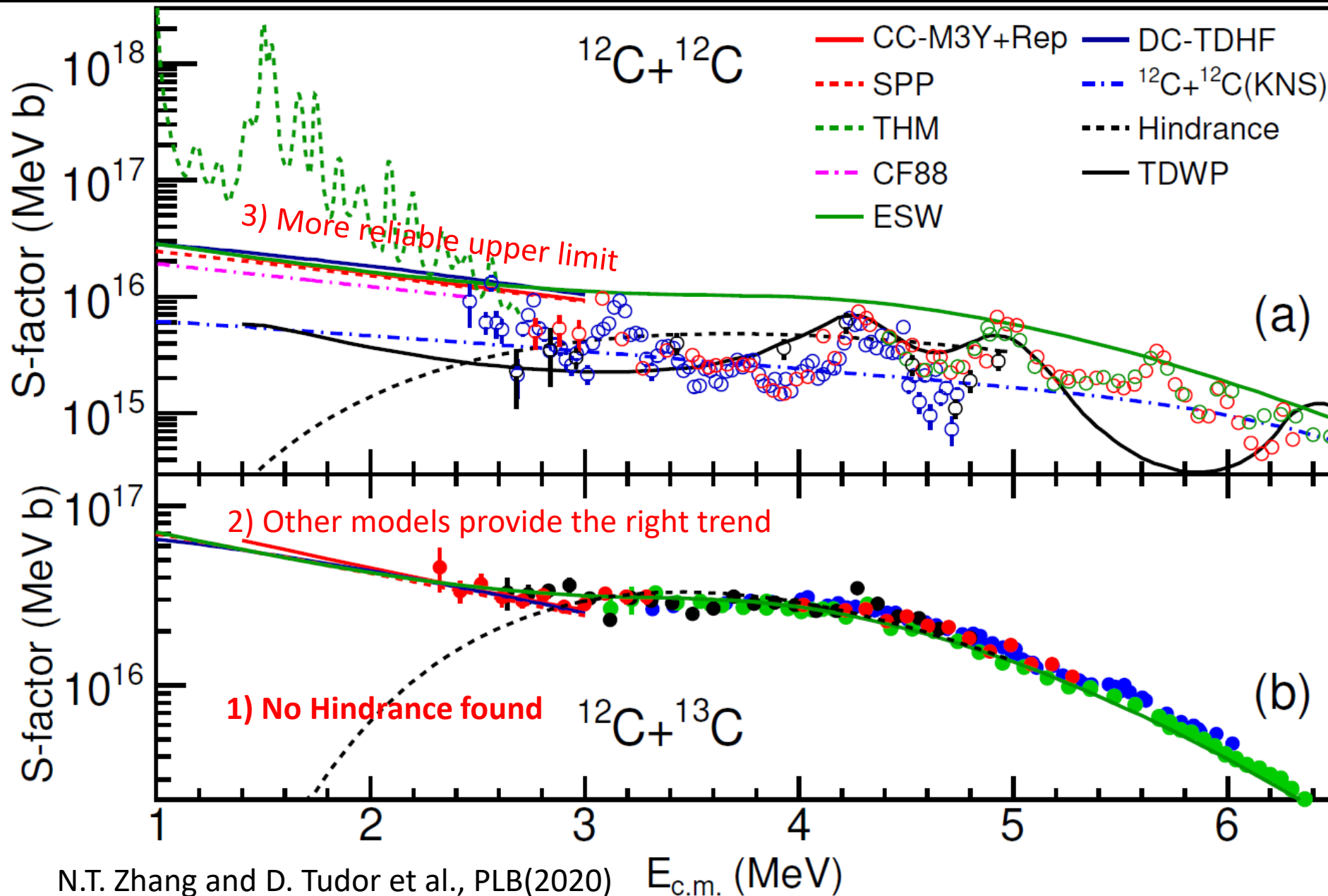
[Qian-Fan Xing](#), [Gang Zhao](#) , [Zheng-Wei Liu](#), [Alexander Heger](#), [Zhan-Wen Han](#), [Wako Aoki](#), [Yu-Qin Chen](#), [Miho N. Ishigaki](#), [Hai-Ning Li](#) & [Jing-Kun Zhao](#)

*Nature* **618**, 712–715 (2023) | [Cite this article](#)

Our rate has been used in KEPLER to predict the production of Na in PISN



# Test of hindrance and upper limit of $^{12}\text{C}+^{12}\text{C}$ based on systematics



N.T.Zhang(IMP)

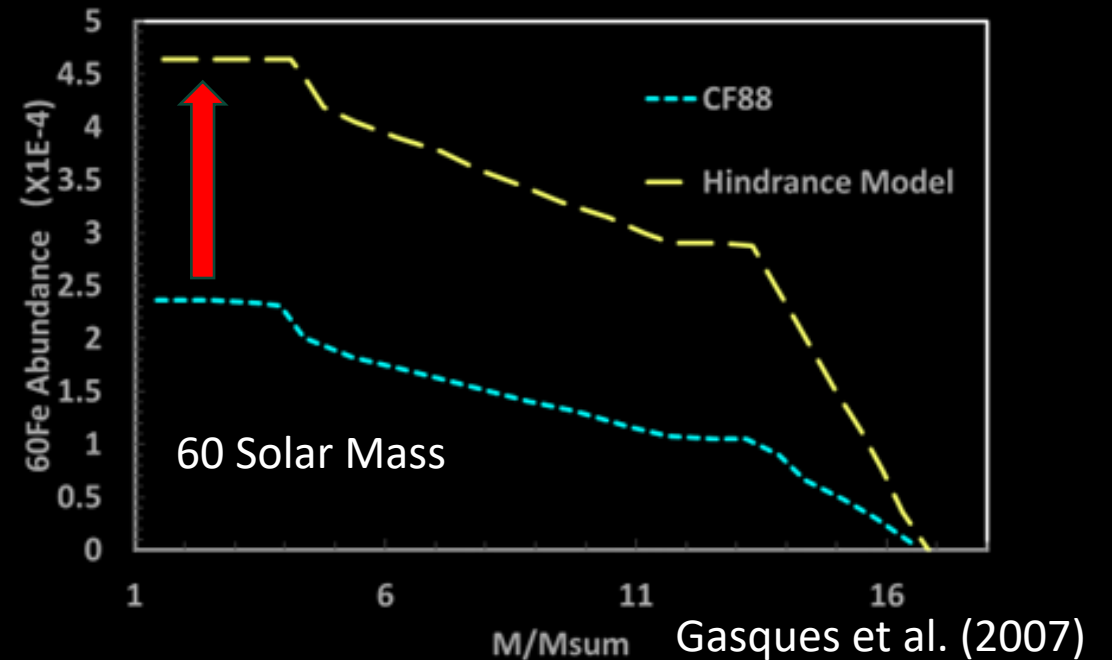
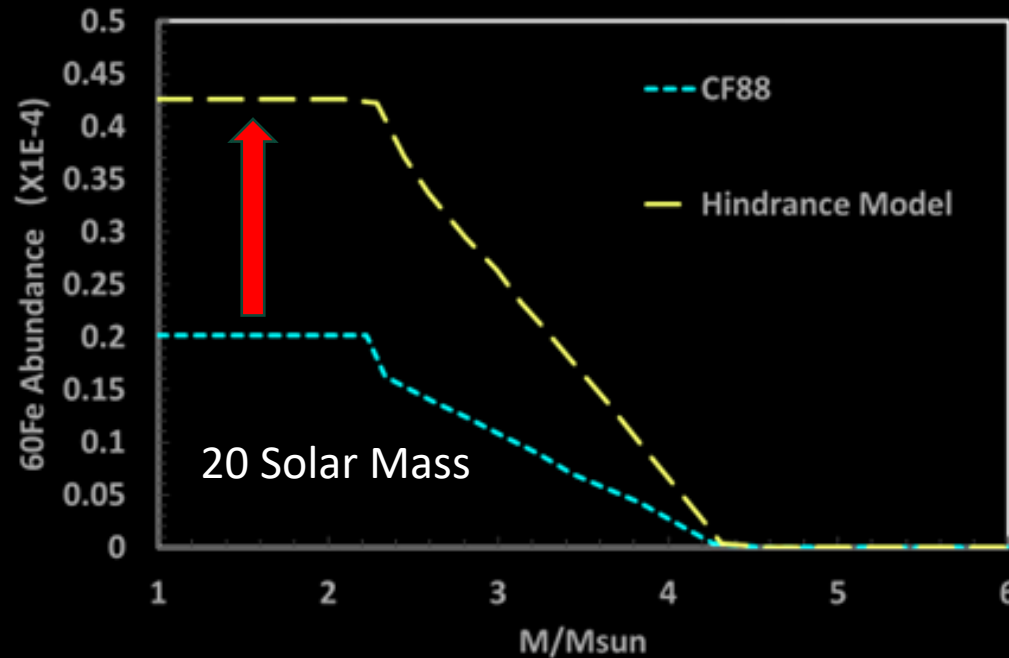


D. Tudor (IFIN-HH)



L. Trache (IFIN-HH)

# Impact on $^{60}\text{Fe}$ in massive stars



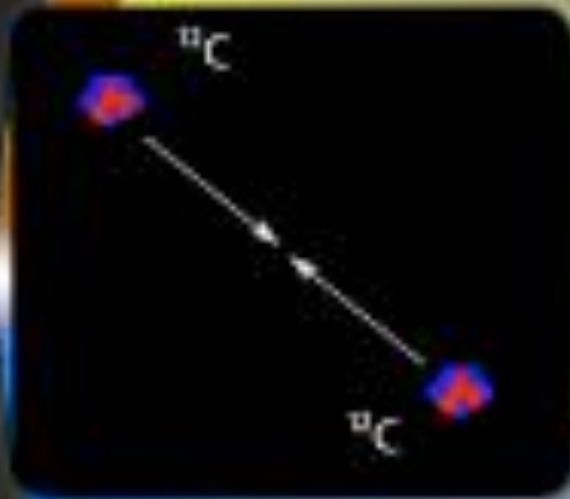
Gasques et al. (2007)

- Enhanced  $^{60}\text{Fe}$  production provided by the hindrance fusion rates would further enhance the already overpredicted  $^{60}\text{Fe}$  abundance in the galaxy
- Enlarge the discrepancy: [Perdition: 0.45 vs. Observation:  $0.15 \pm 0.04$ ]
- Our result rules out such a scenario

# Impact to Superburst model

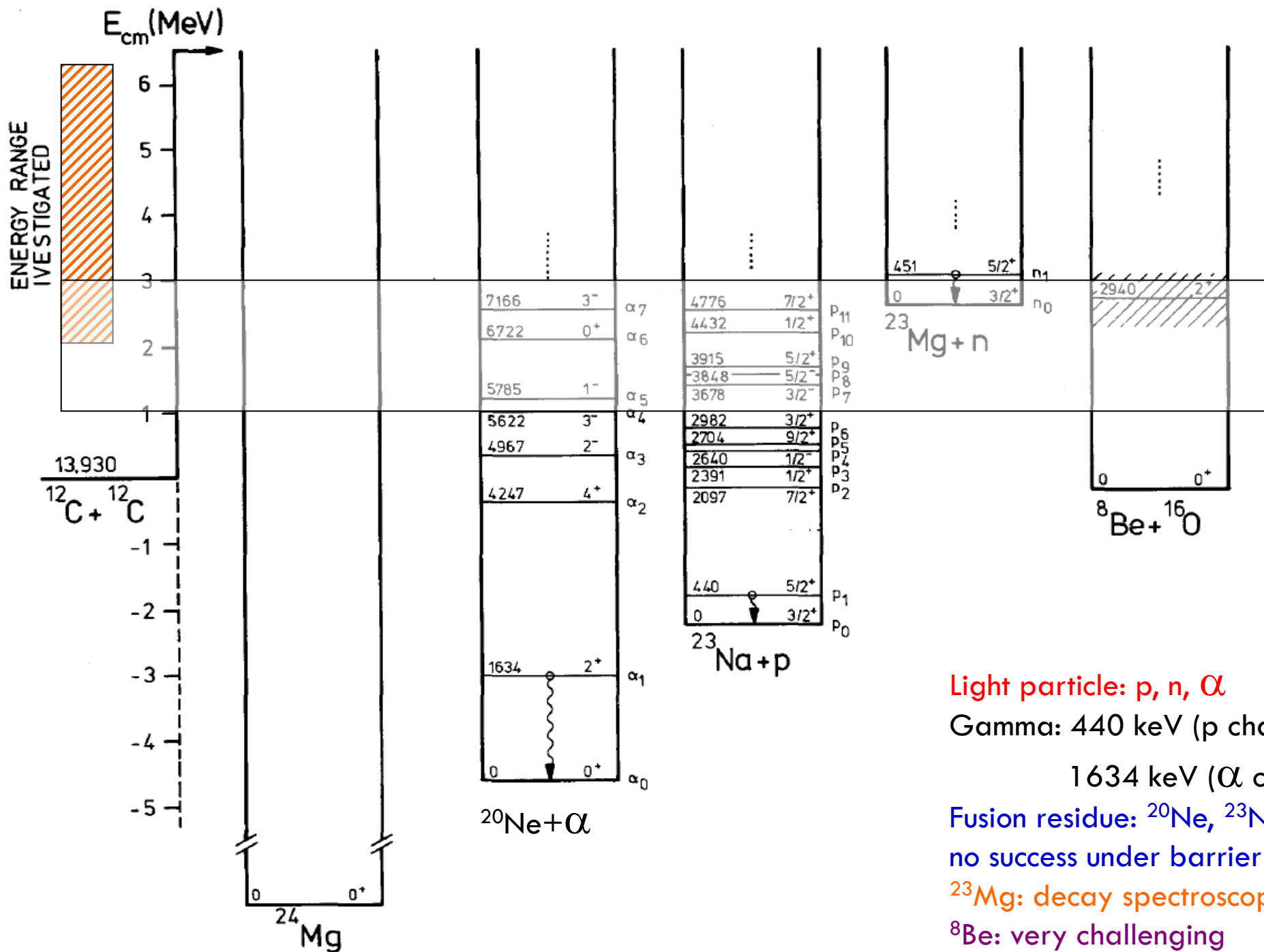
$n, p, e, \mu$

$\Lambda, \Sigma, K, \pi?$   
 $uds?$



If the rate can not be as that high, there must be **some physics missing** in the superburst model.

- **Unknown process to heat** up the crust to higher temperature.
- **Carbon burning is not the one triggered** the superburst!



Light particle: p, n,  $\alpha$

Gamma: 440 keV (p channel)

1634 keV ( $\alpha$  channel)

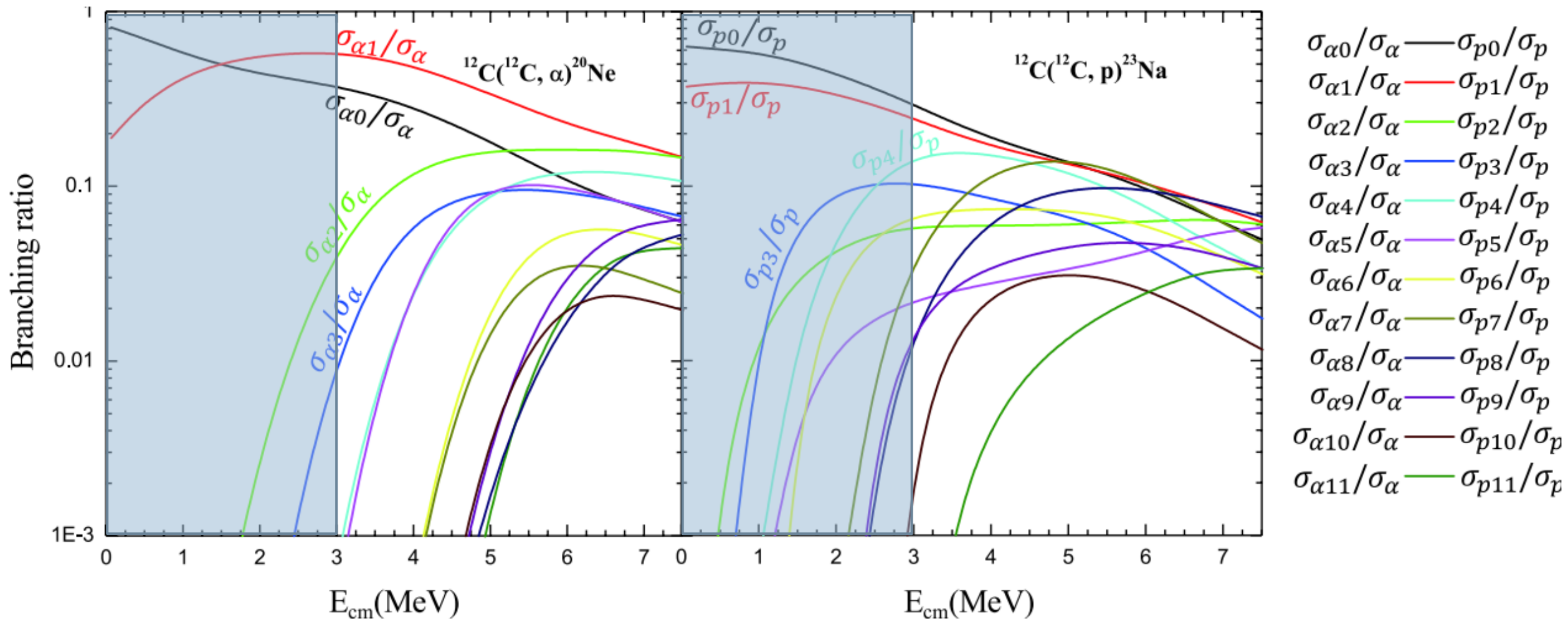
Fusion residue:  $^{20}\text{Ne}$ ,  $^{23}\text{Na}$  ...

no success under barrier

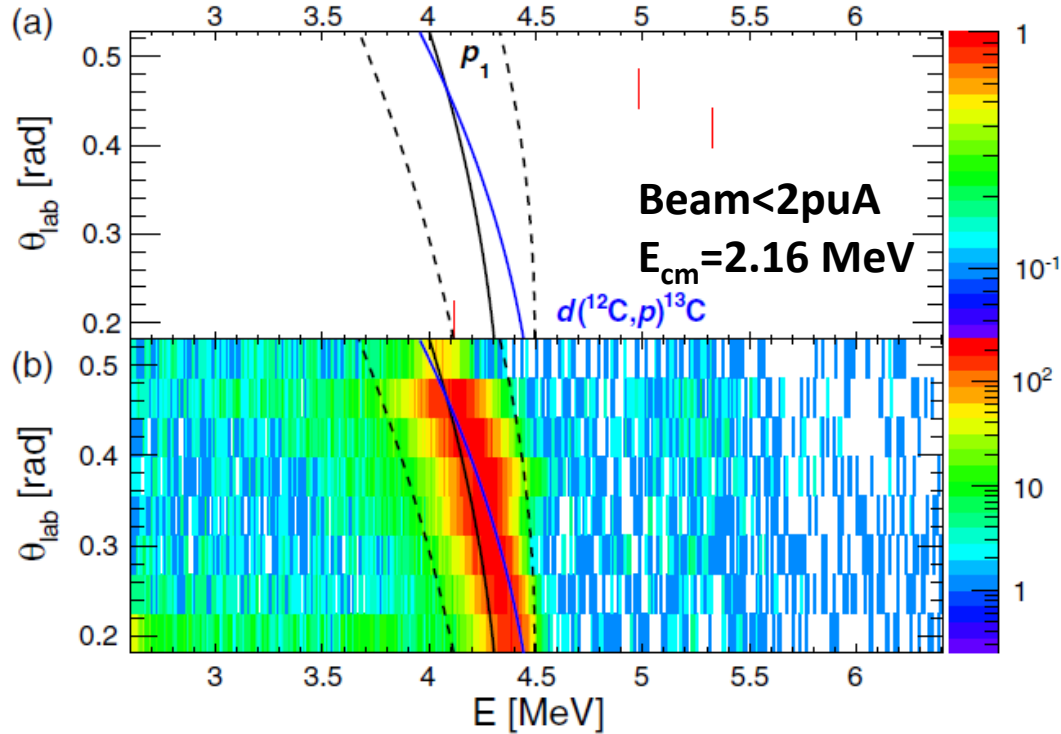
$^{23}\text{Mg}$ : decay spectroscopy

$^8\text{Be}$ : very challenging

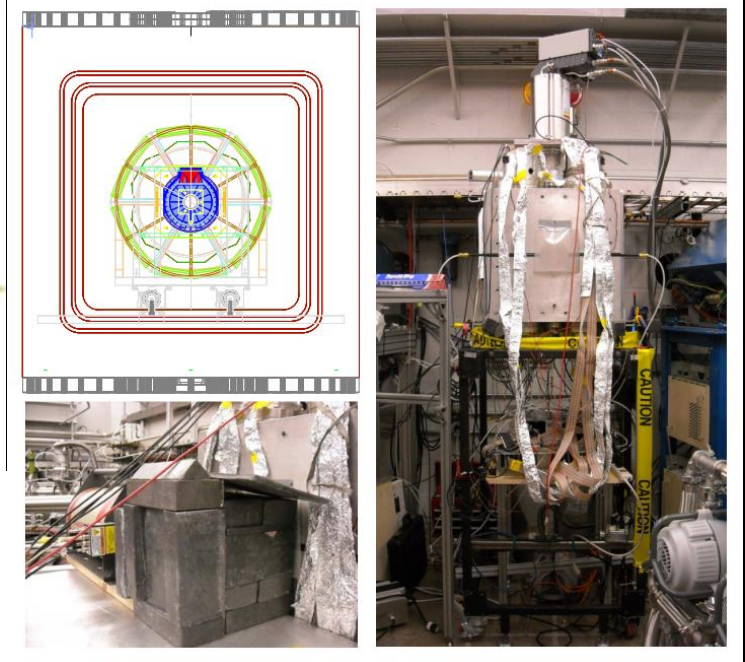
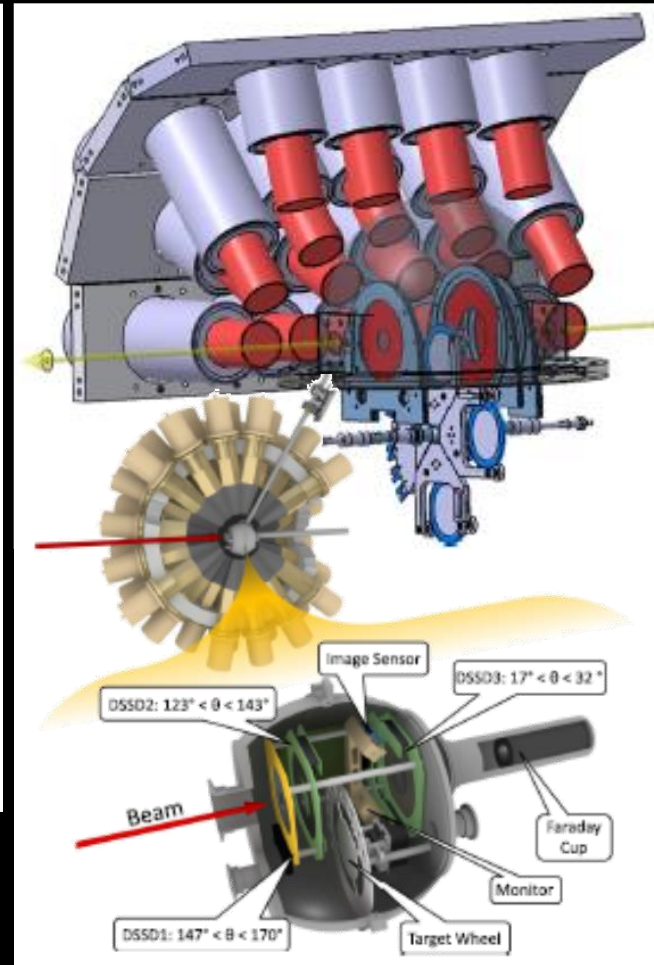
# Why do some channels vanish at lower energies?



# Particle- $\gamma$ coincidence at lower stellar energies



Fruet+ PRL(2020)



Beam < 15 puA

Jiang et al. (2012), Jiang et al. (2018)  
 Heine et al. (2018), Tan et al. (2021),  
 Fruet et al. (2021)

- Particle- $\gamma$  coincidence technique pushed the measurement down to **sub-nb level**
- Only detect  $p_1$  and  $\alpha_1$  channels

# Carbon fusion project at LUNA-MV

Massive lead shield and radon flushing → push sensitivity to better than 100 reactions/day



## $^{12}\text{C} + ^{12}\text{C} - \gamma$ measurements

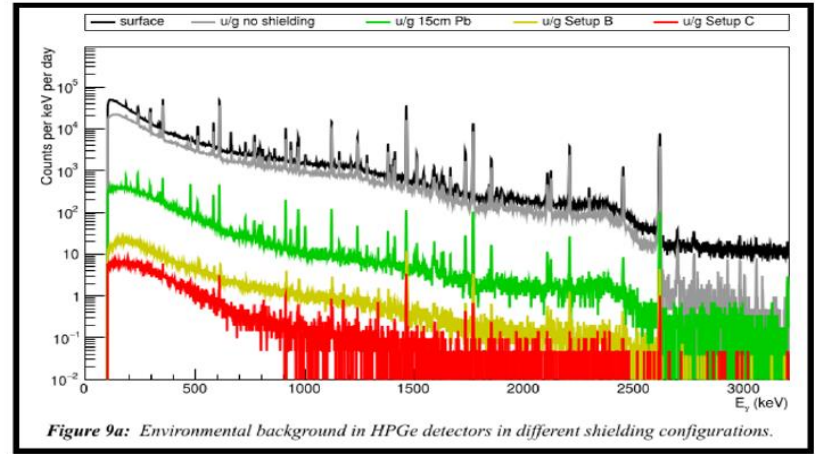


Figure 9a: Environmental background in HPGe detectors in different shielding configurations.

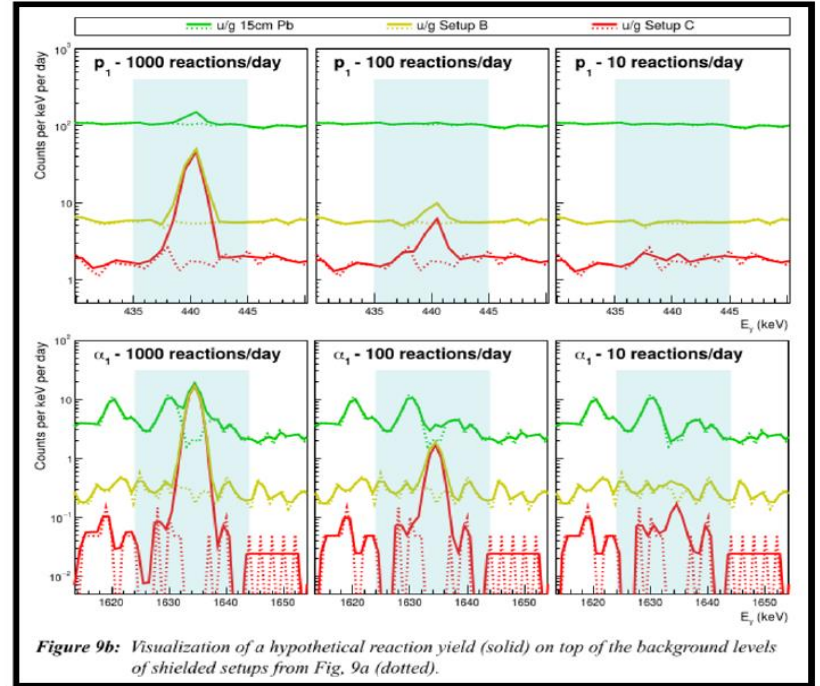
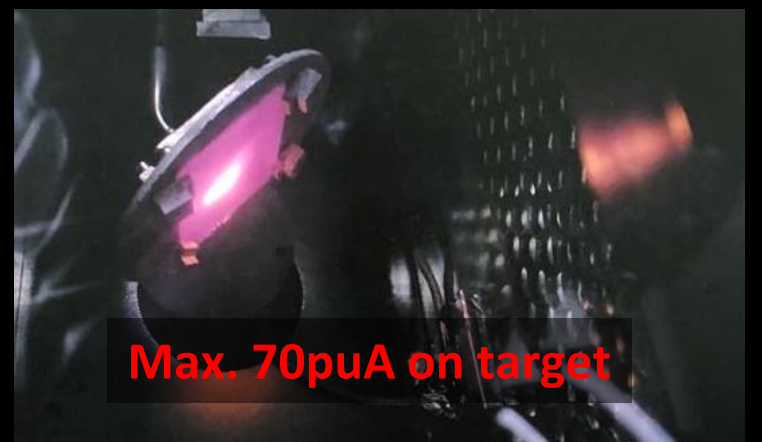
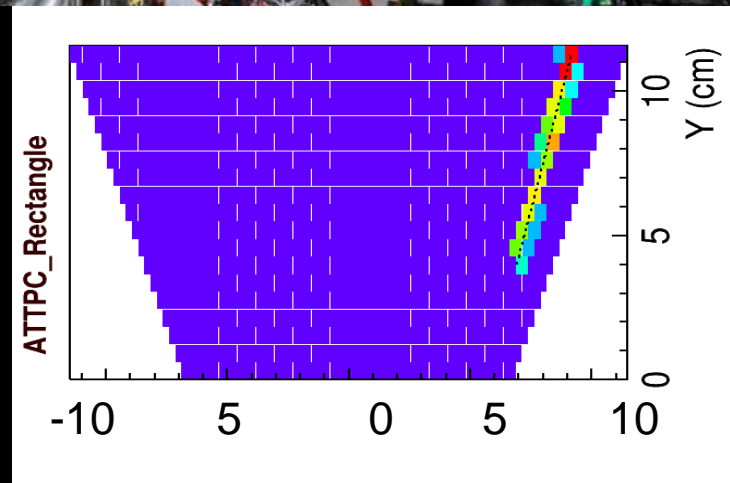
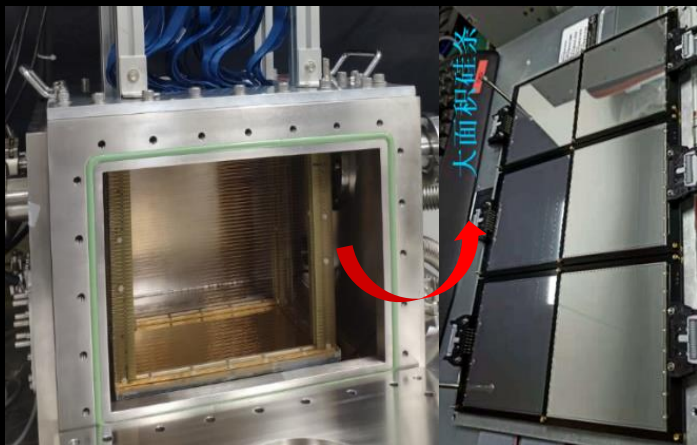
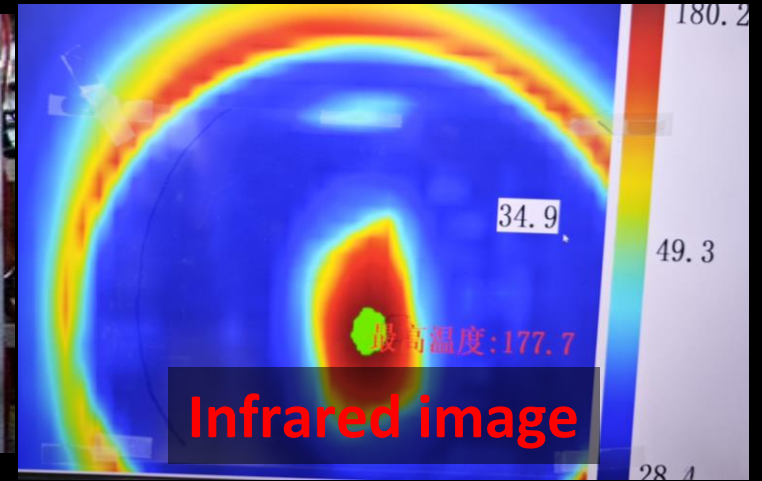


Figure 9b: Visualization of a hypothetical reaction yield (solid) on top of the background levels of shielded setups from Fig. 9a (dotted).



# High Intensity+Time Projection Chamber

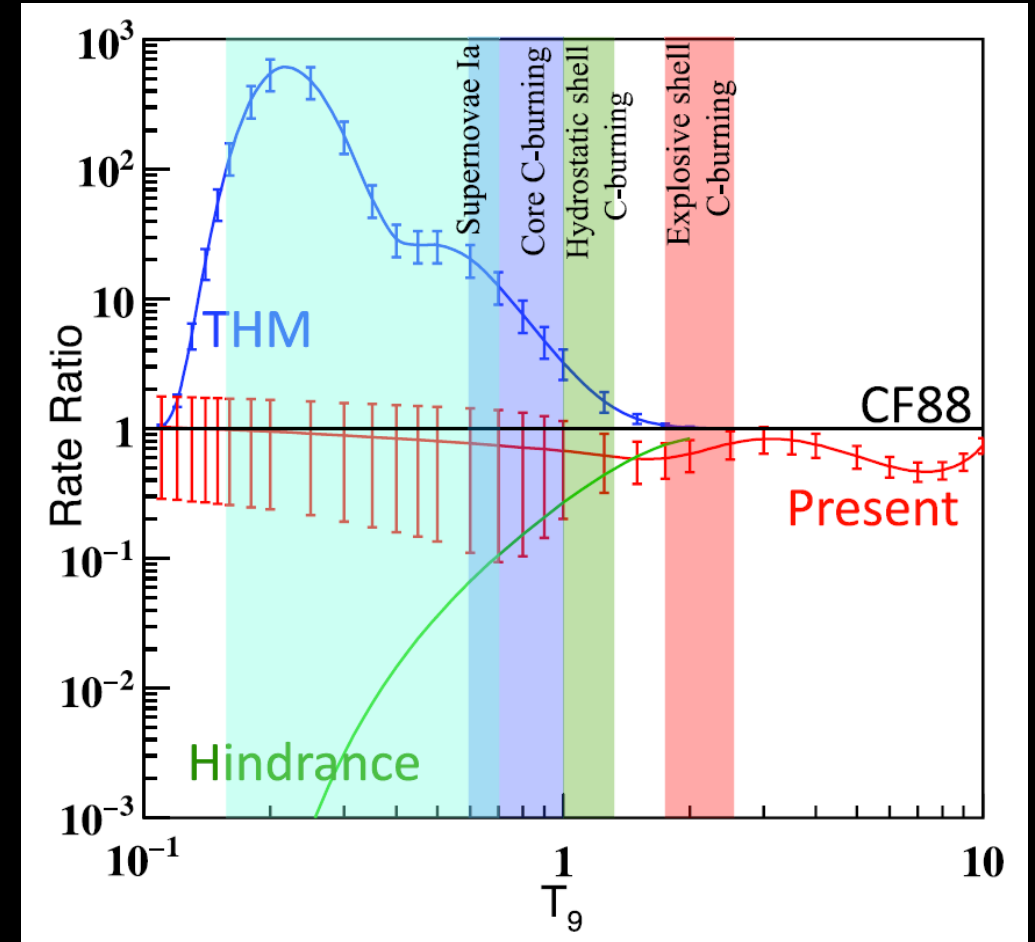
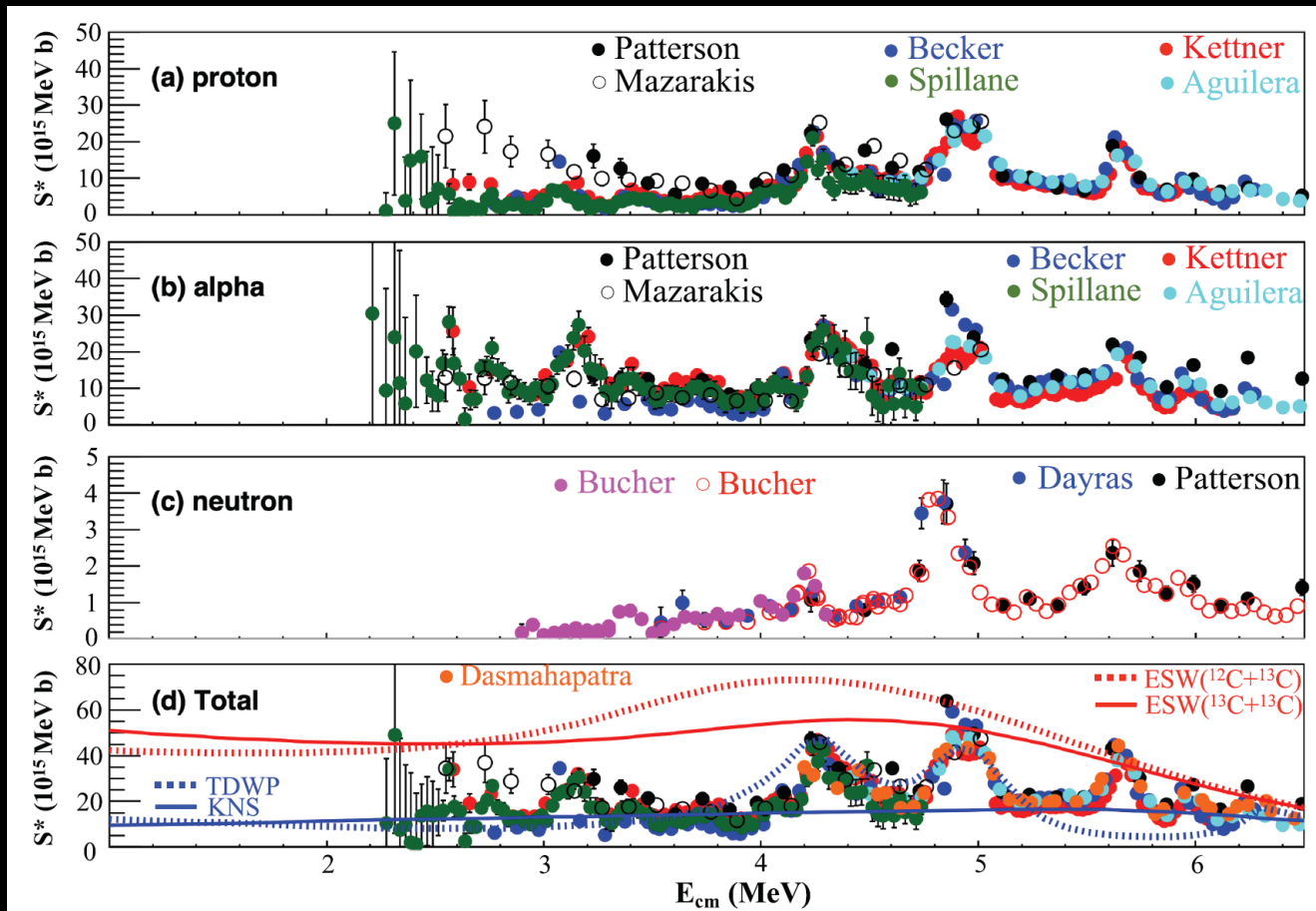


- LINAC: High Intensity beam up to 200 pA
- Time Projection Chamber: Ultra sensitive tracking detector
- Complementary to LUNA-MV and other experiments

Y.Z. Li's talk in OMEG pre-Symposium

# New rate

Y.J.Li, X.Fang+ (2020), DOI: 10.1088/1674-1137/abae56



- Combining **the new upper limits with the empirical lower limit and the prediction of TDWP**, the  $^{12}\text{C}+^{12}\text{C}$   $S^*$  factors are better constrained despite the unknown resonances within the unmeasured energy range.
- Revision is needed if there are currently unknown relatively strong resonances

# EXPERIMENTAL AND THEORETICAL NUCLEAR ASTROPHYSICS; THE QUEST FOR THE ORIGIN OF THE ELEMENTS



Nobel lecture, 8 December, 1983

by

WILLIAM A. FOWLER

W. K. Kellogg Radiation Laboratory

California Institute of Technology, Pasadena, California 91125

*Ad astra per aspera et per ludum*

# Nuclear astrophysics: the unfinished quest for the origin of the elements



**Jordi José**

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E-mail: [jordi.jose@upc.edu](mailto:jordi.jose@upc.edu)



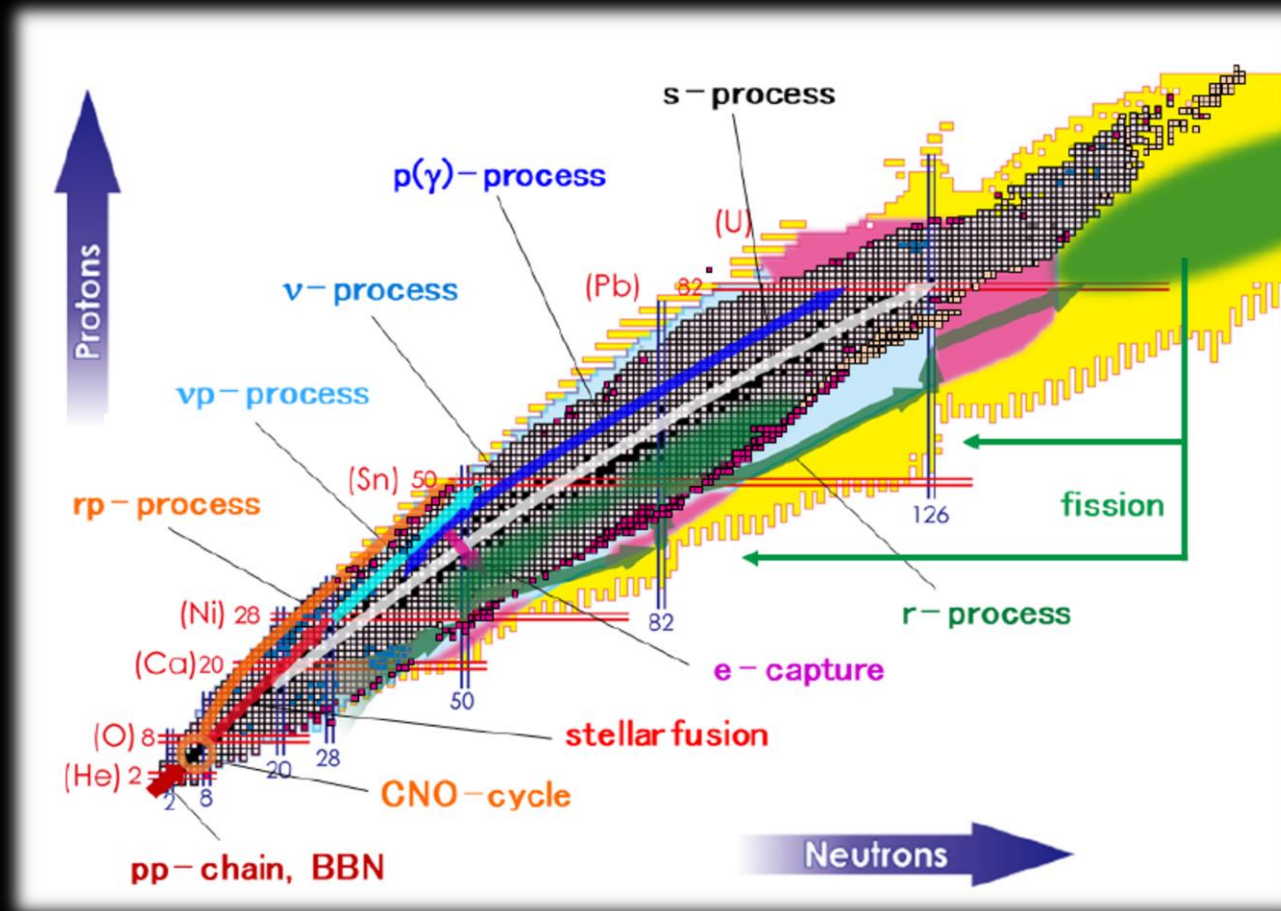
**Christian Iliadis**

Department of Physics & Astronomy, University of North Carolina, Chapel Hill, North Carolina, 27599, USA; Triangle Universities Nuclear Laboratory, Durham, North Carolina 27708, USA

E-mail: [iliadis@unc.edu](mailto:iliadis@unc.edu)

- (i) Why do predictions of helioseismology disagree with those of **the standard solar model**?
- (ii) What is the solution to the lithium problem in **Big Bang nucleosynthesis**?
- (iii) What do the observed light-nuclide and s-process abundances tell us about **convection and dredge-up in massive stars and AGB stars**?
- (iv) What are the **production sites** of the  $\gamma$ -ray emitting radioisotopes  $^{26}\text{Al}$ ,  $^{44}\text{Ti}$  and  $^{60}\text{Fe}$ ?
- (v) What is the origin of about 30 rare and neutron deficient nuclides beyond the iron peak (**p-nuclides**)?
- (vi) What causes **core-collapse supernovae** to explode?
- (vii) What is the extent of neutrino-induced nucleosynthesis (**v-process**)?
- (viii) What is the extent of the nucleosynthesis in proton-rich outflows in the early ejecta of core-collapse supernovae (**vp-process**)?
- (ix) What are the **sites of the r-process**?
- (x) What causes the discrepancy between models and observations regarding the mass ejected during **classical nova outbursts**?
- (xi) Which are the physical mechanisms driving **convective mixing in novae**?
- (xii) What are the progenitors of **type Ia supernovae**?
- (xiii) What is the nucleosynthesis endpoint in **type I X-ray bursts**? Is there **any matter ejected** from those systems?
- (xiv) What is the impact of **stellar mergers** on Galactic chemical abundances?
- (xv) What are the production and acceleration sites of **Galactic cosmic rays**?

# Summary



Interdisciplinary feature of nuclear astrophysics demands **the close collaborations among astronomers, astrophysicists, and nuclear physicists and among the facilities.** As we demonstrated in the paper, **NO single facility or model will answer all the quests in our field.** How to be successful in nuclear astrophysics? Here are the advises from Willy Fowler: **seek for truth, work hard, and help people**

Progress in nuclear astrophysics of east and southeast Asia

Aziz et al. AAPPS Bulletin (2021) 31:18, <https://doi.org/10.1007/s43673-021-00018-z>